

The NASDUCK Collaboration: Using Quantum Magnetometers to Look for Ultralight DM

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(Work done in the Rafael Quantum Optics Lab)



Collaborators:

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Based on works presented in arXiv:1907.03767, and arXiv:2105.04603

Outline

- **Axion Like Particles (ALPs)**
 - ALPs Brief Overview
 - Coherent Interactions
- **Noble-Alkali Comagnetometers**
 - Spin-Based Magnetometry
 - Why Noble-Alkali?
 - Old Results
 - NASDUCK
- **Conclusions**

Axion Like Particles

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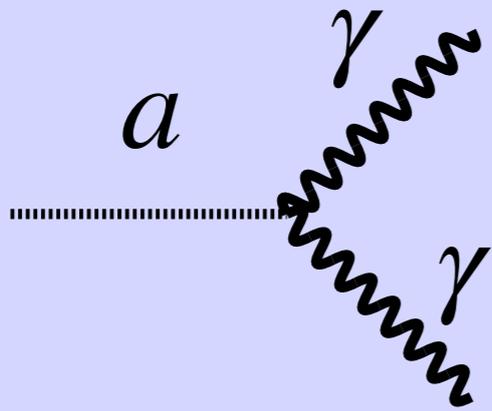
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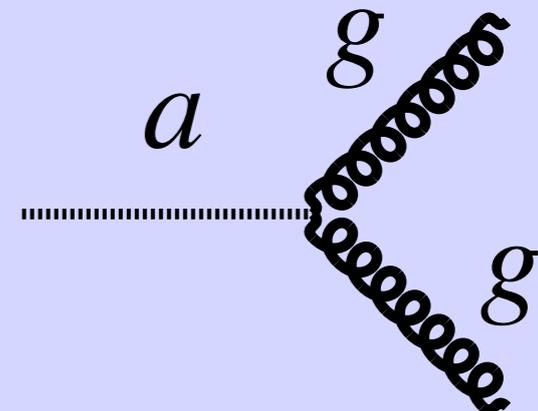
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- Pseudo-scalars.
- Can be a CDM component (we assume all).
- Can be very light and remain CDM candidate:

$$m_a(\text{relevant to talk}) < 4 \times 10^{-12} \text{ eV}$$

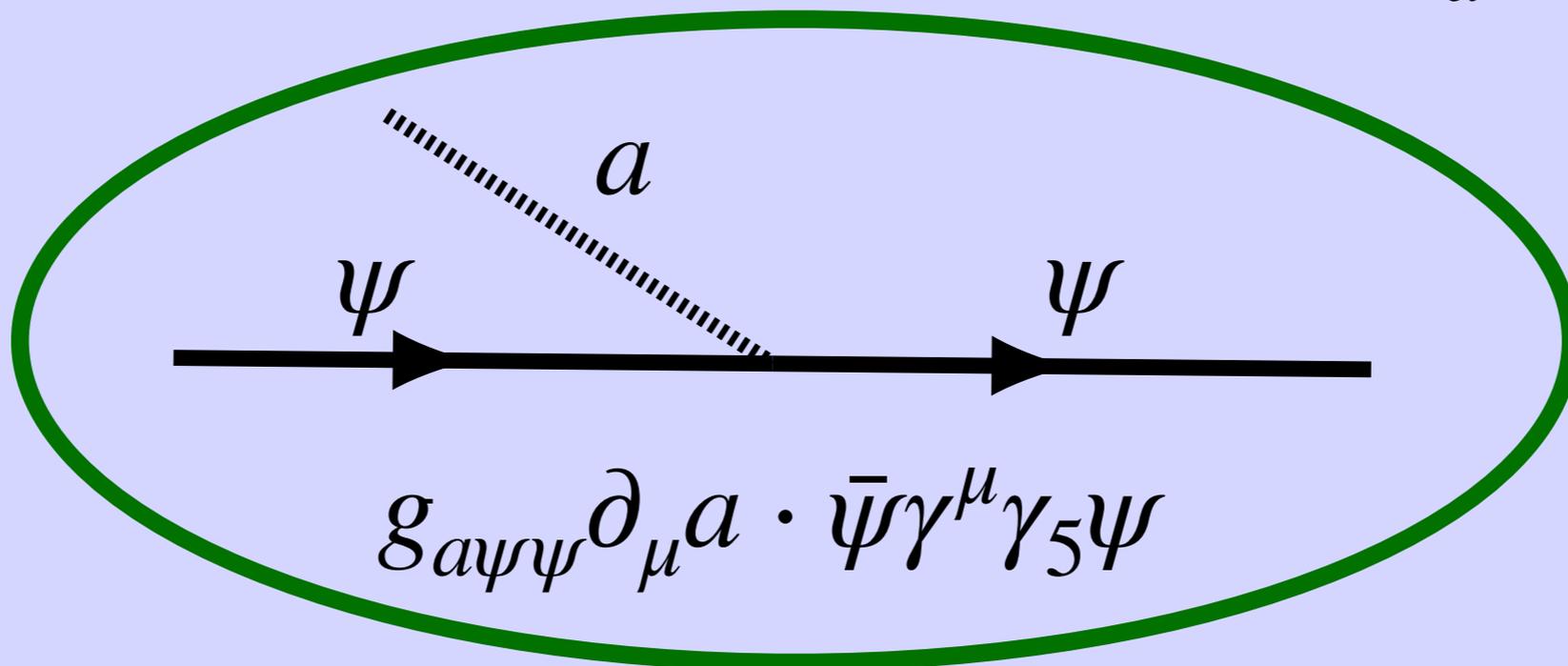
ALP-SM Interactions



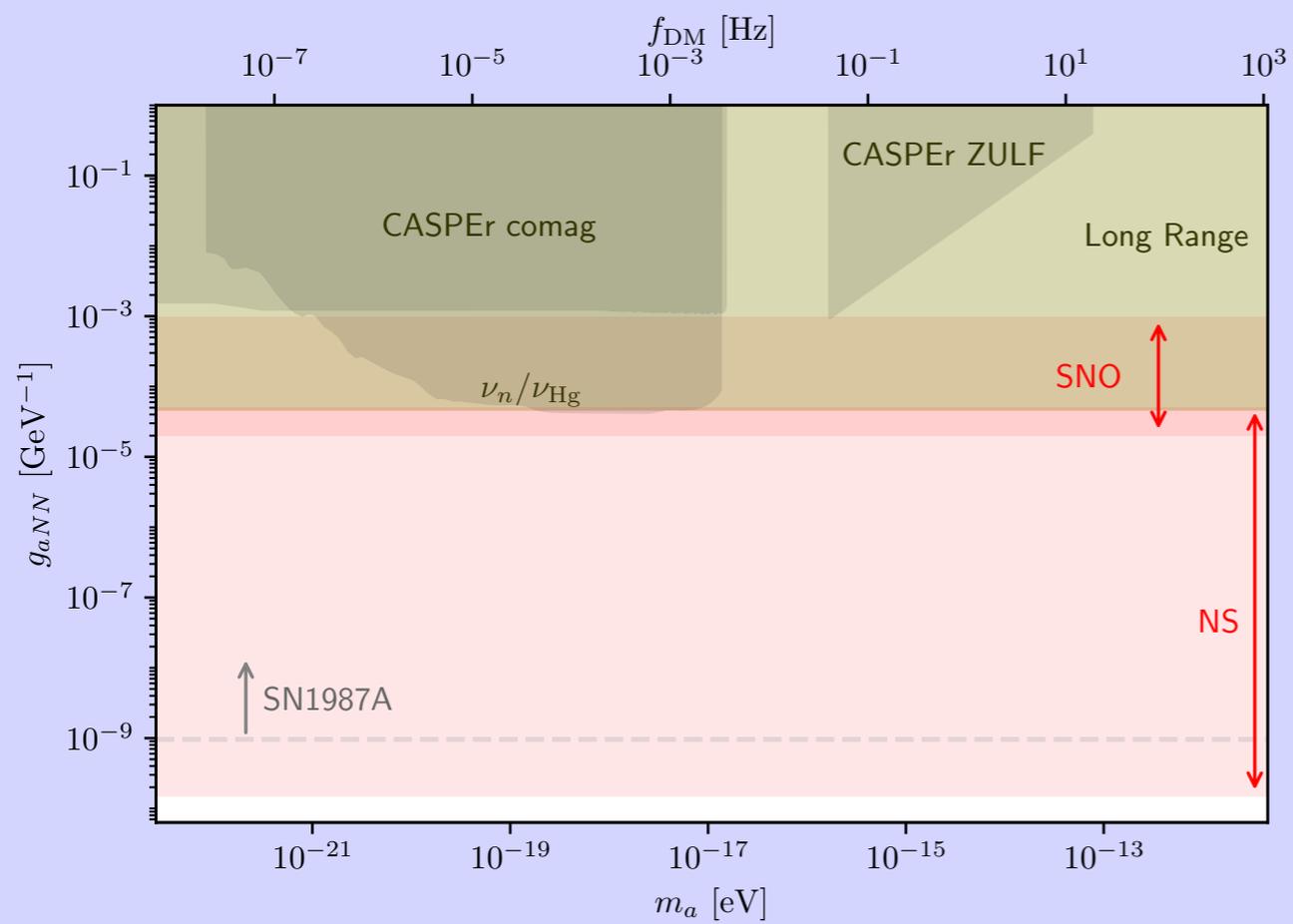
$$-\frac{1}{4} g_{a\gamma\gamma} a F \tilde{F}$$



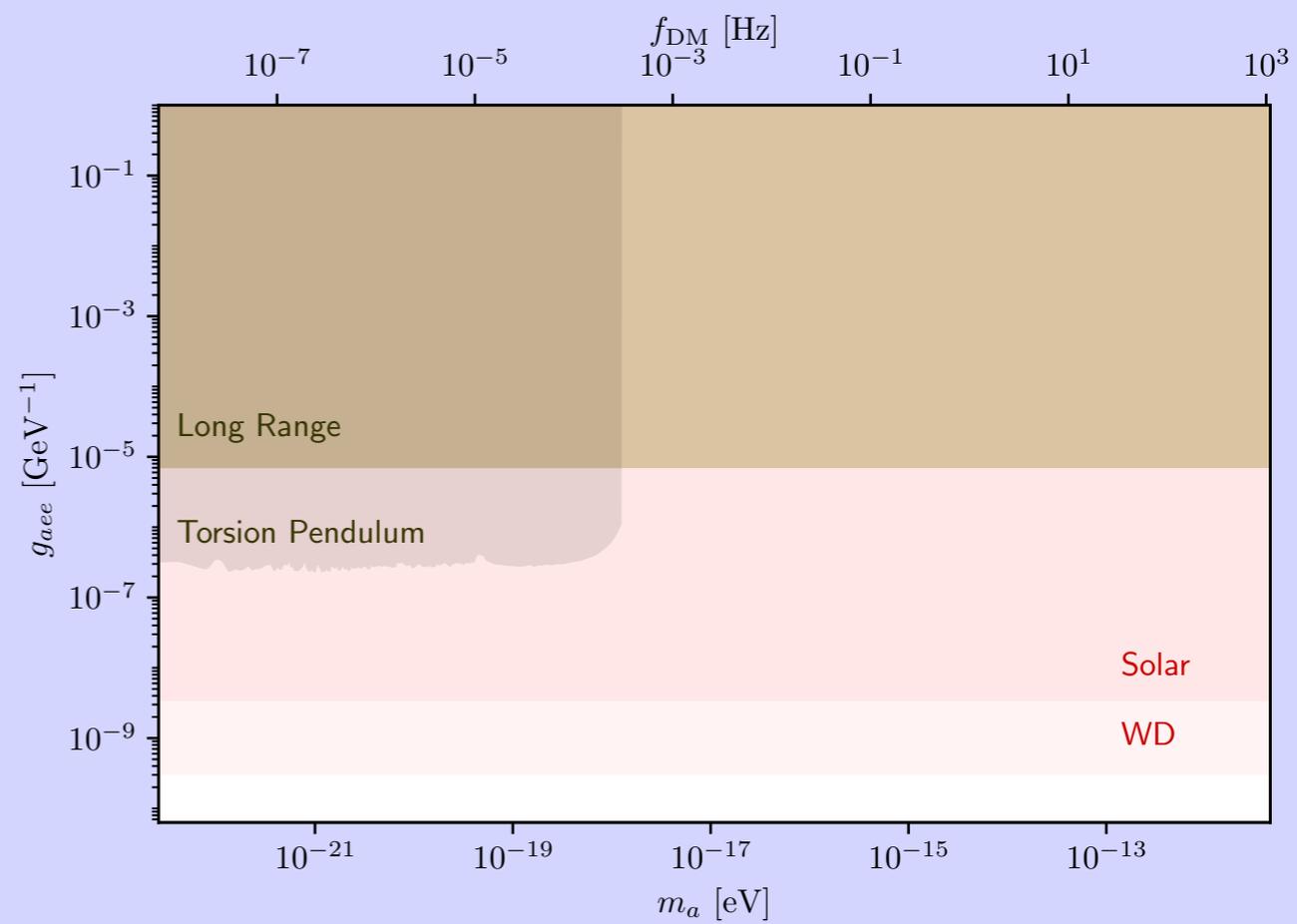
$$-\frac{a}{f_a} \frac{G \tilde{G}}{32\pi^2}$$



$$g_{a\psi\psi} \partial_\mu a \cdot \bar{\psi} \gamma^\mu \gamma_5 \psi$$



ALP-neutron



ALP-electron

Coherent Interactions (1)

$$n_a = \frac{0.4 \text{ GeV}}{m_a \cdot \text{cm}^3}$$

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For light ALPs ($m_a \lesssim 30$ eV), $n_a = \frac{0.4 \text{ GeV}}{m_a \cdot \text{cm}^3} > 1/\lambda_{\text{de-Broglie}}^3$

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In the non-relativistic limit...

Coherent Interactions (2)

$$H_{a\psi\psi} = -g_{a\psi\psi} \vec{b}_a \cdot \vec{S}_\psi = -\vec{b}_{a-\psi} \cdot \vec{S}_\psi$$

$$\vec{b}_{a-\psi} = g_{a\psi\psi} \sqrt{2\rho_a} \cos(m_a t) \cdot \vec{v}_{a-\psi} \text{ [astro-ph/9501042]}$$

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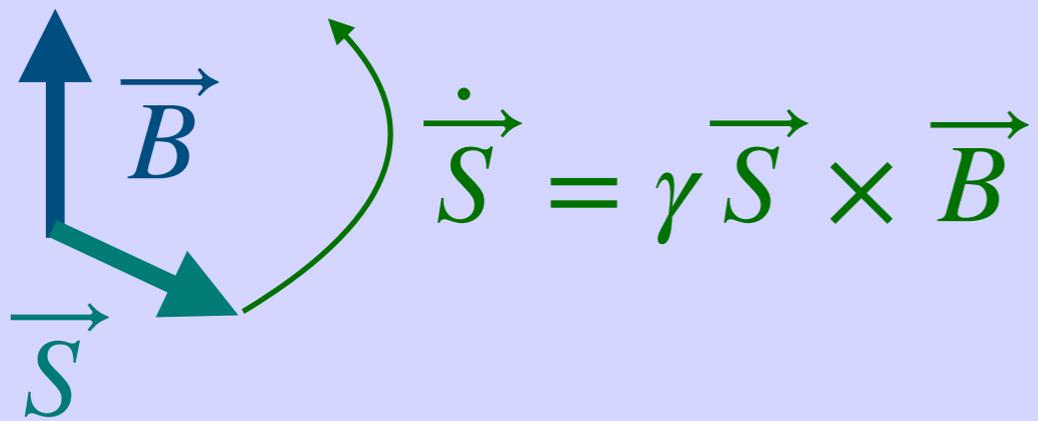
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But how to measure it?

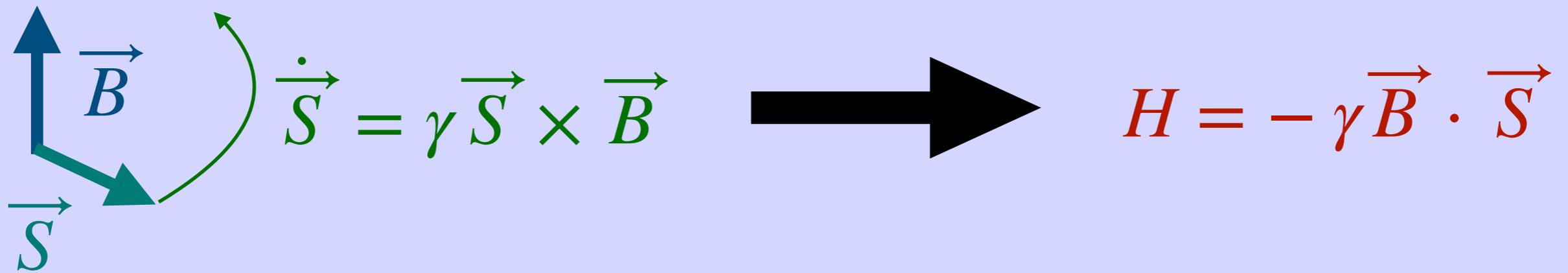
Larmor Precession and Zeeman Splitting

Interaction of a classical magnetic field \vec{B} with a spin \vec{S} :


$$\dot{\vec{S}} = \gamma \vec{S} \times \vec{B}$$

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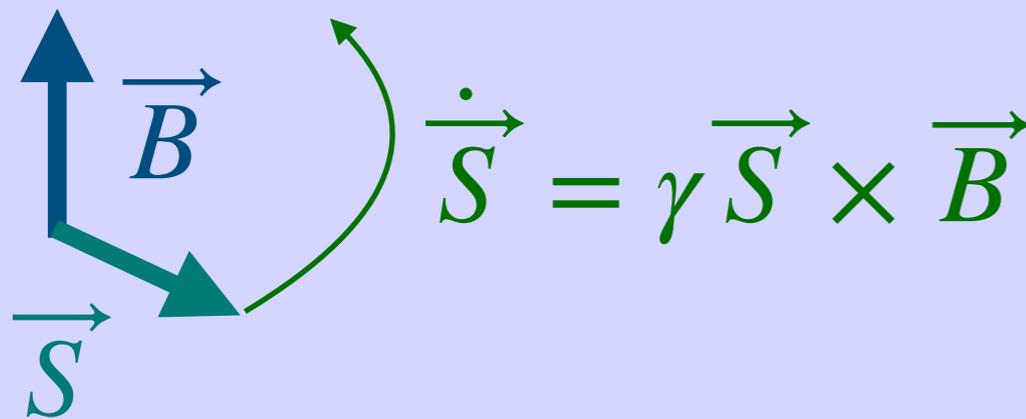
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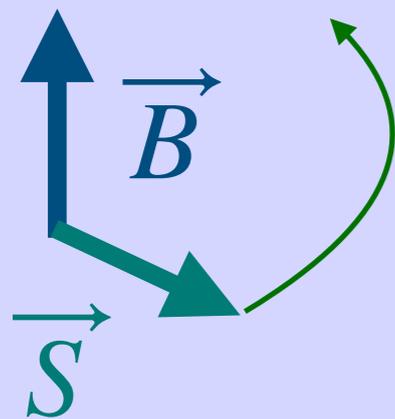


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Reminder: $H_{a\psi\psi} = -\vec{b}_{a-\psi} \cdot \vec{S}_{\psi}$

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Is there a known way to measure magnetic fields?

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Noble-Alkali Comagnetometers

Bloch Equations

$$\dot{\vec{s}} =$$

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$$\dot{\vec{S}} = \gamma \left(\vec{B} + \frac{\vec{b}}{\gamma} \right) \times \vec{S}$$

Torque

(generates transverse from longitudinal)

Bloch Equations

* To leading order in important stuff

$$\dot{\vec{S}} = \gamma \left(\vec{B} + \frac{\vec{b}}{\gamma} \right) \times \vec{S} - \Gamma \vec{S}$$

Torque
(generates transverse from longitudinal)

Decaying excitations
(causes stabilization)

Bloch Equations

* To leading order in important stuff

Creating macroscopic polarization
(generates a non-trivial steady state solution)

$$\dot{\vec{S}} = \gamma \left(\vec{B} + \frac{\vec{b}}{\gamma} \right) \times \vec{S} - \Gamma \vec{S} + R \hat{z}$$

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Transverse EOMs

We usually assume $\dot{S}_z = 0$ (also that $|\vec{S}| \approx |S_z|$),

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Solving the EOMs

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$$S_{\perp}(\omega = m_a) = \frac{b_{\perp} + \gamma B_{\perp}(\omega = m_a)}{(\gamma B_z - m_a) + i\Gamma} S_z$$

The Result

$$S_{\perp} = \frac{b_{\perp} + \gamma B_{\perp}}{i\Gamma + (\gamma B_z - m_a)} S_z$$

The Result

The transverse
spin

$$S_{\perp} = \frac{b_{\perp} + \gamma B_{\perp}}{i\Gamma + (\gamma B_z - m_a)} S_z$$

The transverse spin:

Everything is encoded in the spin projections in the directions perpendicular to the pump

The Result

The transverse spin

Signal

$$S_{\perp} = \frac{b_{\perp} + \gamma B_{\perp}}{i\Gamma + (\gamma B_z - m_a)} S_z$$

Signal:

The thing we want to measure that an ALP generates

The Result

The transverse spin

Signal

Transverse Magnetic fields

$$S_{\perp} = \frac{b_{\perp} + \gamma B_{\perp}}{i\Gamma + (\gamma B_z - m_a)} S_z$$

Transverse Magnetic fields:

Can either be noise, or (as we will see) the effect of one atom species on the other. Note that it is proportional to γ .

The Result

$$S_{\perp} = \frac{b_{\perp} + \gamma B_{\perp}}{i\Gamma + (\gamma B_z - m_a)} S_z$$

The transverse spin S_{\perp} is equal to the fraction of the signal $b_{\perp} + \gamma B_{\perp}$ (Transverse Magnetic fields) over the denominator $i\Gamma + (\gamma B_z - m_a)$ (Spin in the z direction) multiplied by the spin in the z direction S_z .

Spin in the z direction
Main demand: Don't be tiny

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The transverse spin S_{\perp} is equal to the fraction of the signal $b_{\perp} + \gamma B_{\perp}$ (Transverse Magnetic fields) over the denominator $i\Gamma + (\gamma B_z - m_a)$ (ALP mass), multiplied by the spin in the z direction S_z .

ALP Masses

Our experiments can only probe ultralight ALPs. To date we can probe up to $\sim 5\text{peV}$, can probably be extended to neV , theoretically μeV , though that is unlikely.

The Result

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The transverse spin S_{\perp} is equal to the fraction of the signal $b_{\perp} + \gamma B_{\perp}$ (Transverse Magnetic fields) over the resonance frequency $i\Gamma + (\gamma B_z - m_a)$ (ALP mass) times the spin in the z direction S_z .

Resonance Frequency

Determined mostly by external magnetic fields (which we can control with coils). Note that it is proportional to γ .

The Result

$$S_{\perp} = \frac{b_{\perp} + \gamma B_{\perp}}{i\Gamma + (\gamma B_z - m_a)} S_z$$

The transverse spin S_{\perp} is equal to the ratio of the transverse magnetic fields $b_{\perp} + \gamma B_{\perp}$ to the decoherence rate $i\Gamma + (\gamma B_z - m_a)$, multiplied by the spin in the z direction S_z .

Labels in the diagram:

- Signal: $b_{\perp} + \gamma B_{\perp}$
- Transverse Magnetic fields: $b_{\perp} + \gamma B_{\perp}$
- Spin in the z direction: S_z
- Decoherence Rate: $i\Gamma$
- Resonance Frequency: γB_z
- ALP mass: m_a

Decoherence Rate:

The decoherence rate determines the width of the atomic response to ALPs. Can be mHz-kHz (though exceptions exist). A small decoherence rate can be problematic due to slow response time.

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**Ultra Light ALP DM
generates magnetic-like
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- **Noble-Alkali Comagnetometers**

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- Spin-Based Magnetometry
 - Why Noble-Alkali?
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By measuring the spins of a “system”, we are also measuring the ALPs.

- **Conclusions**

Why Alkali?

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“Pump” laser polarizes the spins,
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Problem:

$SNR \propto \gamma$, and the gyromagnetic ratio of alkali metals is large.

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Noble gases have a gyromagnetic ratio which is smaller by 2-3 orders of magnitude!

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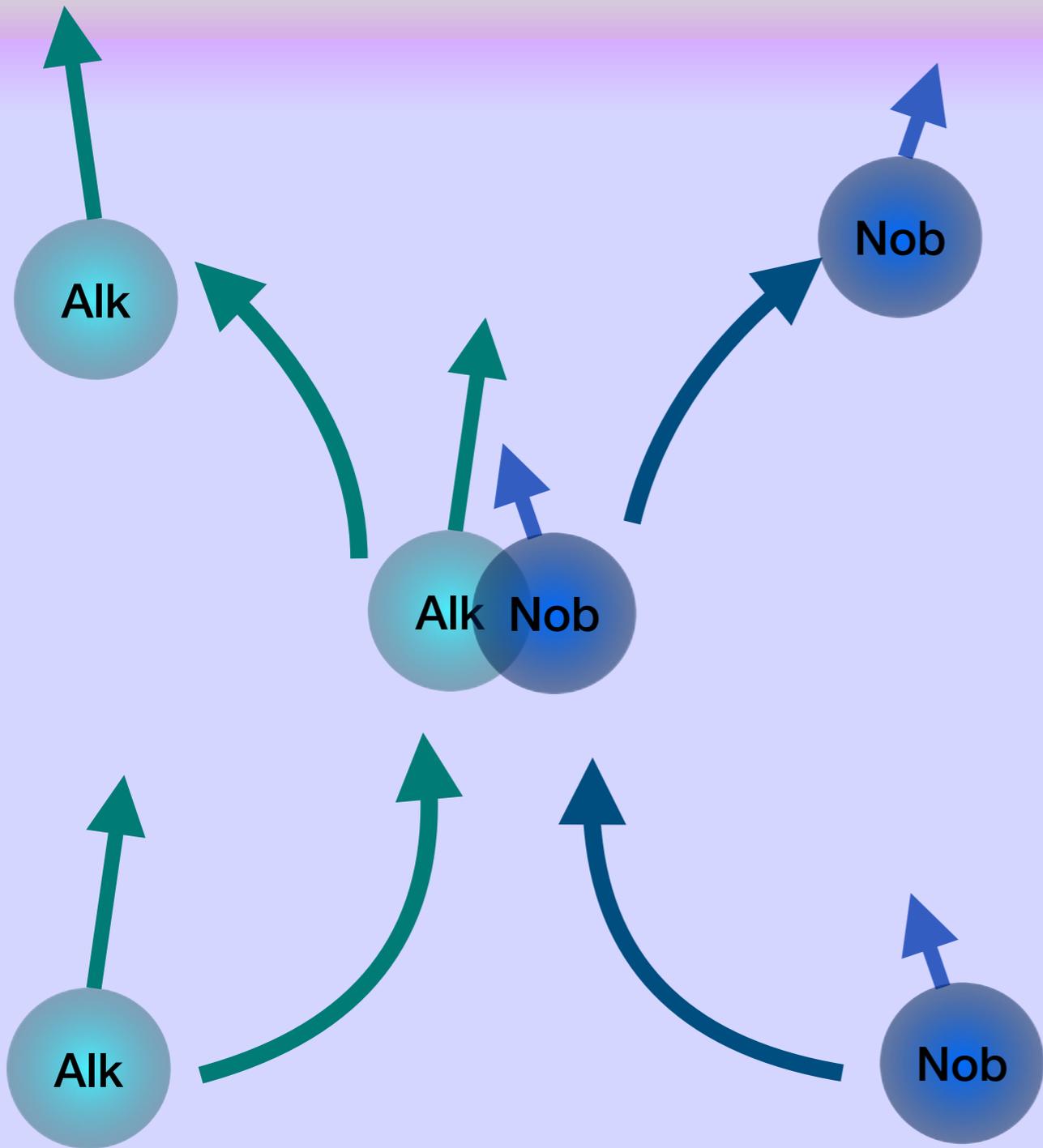
Noble gases do not interact with the lasers

but

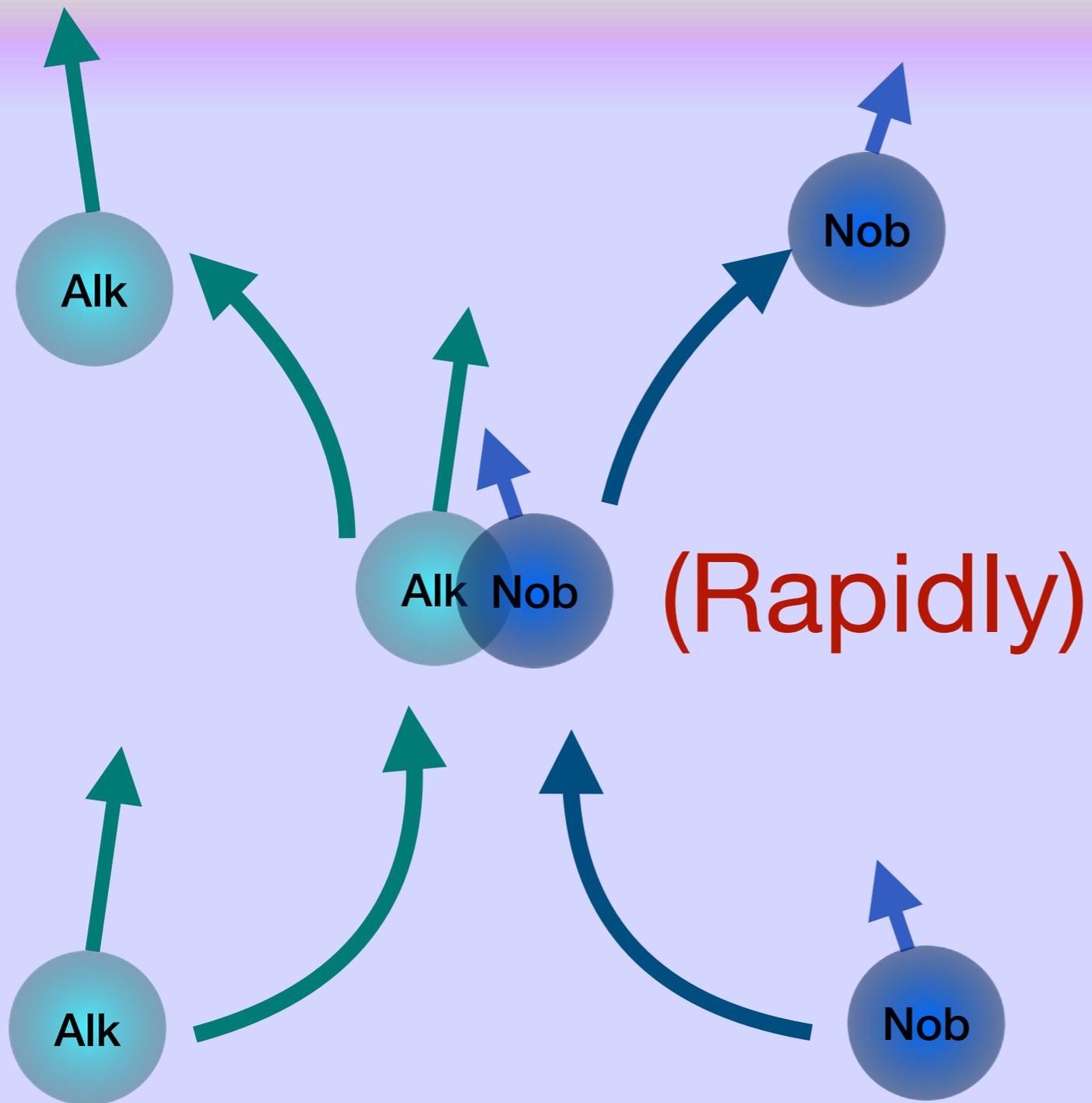
They can be both polarized, and measured by Alkali spins.

Spin Exchange: Polarizing $S_{\text{Nob},z}$

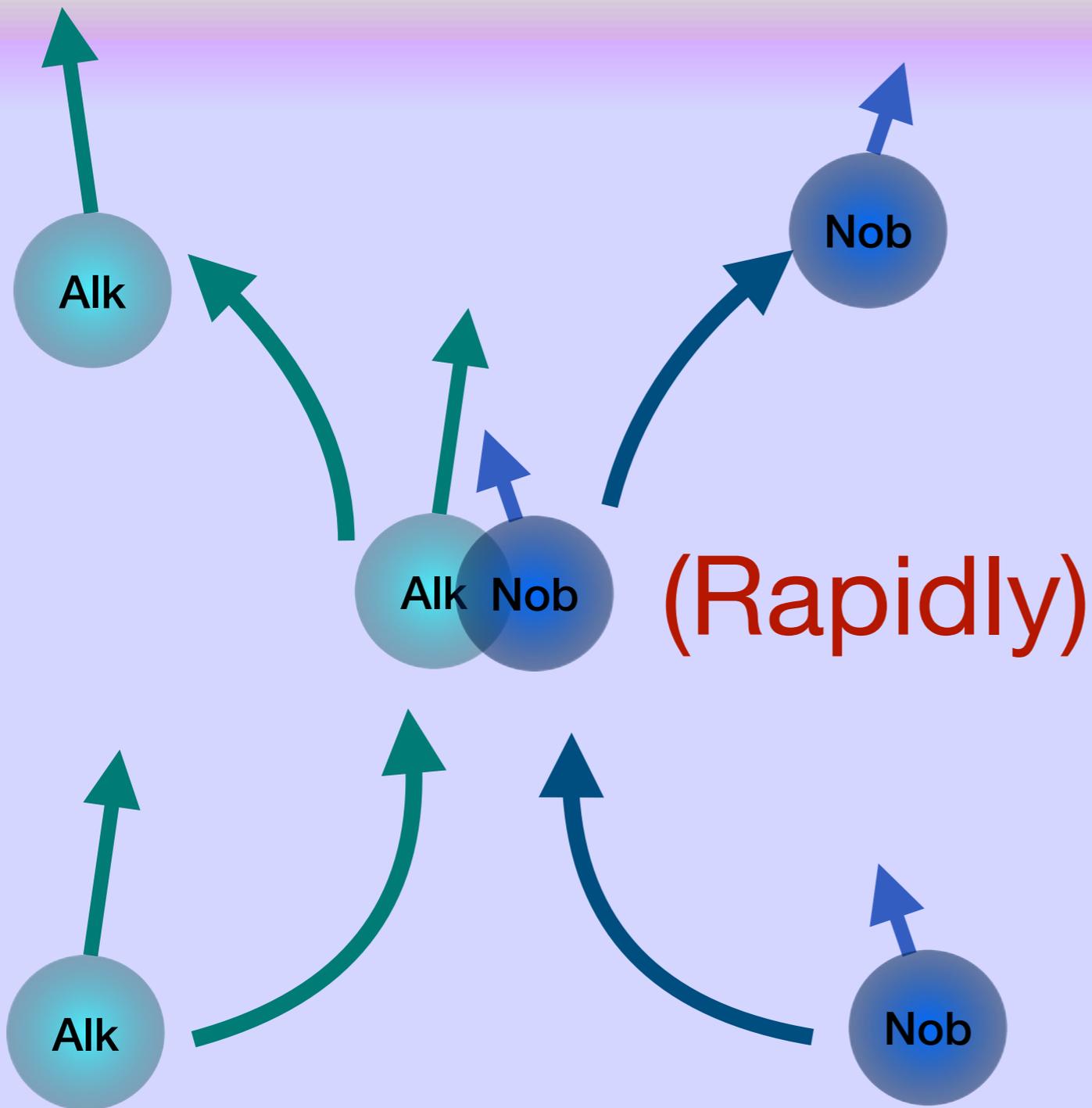
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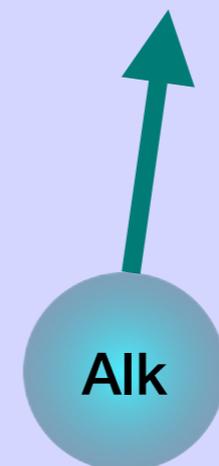
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Spin passed from one atom to the other during collision:

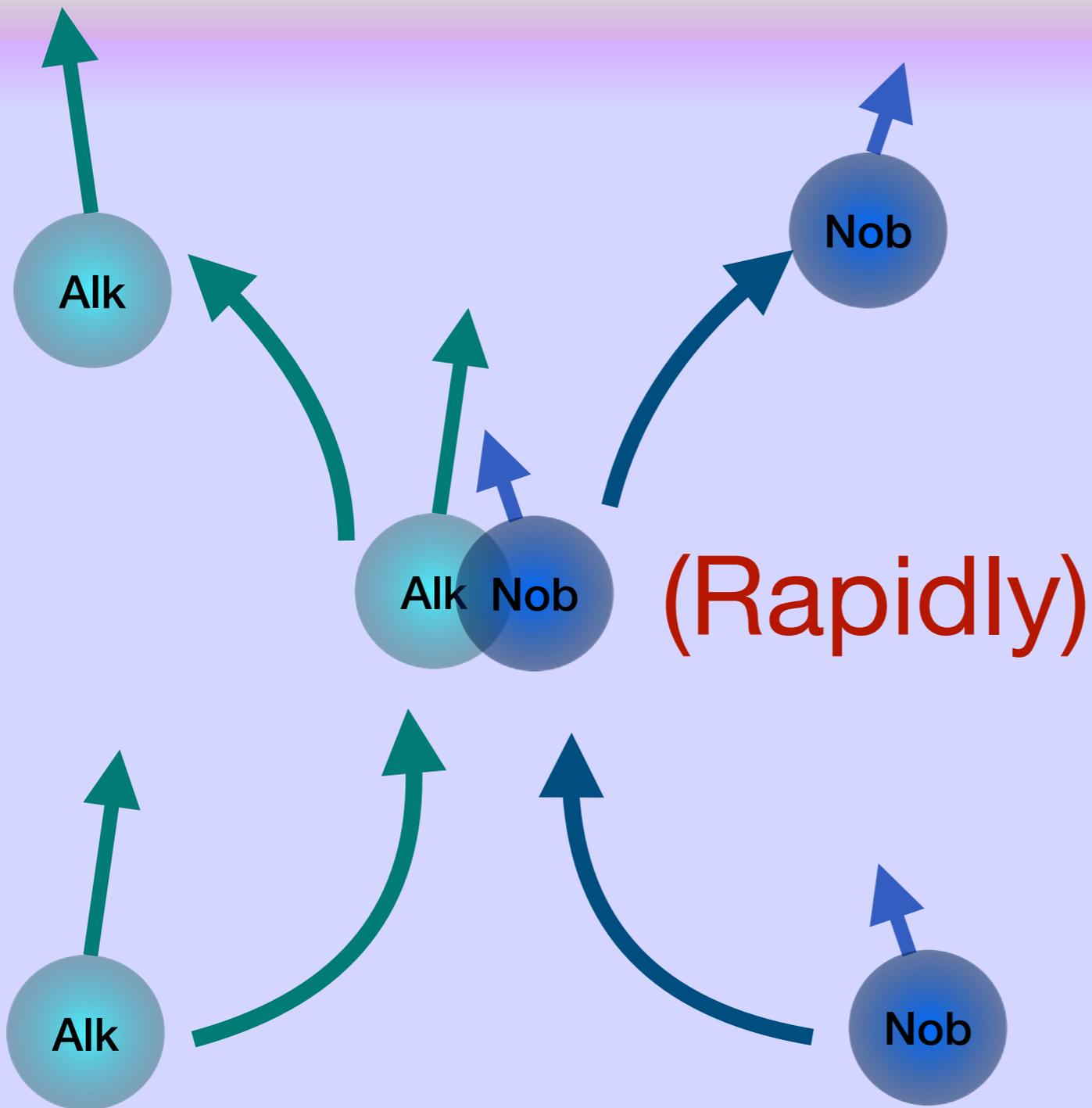


$R_{\text{induced on Alk}} \propto S_{\text{Nob}}$

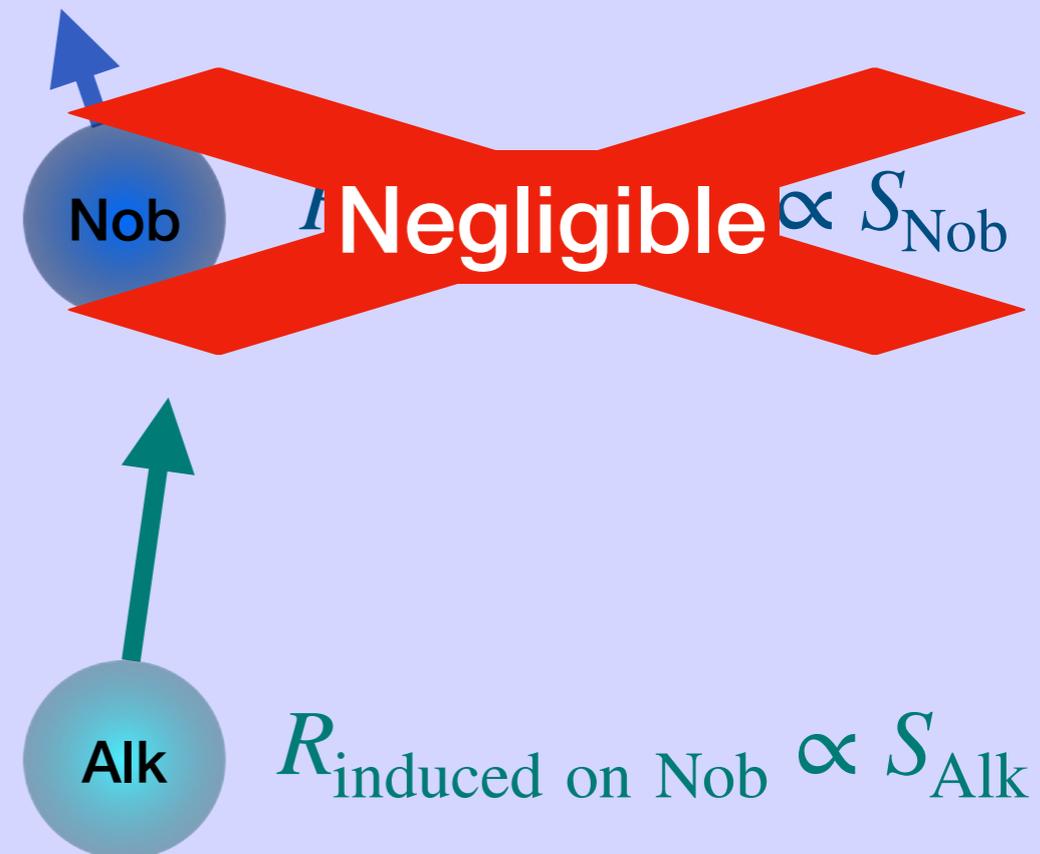


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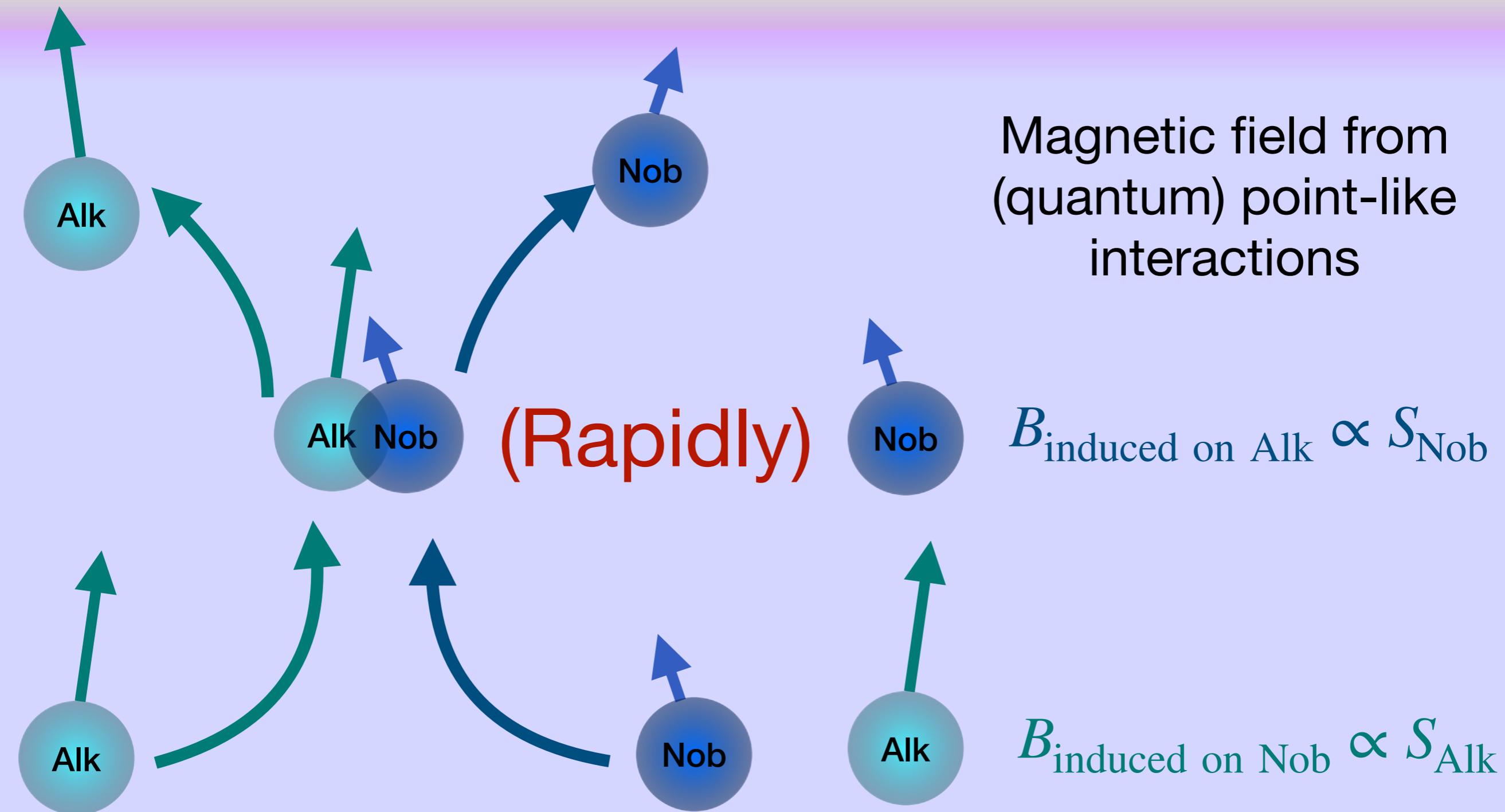
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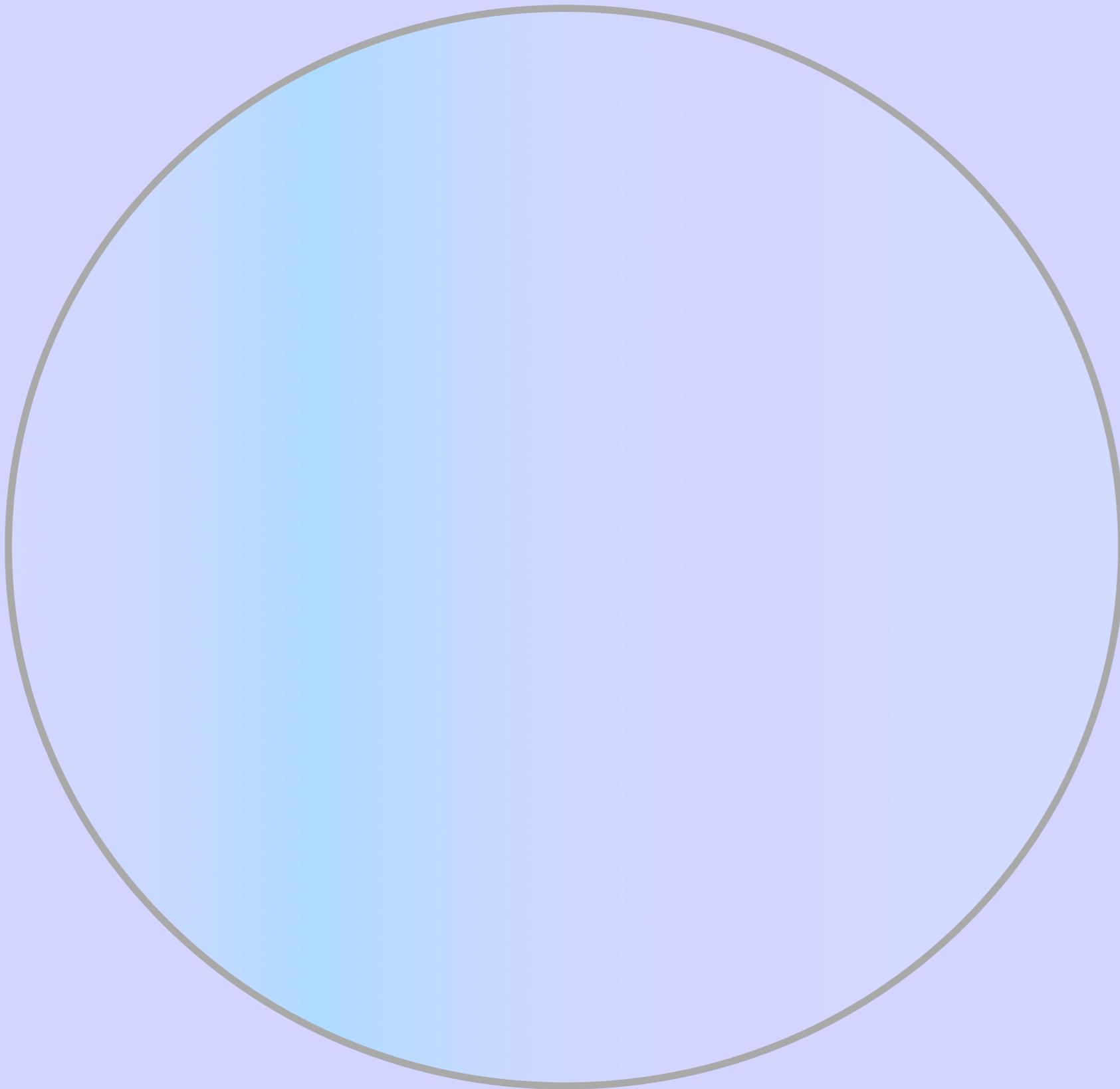
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Spin Exchange: “Measuring” $S_{\perp, \text{Nob}}$



Comagnetometer Ingredients List



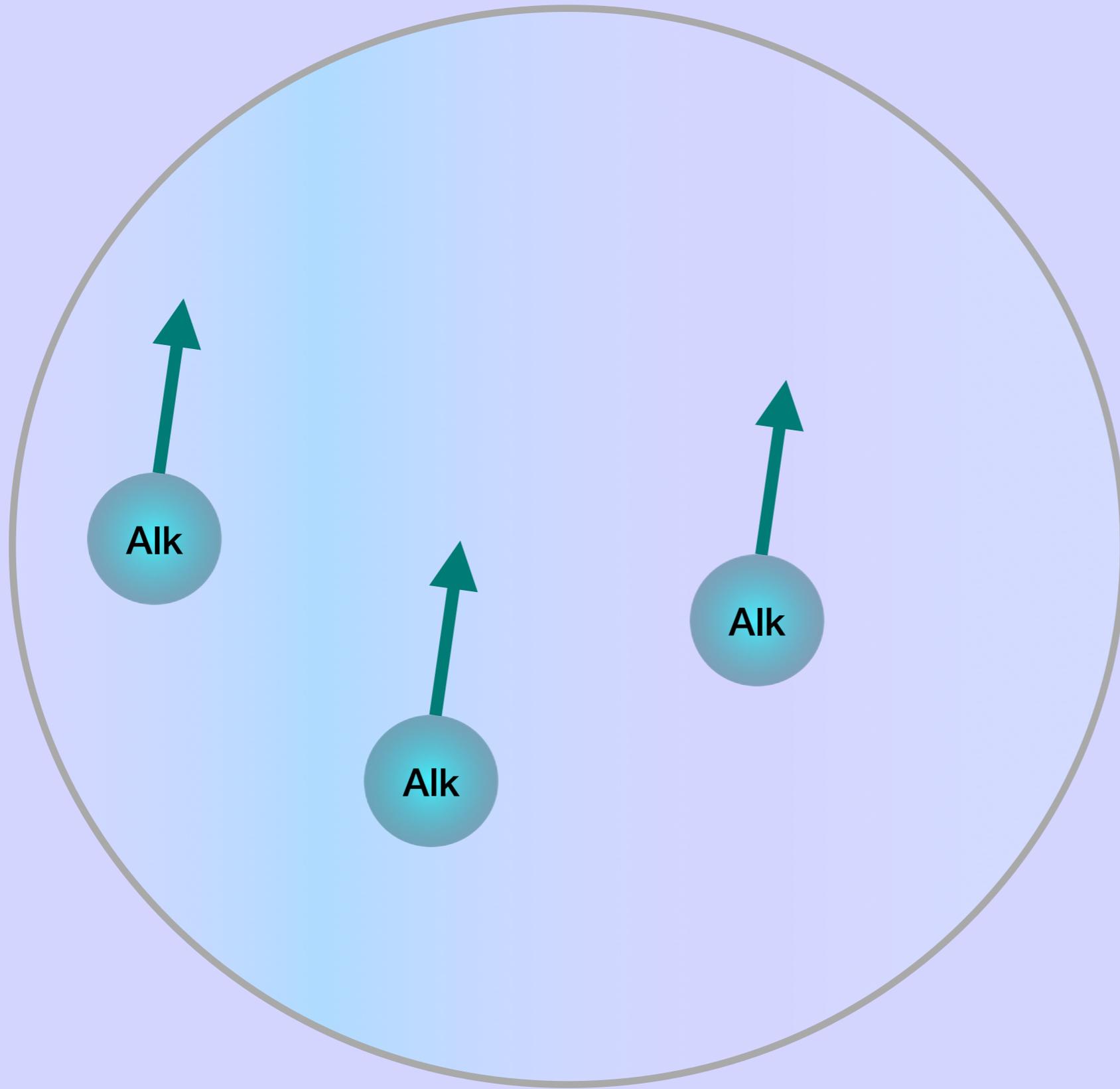
**Comagnetometer
Ingredients List**

Glass Cell

Comagnetometer Ingredients List

Glass Cell

Alkali Vapor

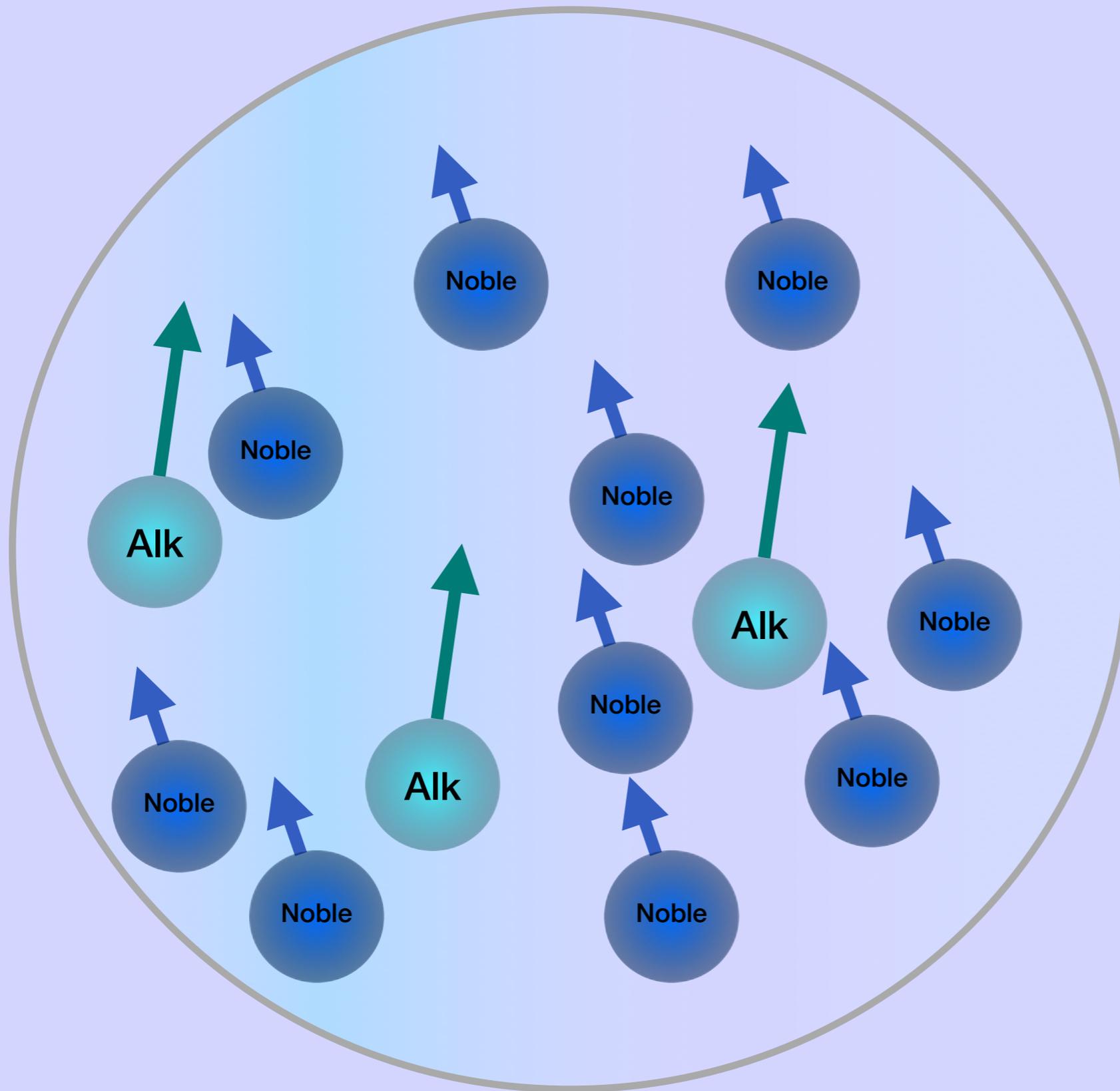


Comagnetometer Ingredients List

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Alkali Vapor

Noble Gas

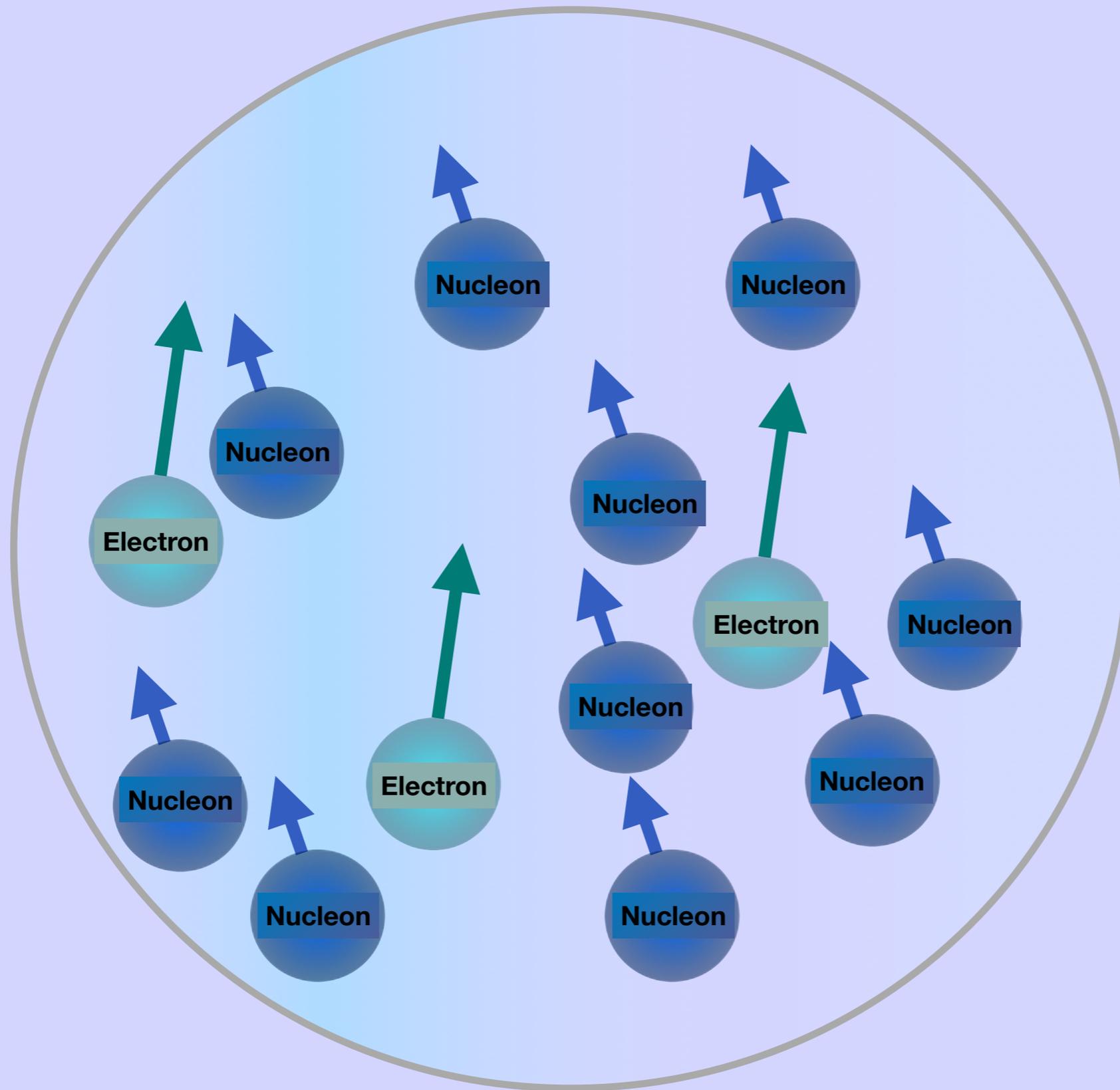


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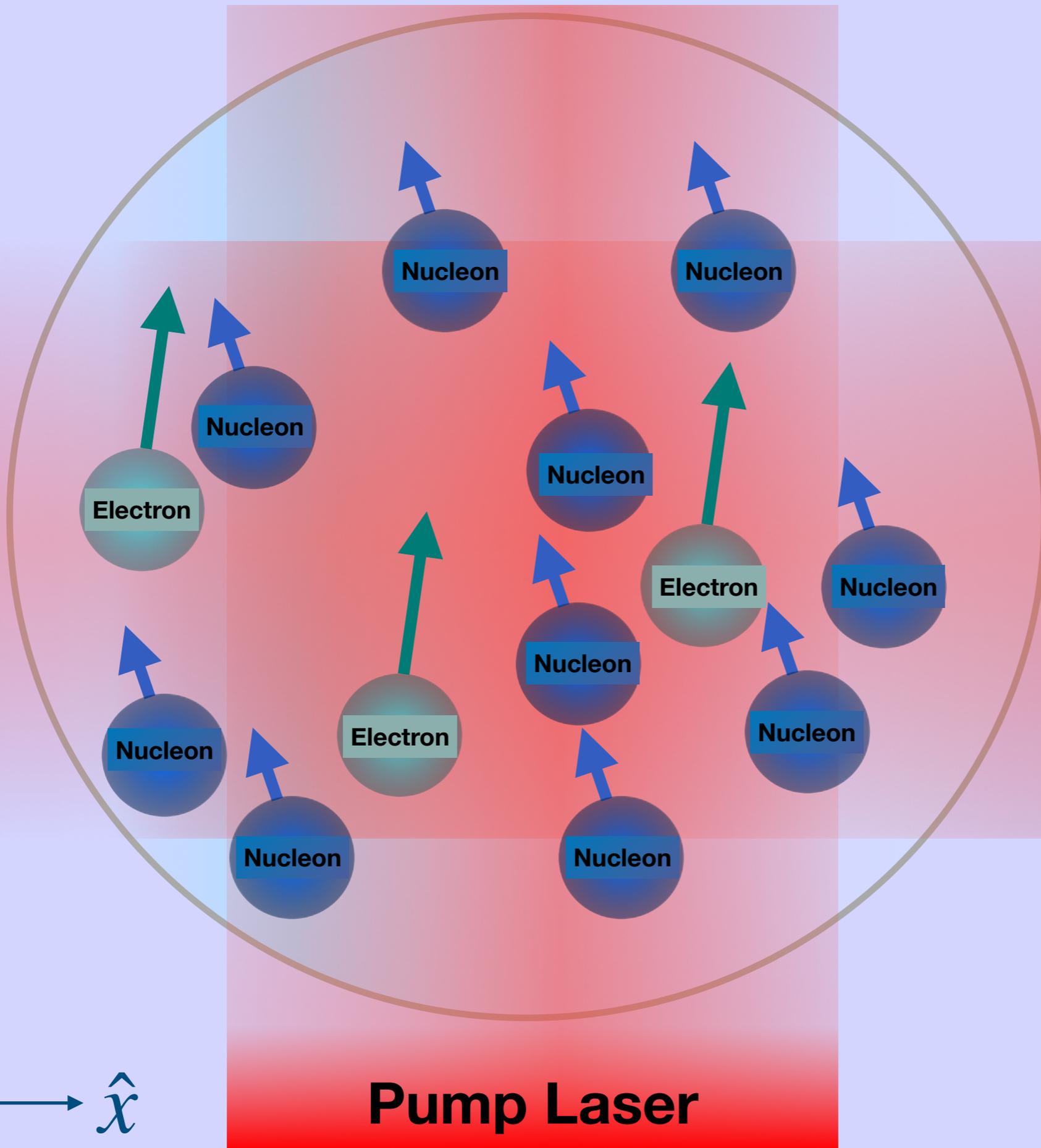
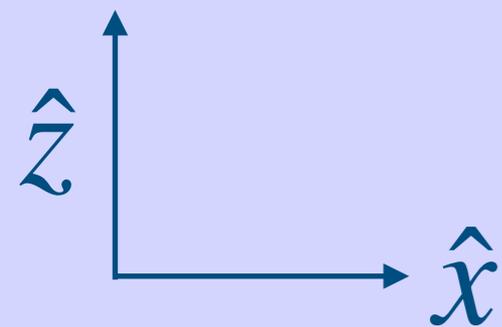
Glass Cell

Alkali Vapor

Noble Gas



Probe Laser



Pump Laser

Comagnetometer
Ingredients List

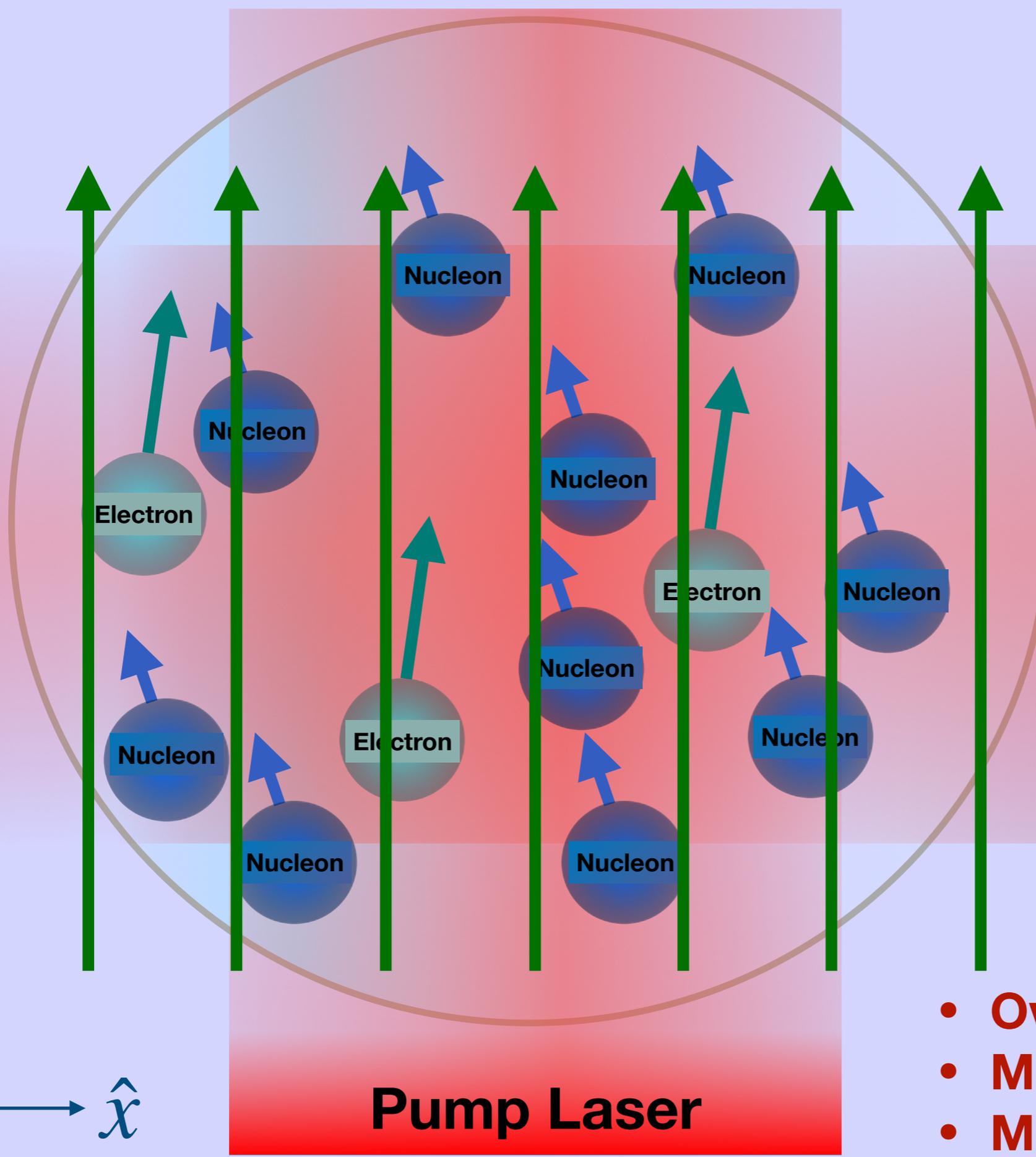
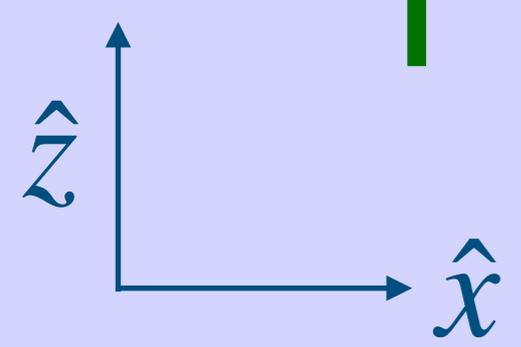
- Glass Cell
- Alkali Vapor
- Noble Gas
- Lasers

Polarization measurement

B_z

Comagnetometer Ingredients List

Probe Laser



- Glass Cell**
- Alkali Vapor**
- Noble Gas**
- Lasers**

Polarization measurement

Misc:

- **Oven**
- **Magnetic Shields**
- **Magnetic Coils**
- **Optical Components**

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Magnetometers can measure ALPs. Alkali magnetometers are easy to work with, while Noble magnetometers are more sensitive.

- **Conclusions**

“Compensation Point” Comagnetometer

[IMB, Y. Hochberg, E. Kuflik, T. Volansky. arxiv:1907.03767]

Response to Magnetic Noise

Response to Magnetic Noise

$$S_{\text{Alk}}(\omega = m_a) = \frac{\text{signal} + \gamma_{\text{Alk}} S_{z,\text{Alk}} B_{\perp,\text{Alk}}}{(\gamma_{\text{Alk}} B_{z,\text{Alk}} - m_a) + i\Gamma_{\text{Alk}}}$$

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$$B_{\perp,\text{Alk}} = B_{\perp,\text{noise}} + 2\lambda M_{\text{Nob}} S_{\perp,\text{Nob}} / S_{\text{Nob},z}$$

Response to Magnetic Noise

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For $\Gamma_{\text{Nob}} \approx 0, m_a \approx 0$, $B_{z,\text{Nob}}$ is tunable
such that $\partial_{B_{\perp,\text{noise}}} S_{\text{Alk}} = 0$

The Compensation Point

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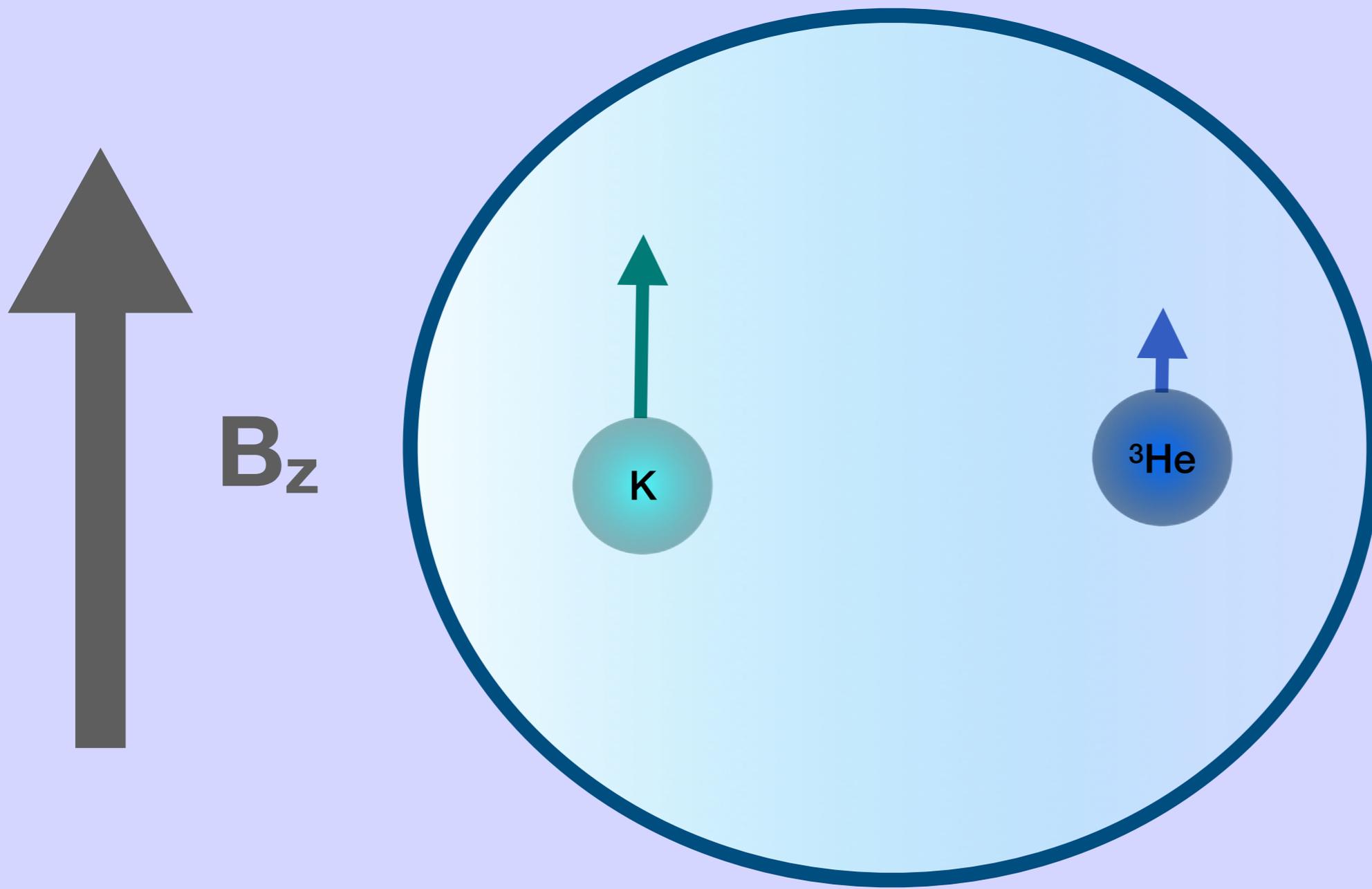
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Let's illustrate

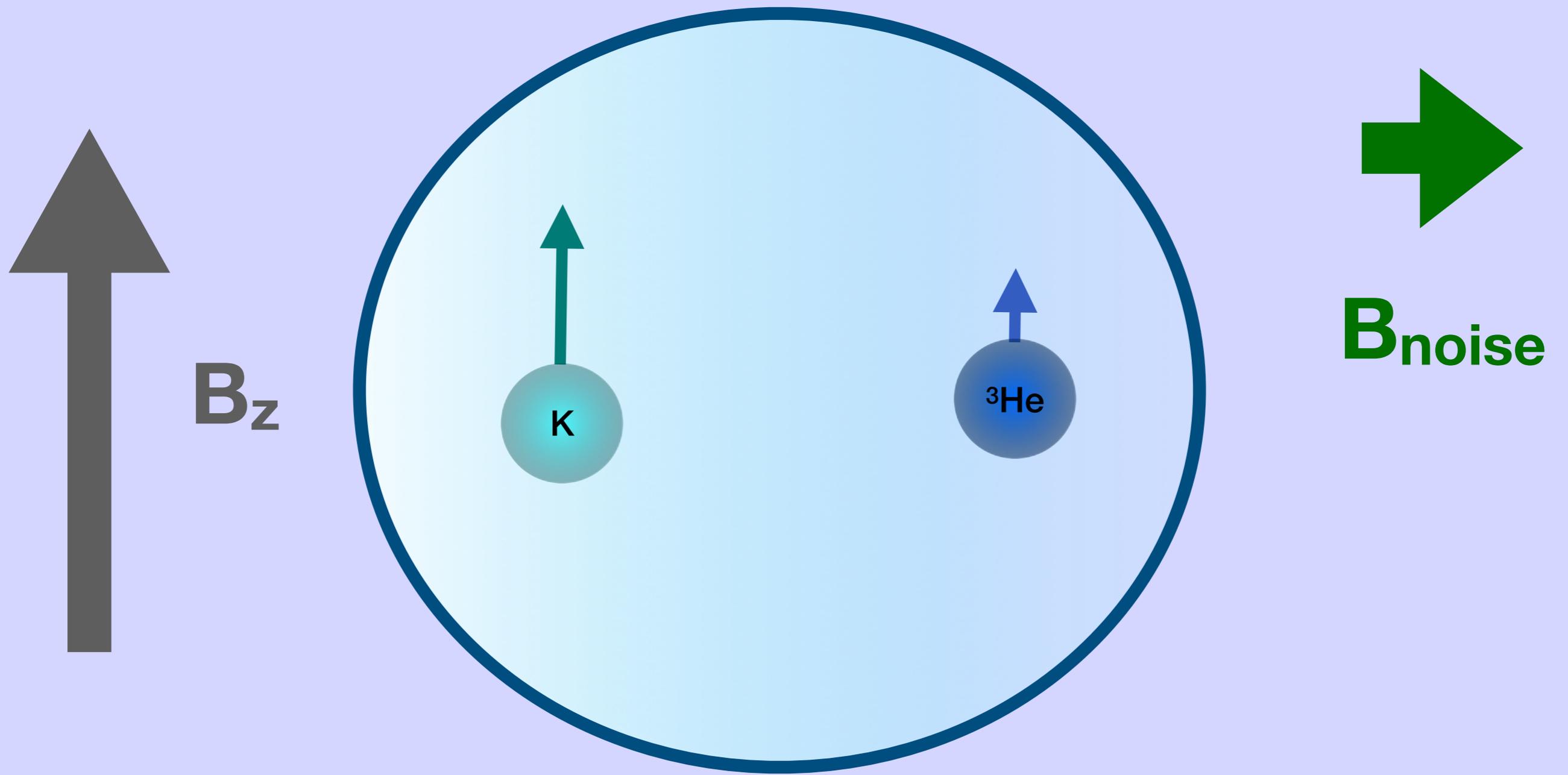
Compensation Point Illustration (B)

* A 2D heuristic illustration, so some artistic freedom was taken.



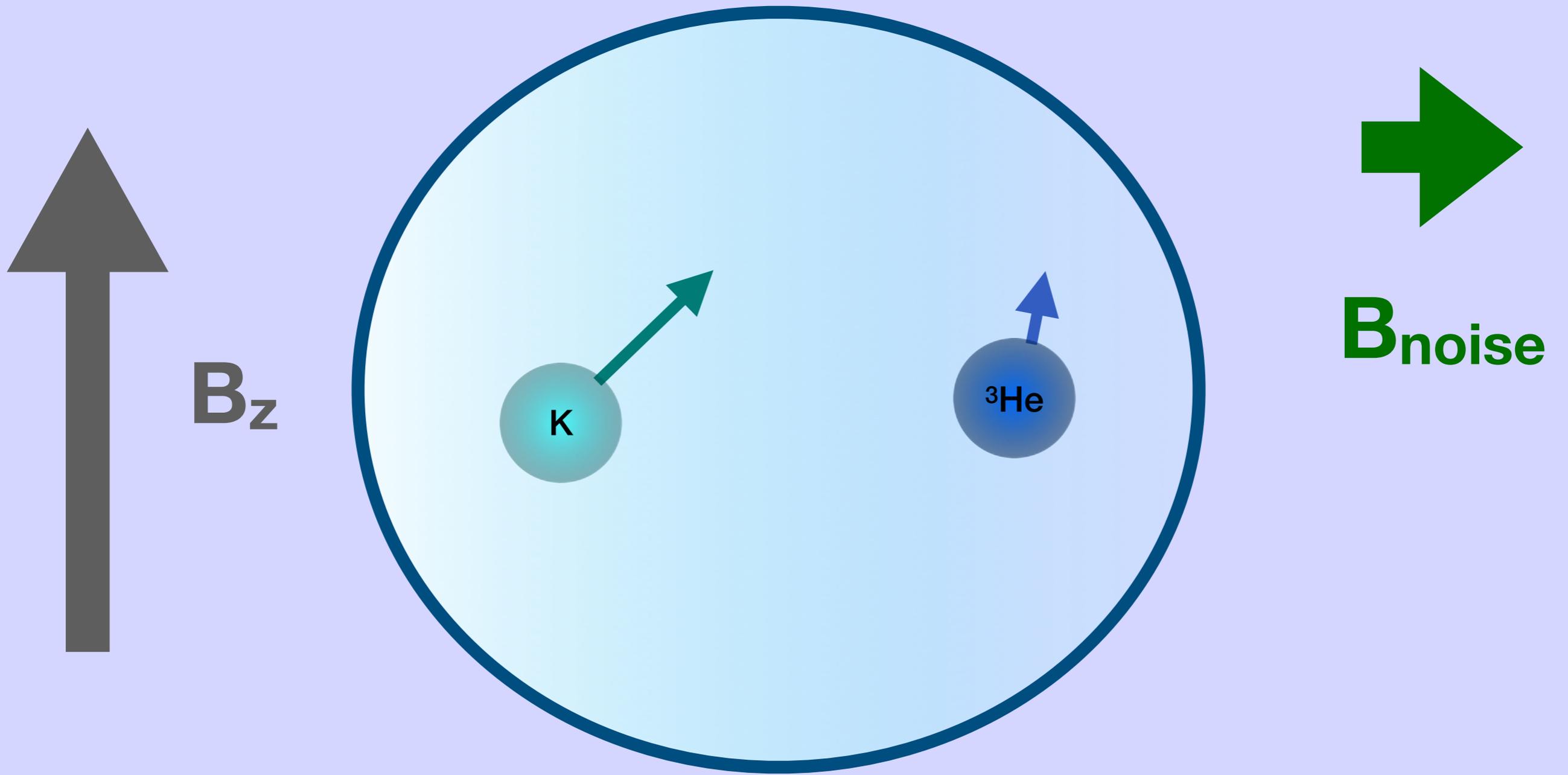
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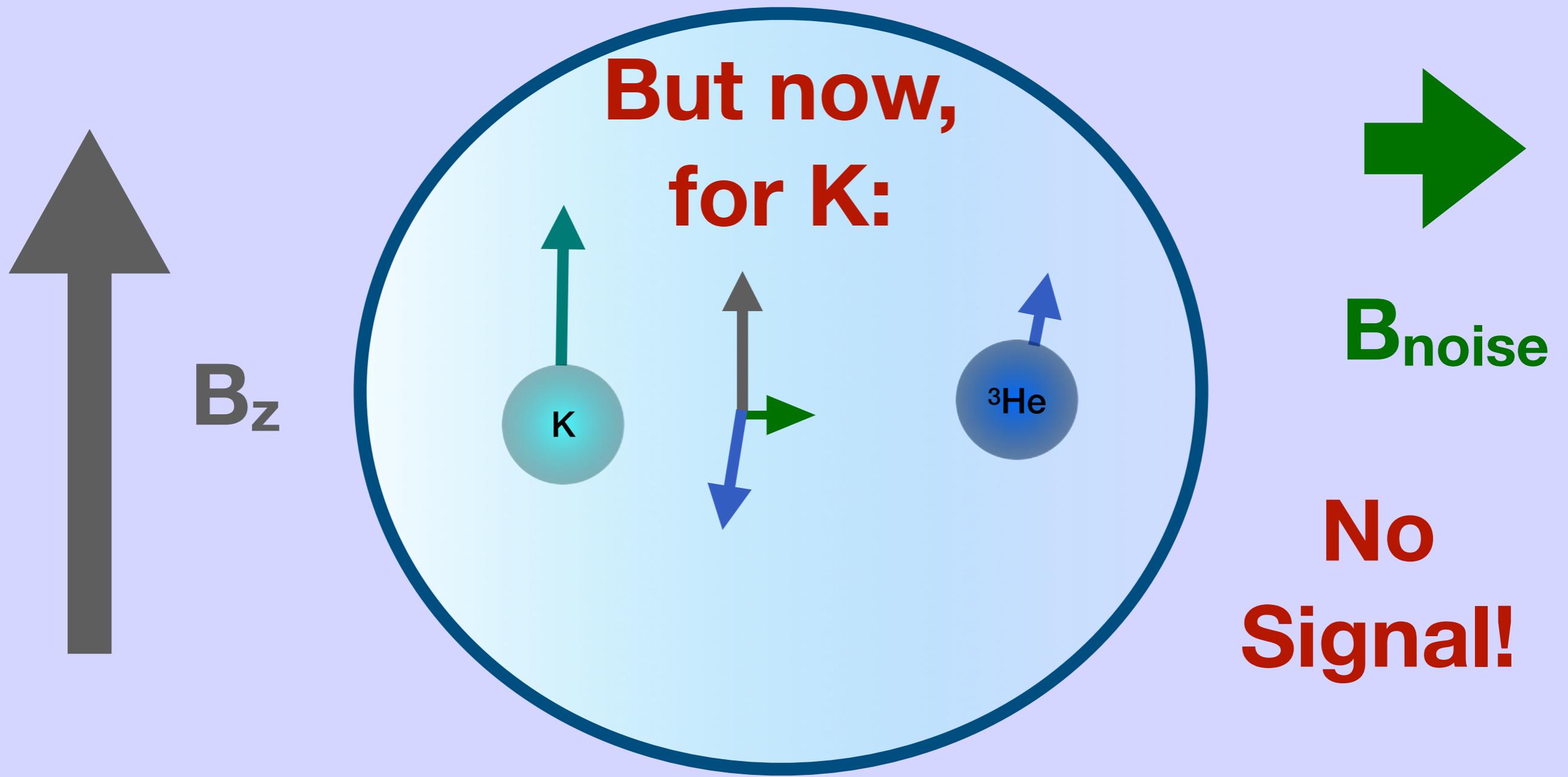
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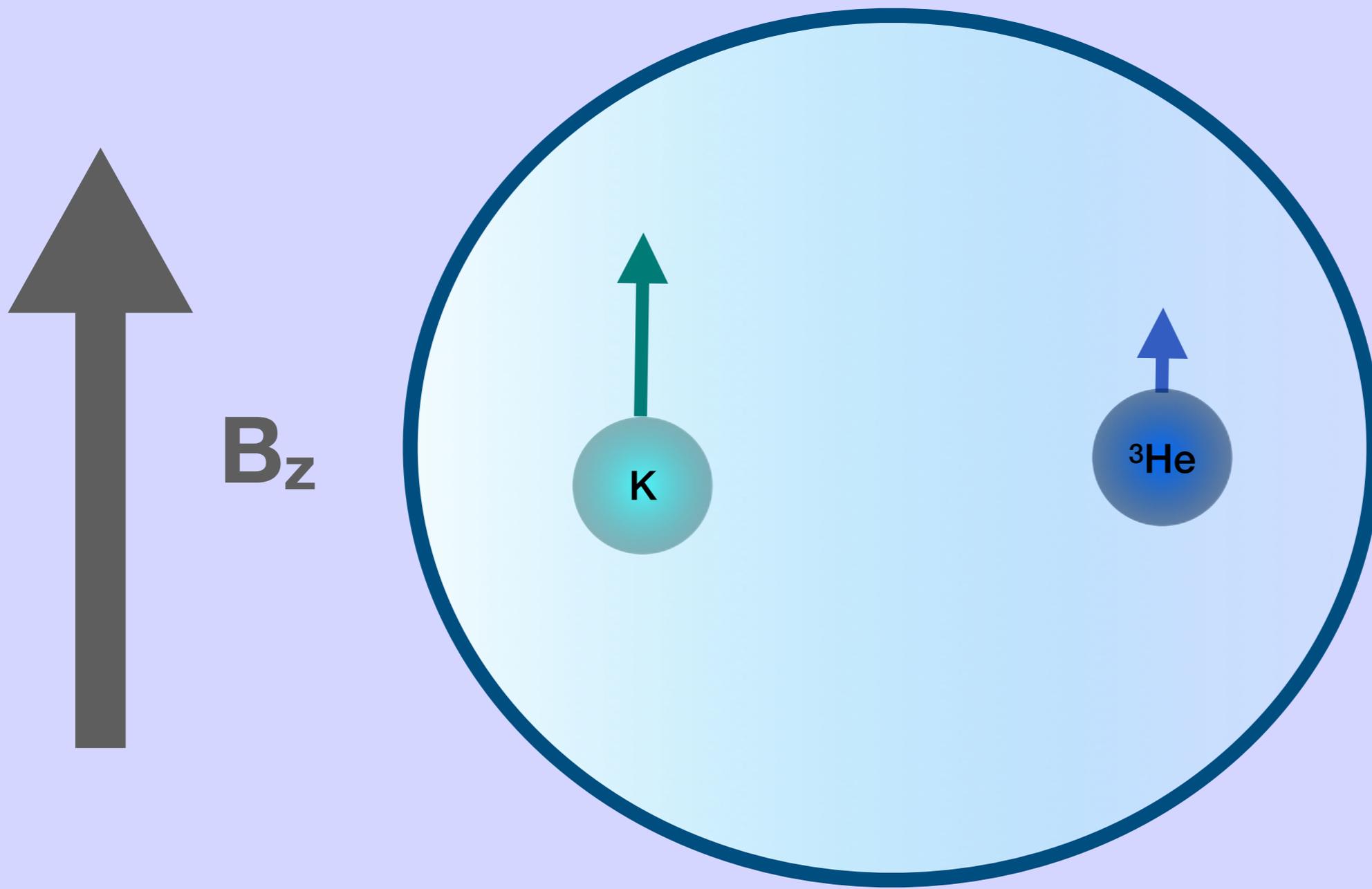
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$$S_K^\perp \propto \gamma_K B_{\text{tot}}^\perp = \gamma_K B_{\text{ind}}^\perp + \gamma_K B_{\text{noise}}^\perp = 0!$$

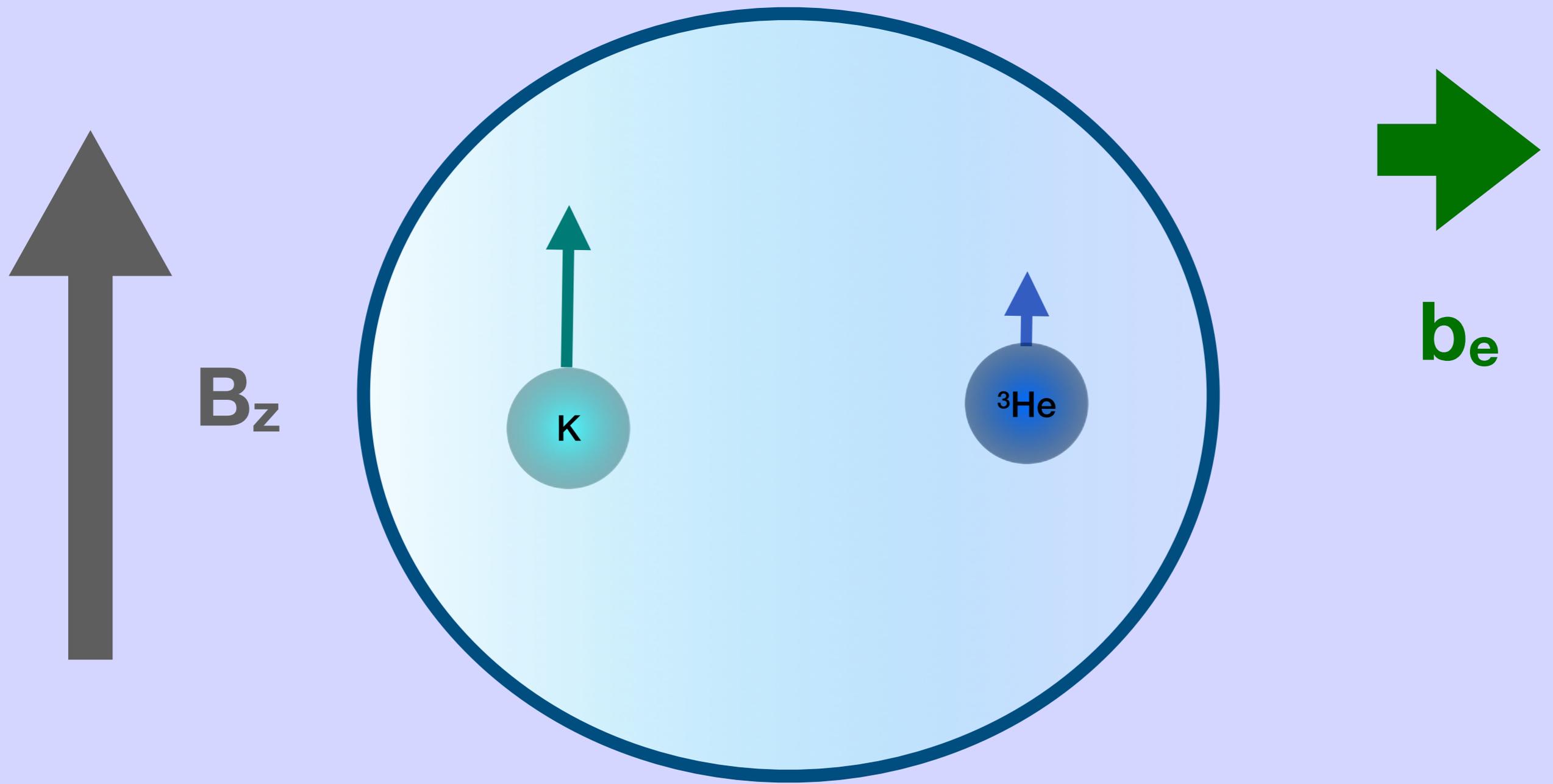
Compensation Point Illustration (b_e)

* A 2D heuristic illustration, so some artistic freedom was taken.



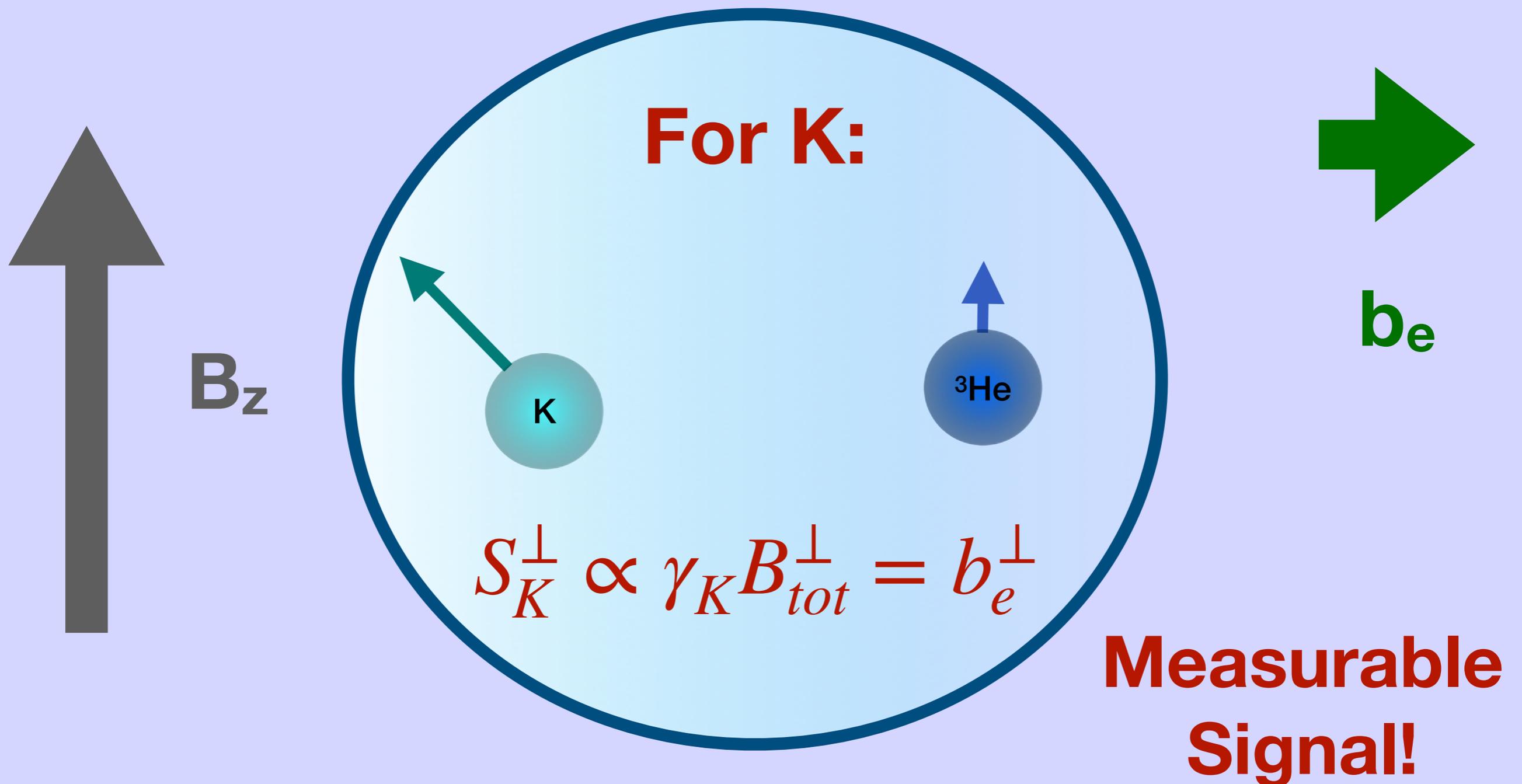
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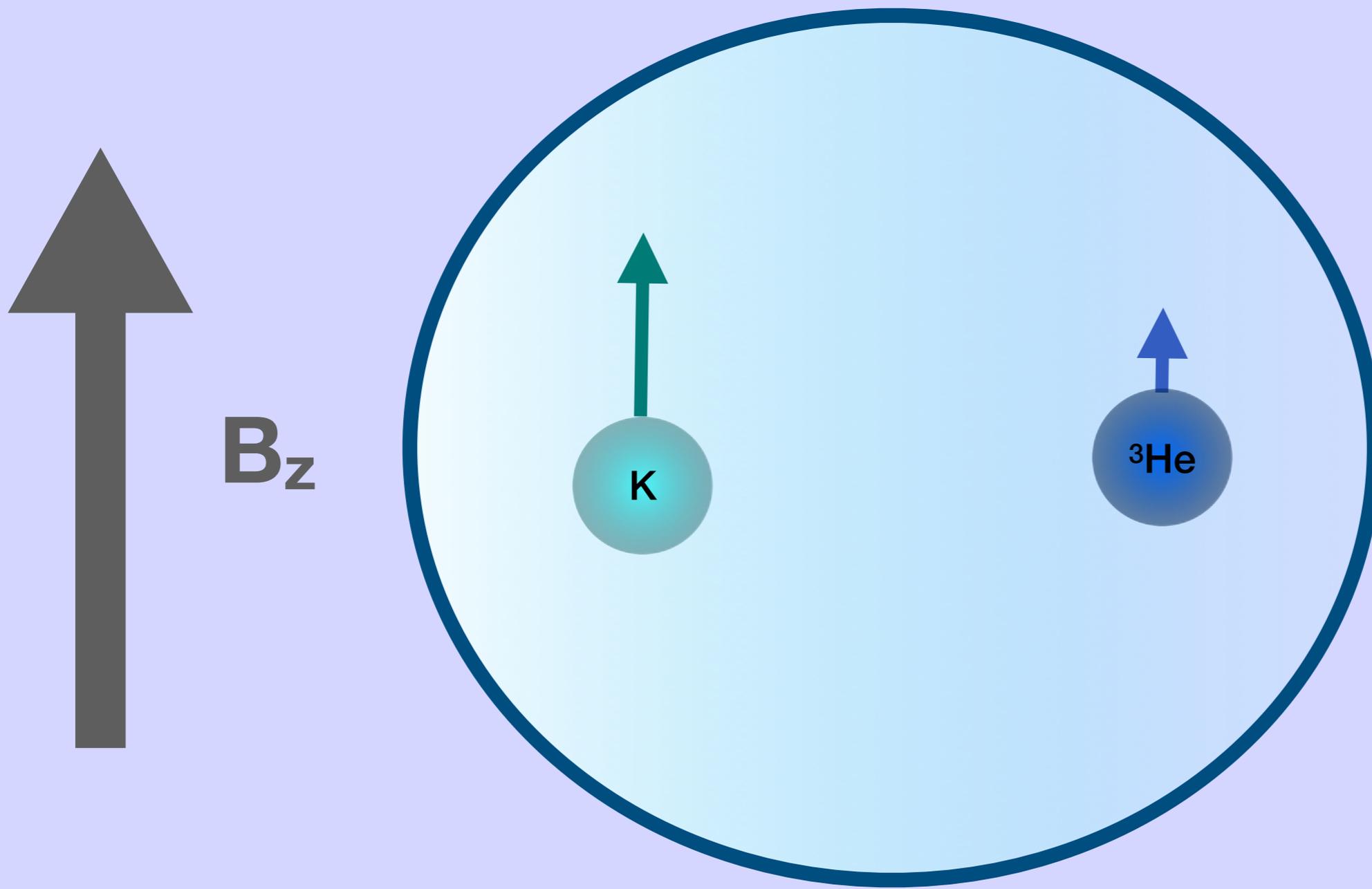
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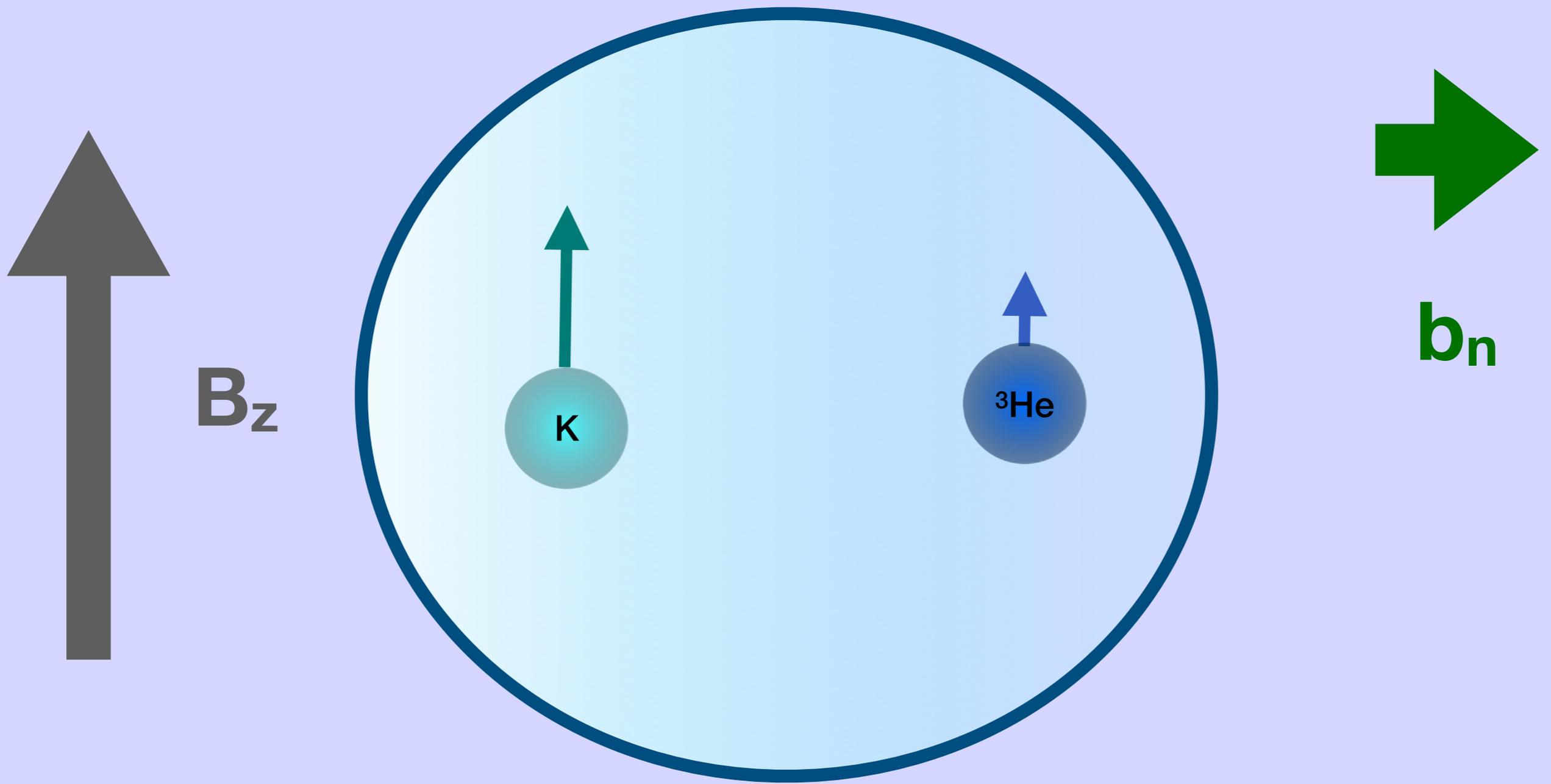
Compensation Point Illustration (b_n)

* A 2D heuristic illustration, so some artistic freedom was taken.



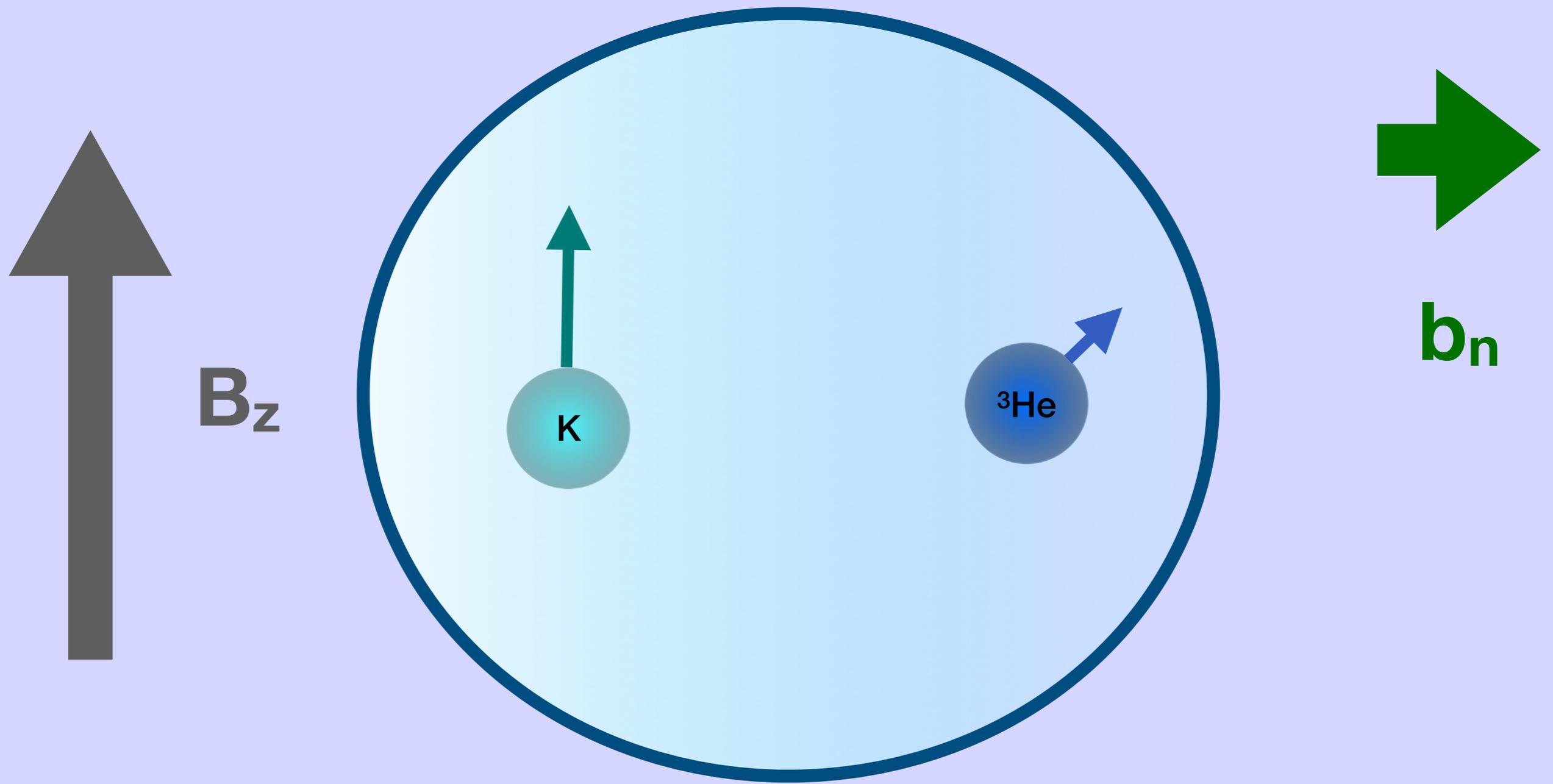
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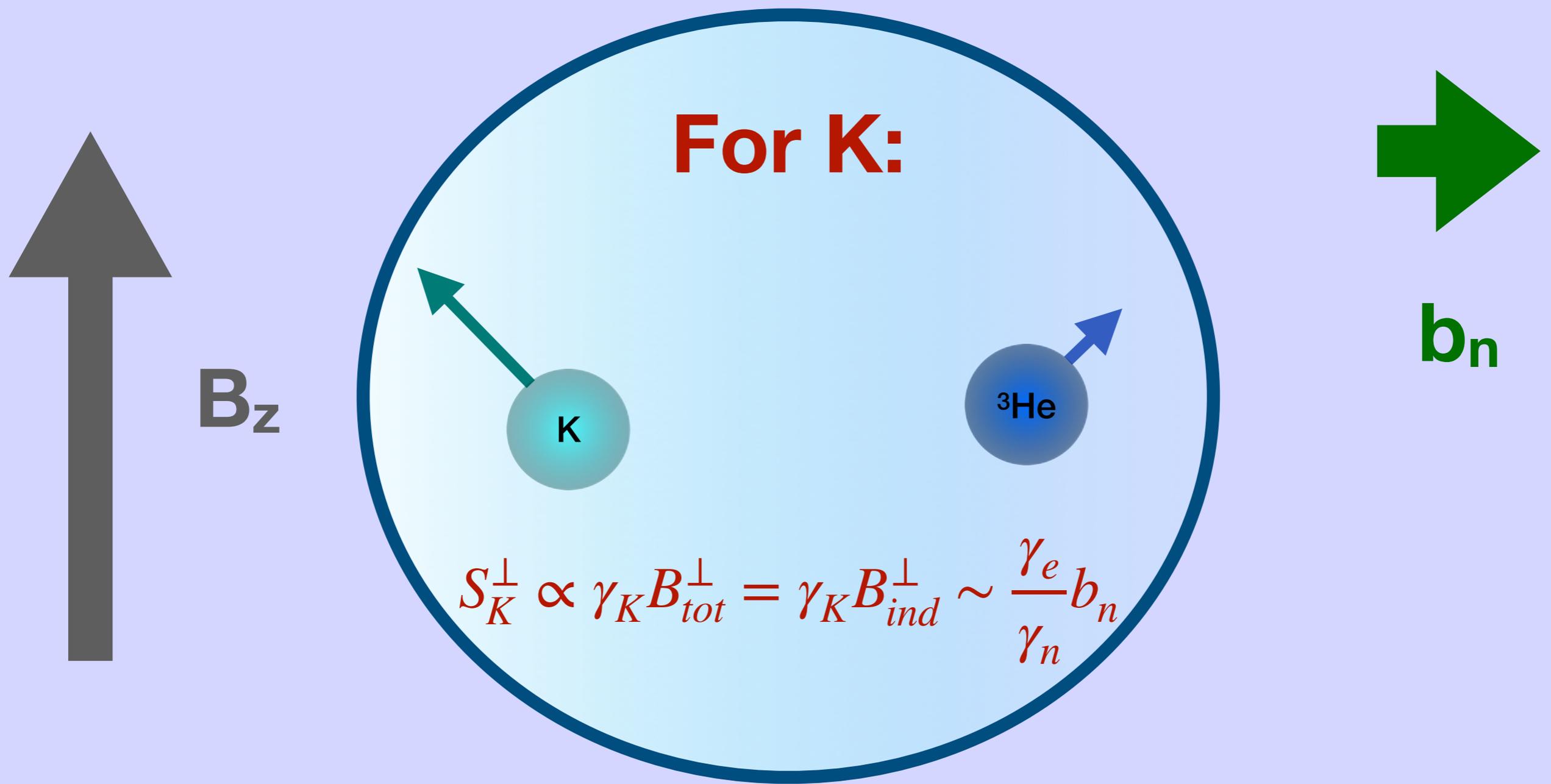
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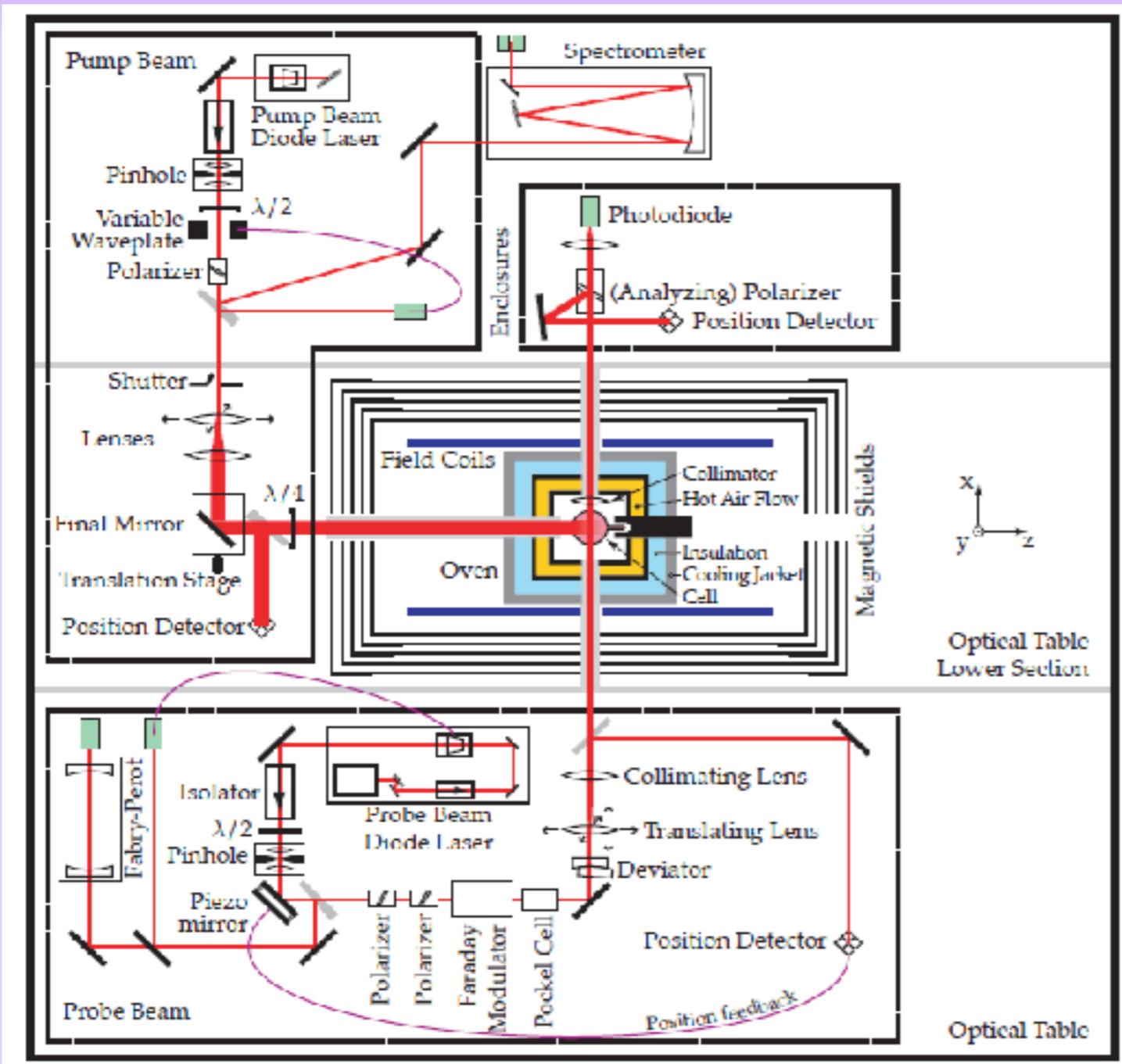
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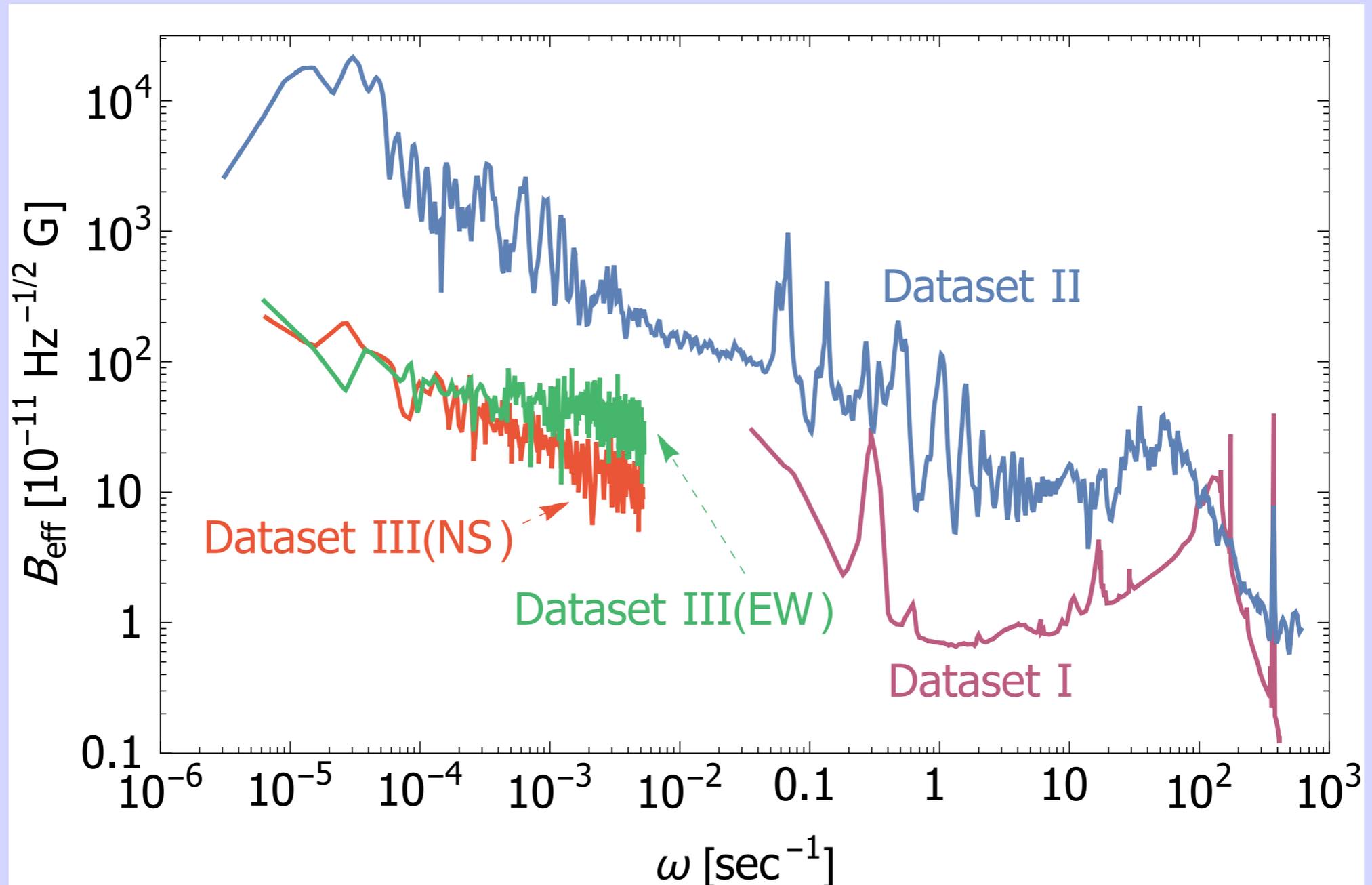
Measurable, Enhanced Signal!

The Romalis Group Comags

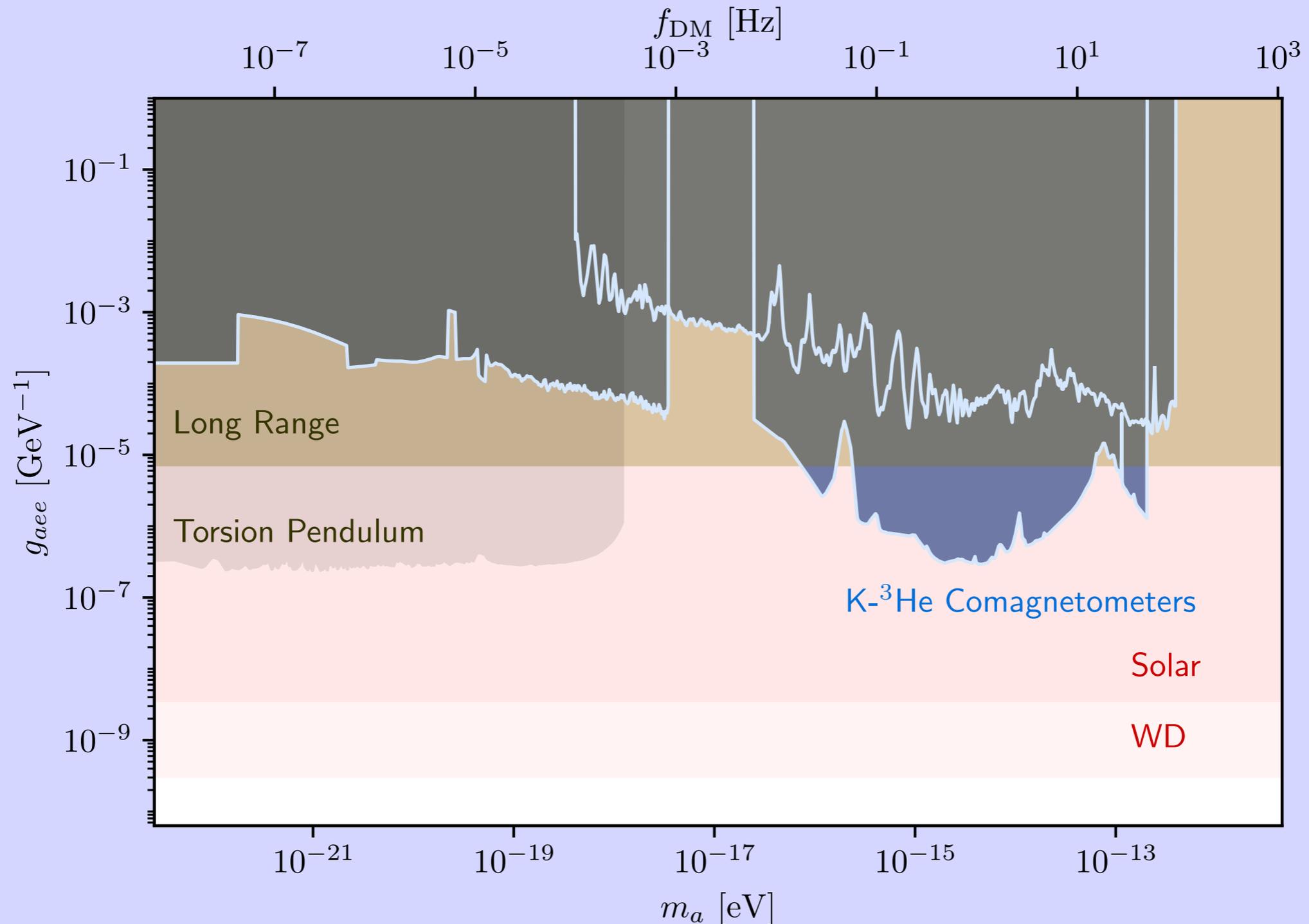


[Gergoios Vasilakis Dissertation 2011], [Justin M. Brown Dissertation 2011], [Thomas W. Kornack Dissertation 2005]

Old Data

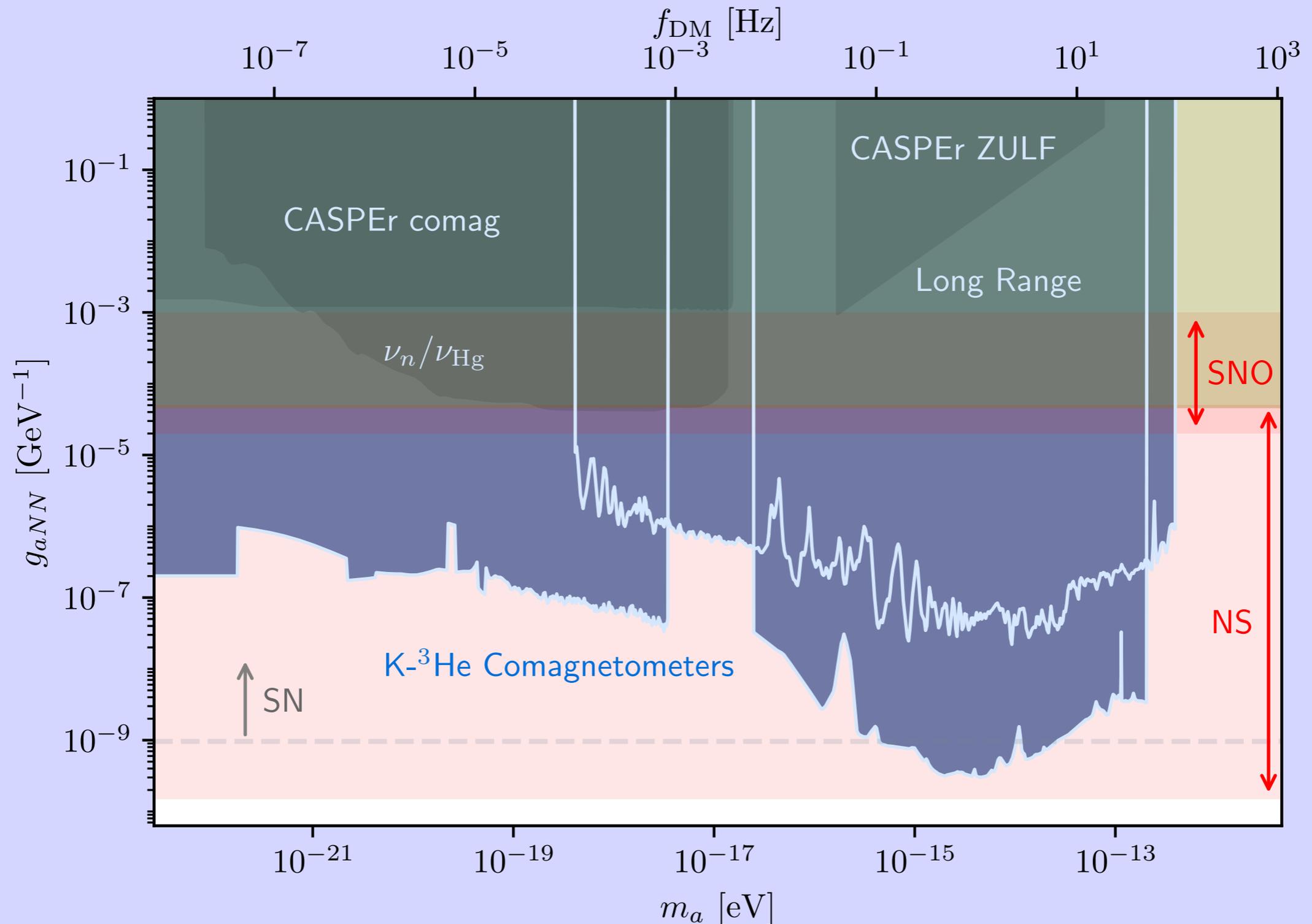


Results (e)

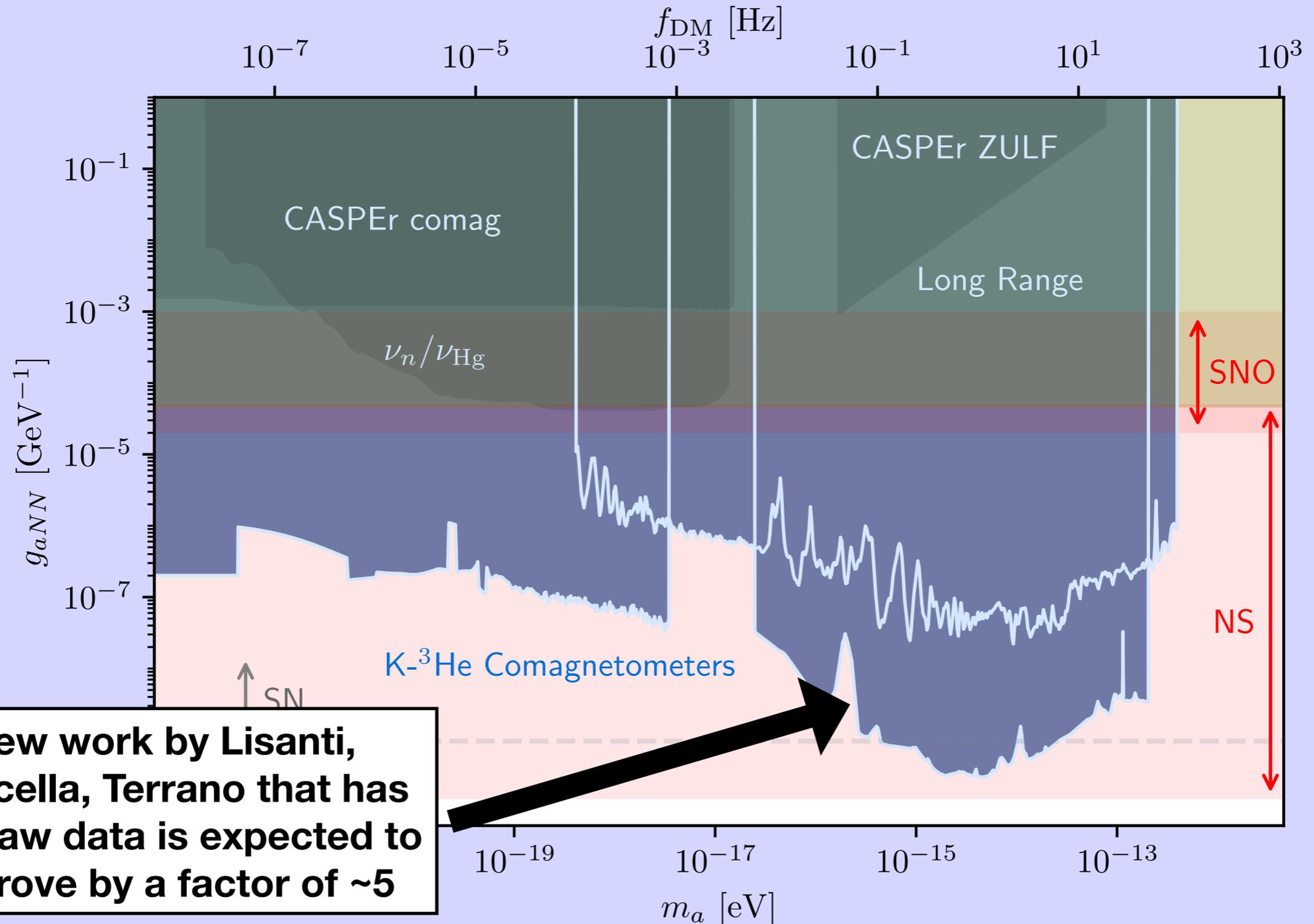


[Y. Hochberg, E. Kuflik, T. Volansky, *IMB 1907.03767*. W. A. Terrano, *et al.*:1508.02463, LUX Collaboration:1704.02297, M. M. M Bertolami, *et al.*:1406.7712, W. A. Terrano, *et al.*: 1902.04246, G. Vasilakis, Dissertation: 2011, J. M. Brown, Dissertation: 2011, T. W. Kornack Dissertation: 2005].

Results (n)

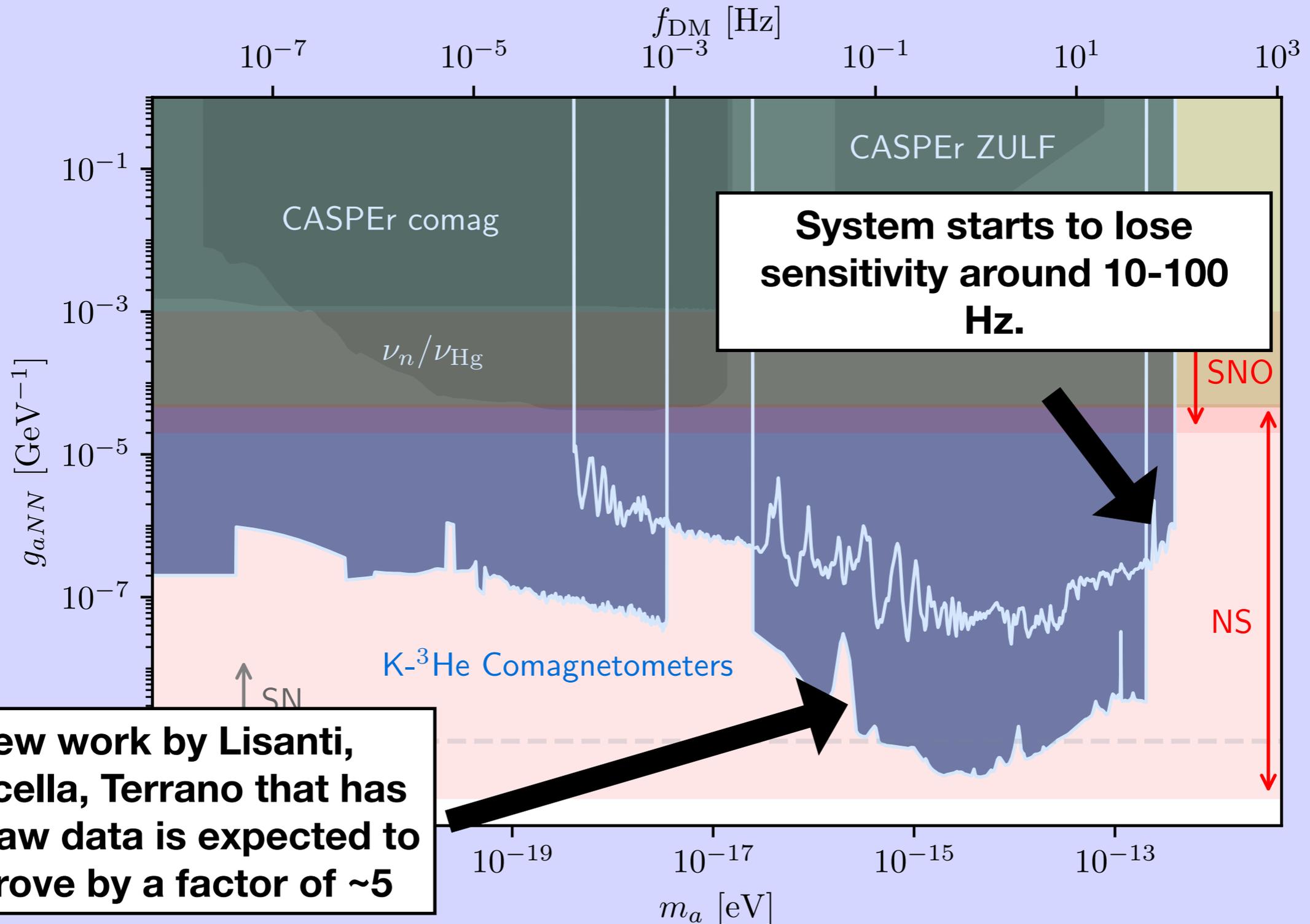


Results (n)



New work by Lisanti, Moscella, Terrano that has the Raw data is expected to improve by a factor of ~5

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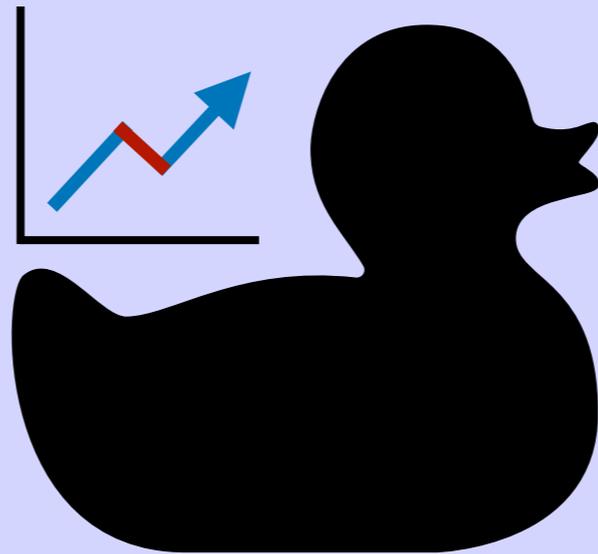
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[Y. Hochberg, E. Kuflik, T. Volansky, IMB 1907.03767, T. Wu *et al.*:1901.10843, C. Abel *et al.*:1708.06367, M. V. Beznogov *et al.*:1806.07991, CASPEr Collaboration: 1902.04644, P. W. Graham *et al.*:1709.07852, G. Vasilakis, Dissertation: 2011, J. M. Brown, Dissertation: 2011, T. W. Kornack Dissertation: 2005]

Noble and Alkali Spin Detectors for Ultralight Coherent dark matter

[**IMB**, Y. Hochberg, O. Katz, O. Katz
E. Kuflik, G. Ronen, R. Shaham, T. Volansky. 2105.04603, and a bit of 22YY.XXXX]

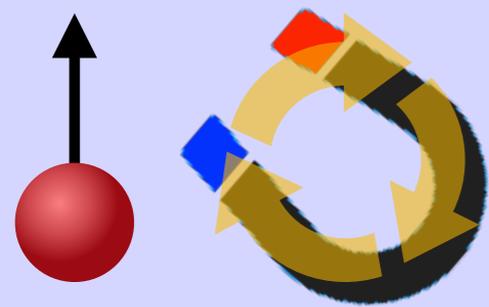
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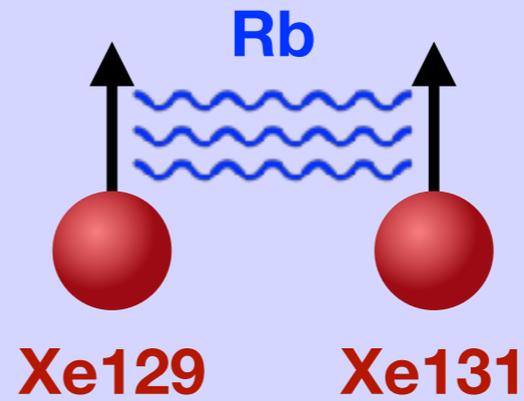
NASDUCK

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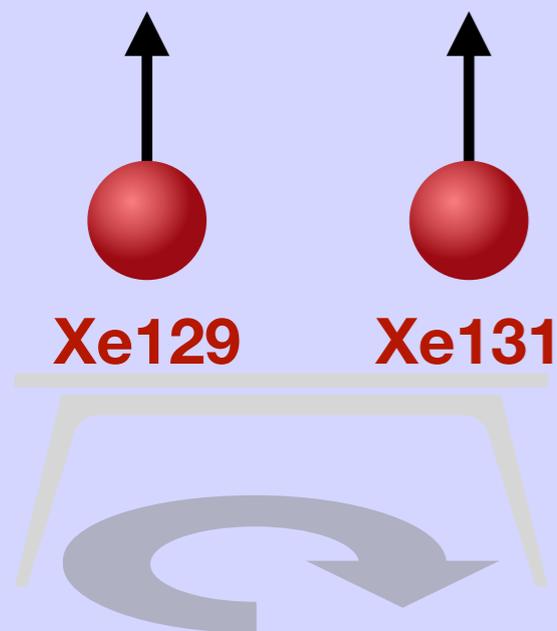
NASDUCK Experiments



NASDUCK Floquet
[NASDUCK, 2105.04603]

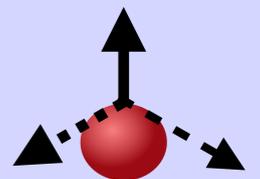
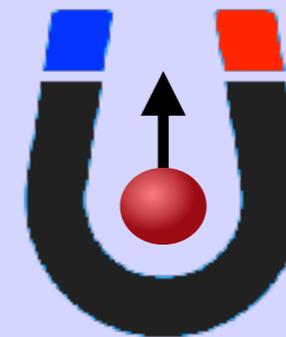
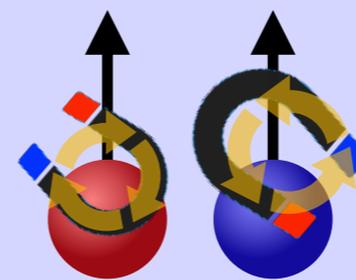


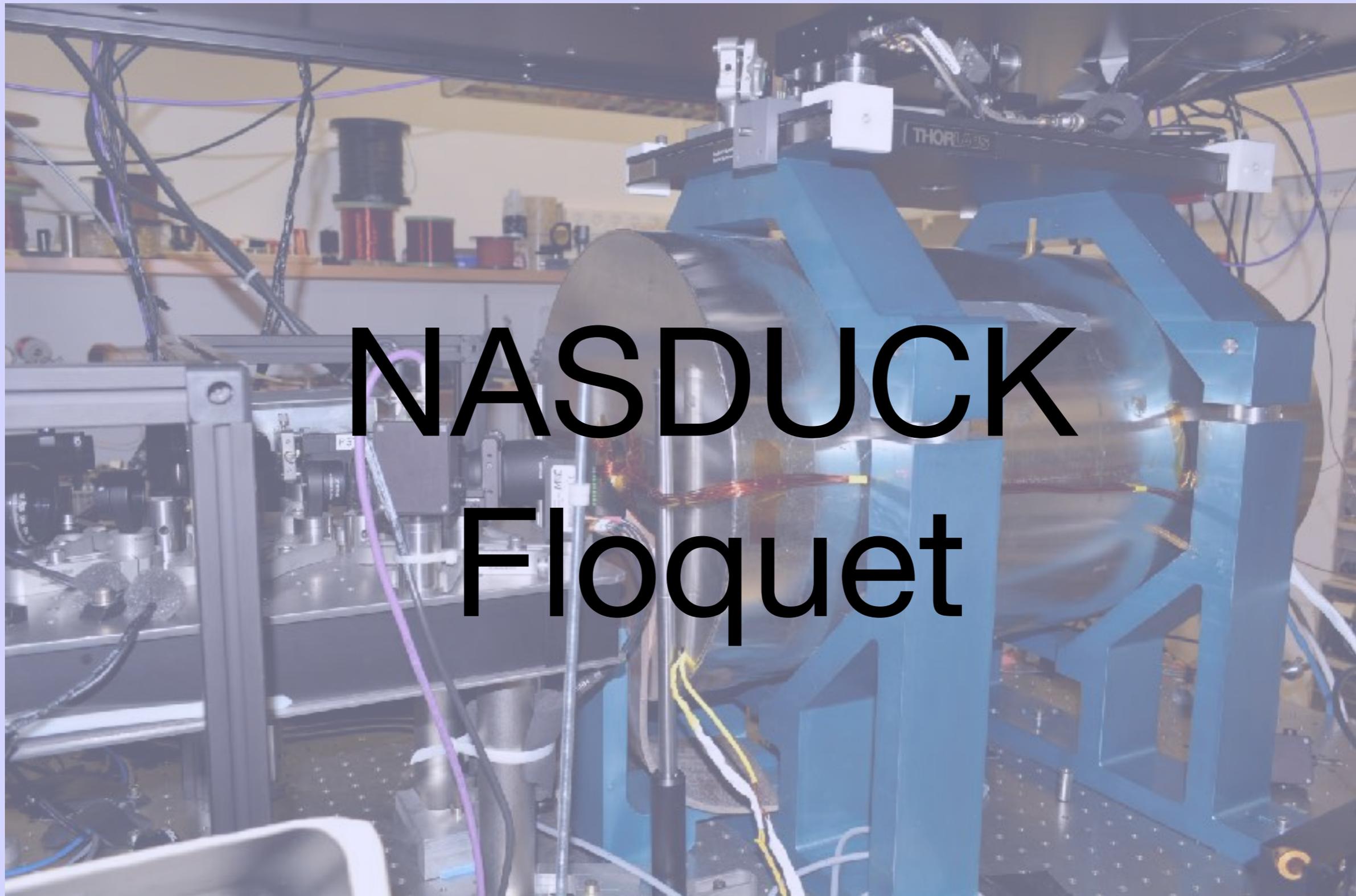
NASDUCK
"Cocomag"



NASDUCK
Modulated

And more!





Response to Signal

$$S_{\text{Alk}}(\omega = m_a) = \frac{\gamma_{\text{Alk}} S_{z,\text{Alk}} B_{\perp,\text{Alk}}}{(\gamma_{\text{Alk}} B_{z,\text{Alk}} - m_a) + i\Gamma_{\text{Alk}}} =$$

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$$\frac{\gamma_{\text{Alk}} \lambda M_{\text{Nob}} S_{z,\text{Alk}}}{((\gamma_{\text{Alk}} B_{z,\text{Alk}} - m_a) + i\Gamma_{\text{Alk}})} \frac{b_{\perp,\text{ALP-Nob}}}{((\gamma_{\text{Nob}} B_{z,\text{Nob}} - m_a) + i\Gamma_{\text{Nob}})}$$

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Noble response

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Alkali response

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For large magnetic fields (=high frequencies), **we cannot be in resonance for both the alkali and the noble simultaneously!**

$$\left| \frac{\gamma_{\text{Alk}} B_{z,\text{Alk}}}{\gamma_{\text{Nob}} B_{z,\text{Nob}}} \right| \gg 1$$

Floquet Fields

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For $\omega_F = \gamma_{\text{Alk}} B_{z,\text{Alk},0} - \gamma_{\text{Nob}} B_{z,\text{Nob},0}$, we get that around the floquet frequency

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For $\omega_F = \gamma_{\text{Alk}} B_{z,\text{Alk},0} - \gamma_{\text{Nob}} B_{z,\text{Nob},0}$, we get that around the floquet frequency

$$S_{\text{Alk}}(\omega = m_a + \omega_F) = \eta_F^{(1)} \frac{\gamma_{\text{Alk}} S_{z,\text{Alk}} B_{\perp,\text{Alk}}(\omega = m_a)}{(\gamma_{\text{Nob}} B_{z,\text{Nob},0} - m_a) + i\Gamma_{\text{Alk}}}$$

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So that for $m_a = \gamma_{\text{Nob}} B_{z,\text{Nob},0}$, we can now have both the species in resonance!

NASDUCK Floquet

NASDUCK Floquet

For each measurement, we only get bounds on

$$|m_a - \gamma_{\text{Nob}} B_{z,\text{Nob},0}| < \mathcal{O}(1)\Gamma_{\text{Nob}}$$

Therefore, nearly 3000 measurements were taken during a 5-months period

NASDUCK Floquet

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NASDUCK Floquet

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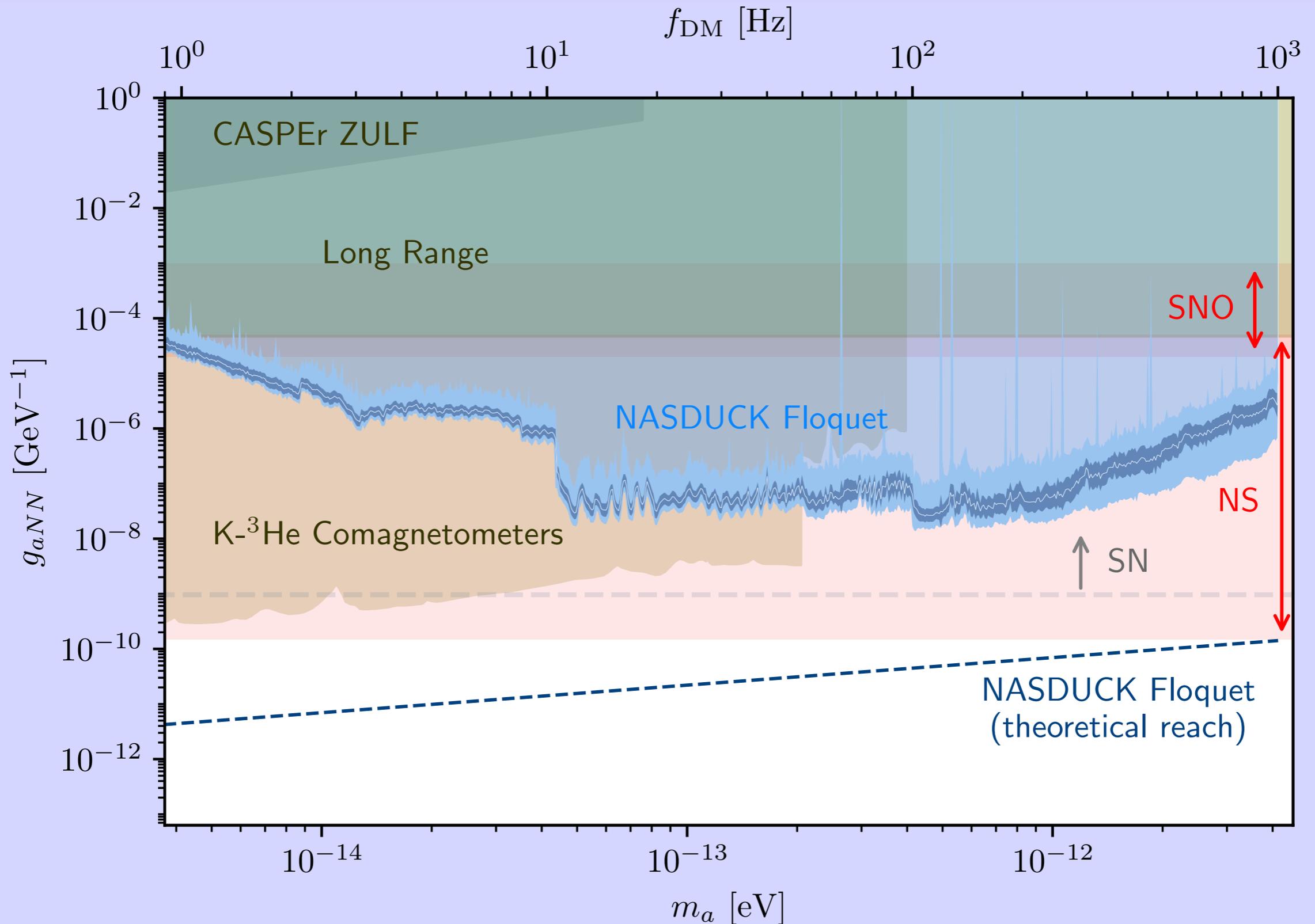
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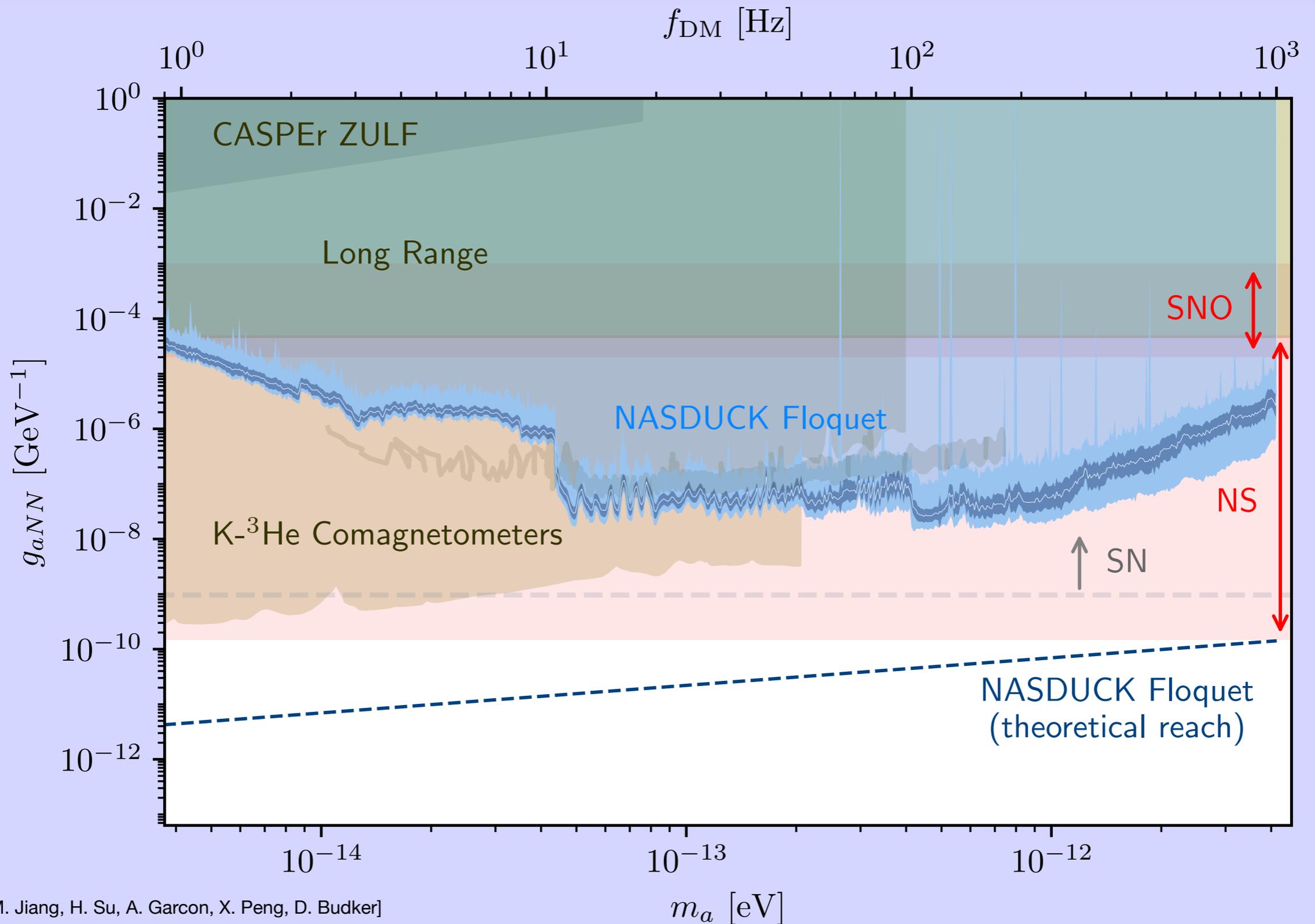


An improvement by an order of magnitude should not be too difficult*

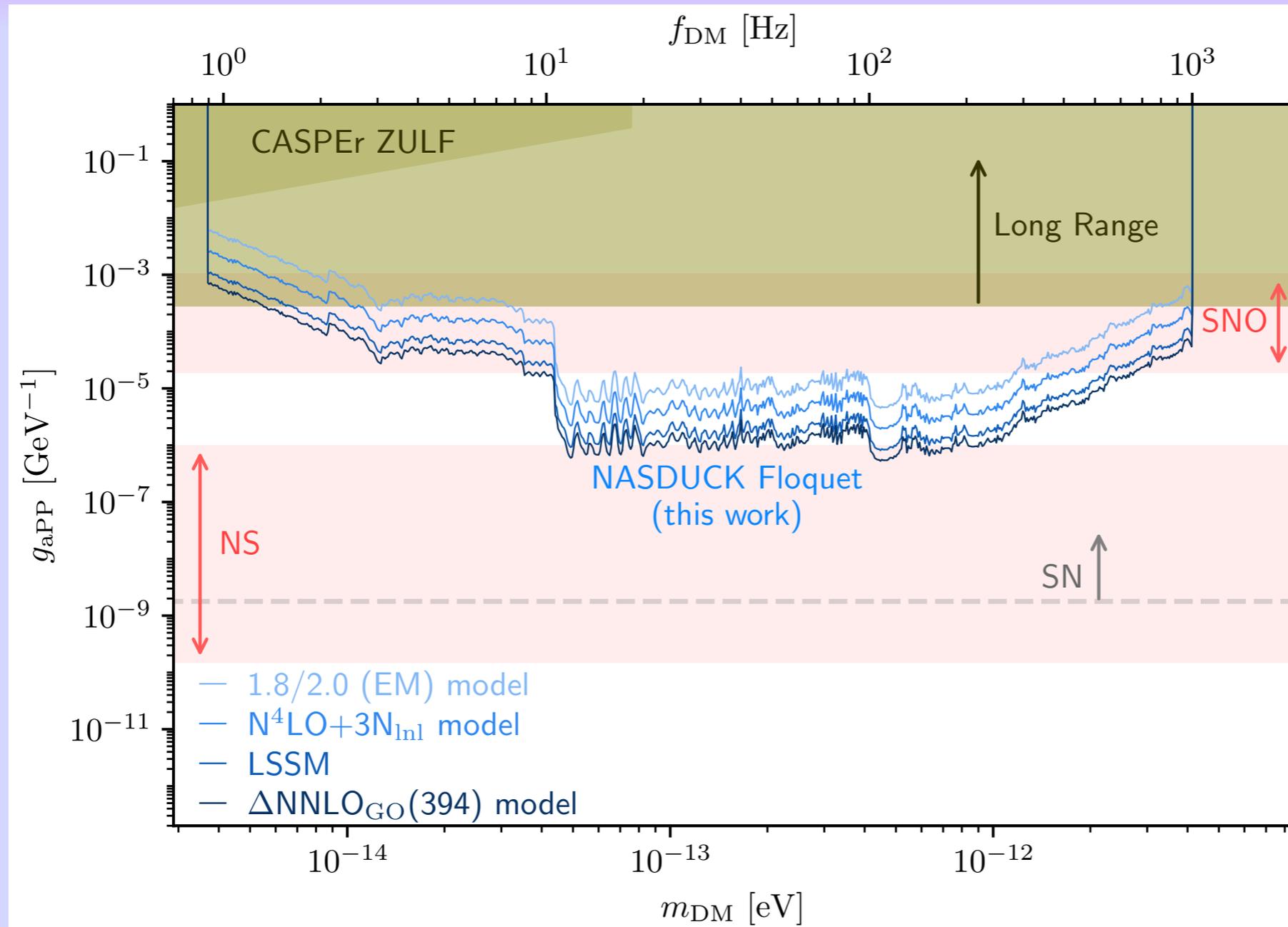
NASDUCK Floquet Results (n)



NASDUCK Floquet Results (n)

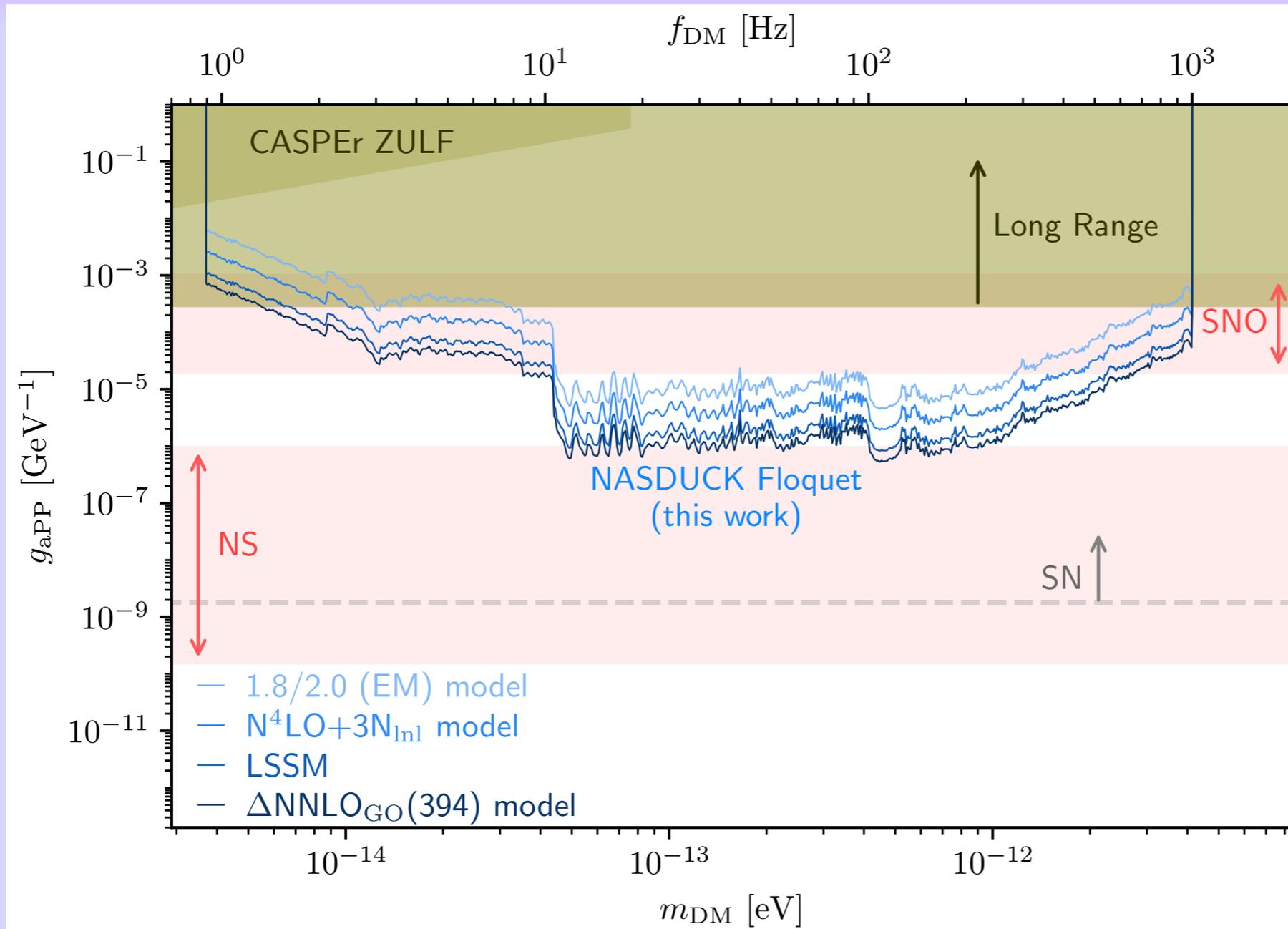


NASDUCK Floquet Results (p?)



[T. Wu *et al.*:1901.10843, E. G. Adelberger *et al.* 2007, C. Abel *et al.*:1708.06367, CASPER Collaboration: 1902.04644, K. Hamaguchi *et al.* 1806.07151, J. Keller *et al.* 1205.6940, A Sedrakian 1512.07828]

NASDUCK Floquet Results (p?)



SN1987A have significant theoretical uncertainties [Bar *et al.* 1907.05020]. We need new experiments!

Conclusions

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- Comagnetometers offer unprecedented sensitivity for Ultralight ALPs
- The NASDUCK collaboration has many experiments it can do/has already done.
- With creativity, one can think of new experiments to run! We already have several ideas for how to utilize existing experiments for other things.

DUCK-matter



(Degree in beakness school)



NASDUCK-matter

