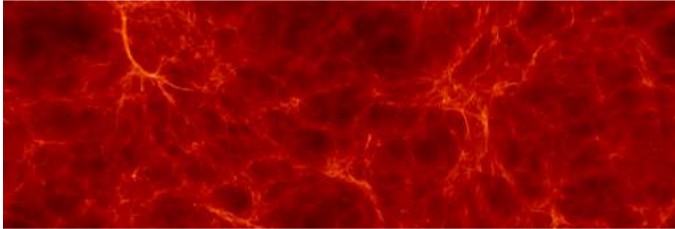


# Neutrino interactions from the cosmos

Fermilab Theory Seminar



Structure formation with neutrinos. From arXiv:1003.2422

**Ivan Esteban**

14<sup>th</sup> October 2021

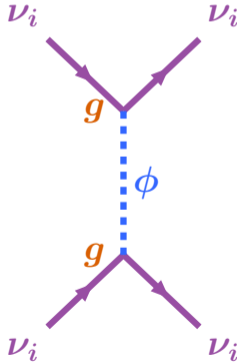


**THE OHIO STATE UNIVERSITY**  
CENTER FOR COSMOLOGY AND  
ASTROPARTICLE PHYSICS

## Neutrino self-interactions

Do neutrinos have sizable self-interactions? (Larger than weak interactions)

$$\mathcal{L}_{\text{int}} \sim -g\bar{\nu}\nu\phi$$



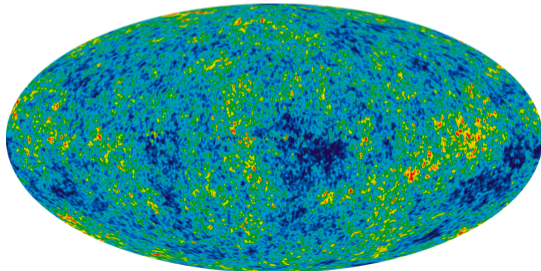
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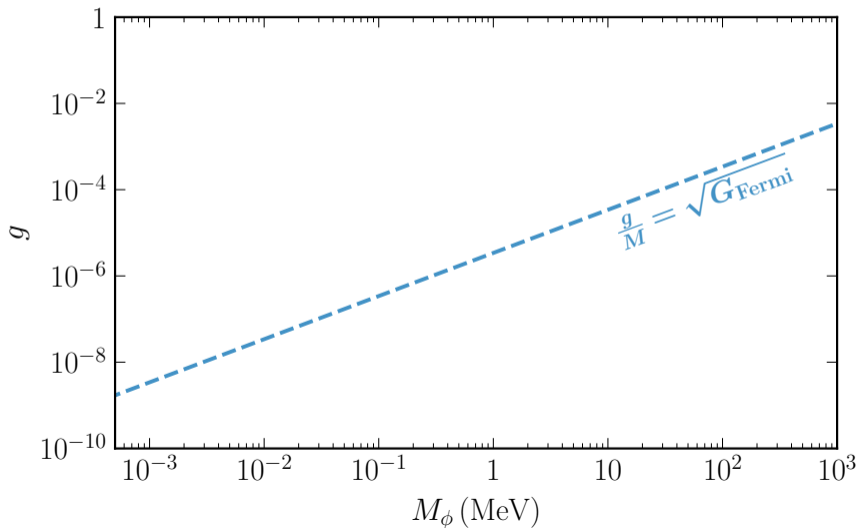
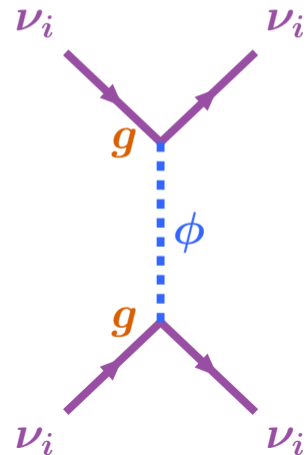
$$\mathcal{L}_{\text{int}} \sim -g\bar{\nu}\nu\phi$$

But, why should we care?

- It is a fundamental question, may shed light into the neutrino mass origin.
- Let's be practical: neutrinos are everywhere!



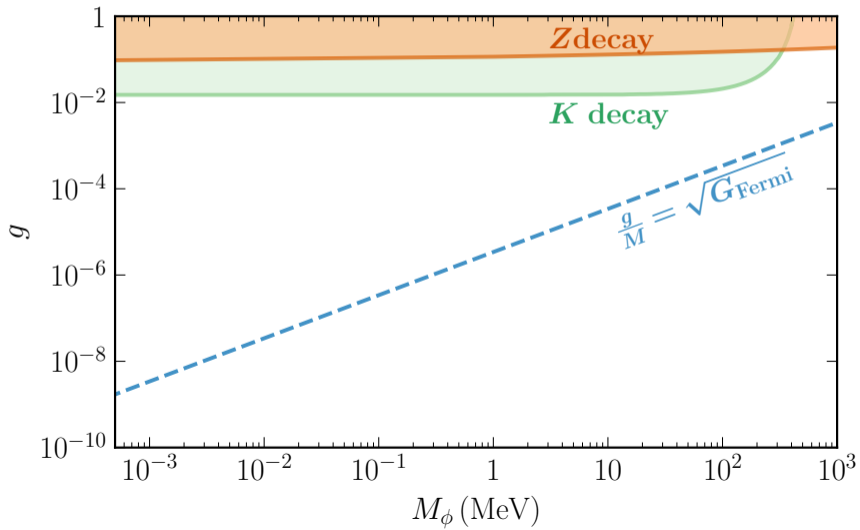
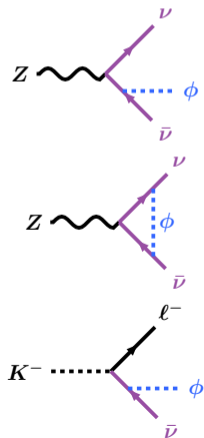
## Neutrino self-interactions



## Neutrino self-interactions and where to find them

Blinov, Kelly, Krnjaic, McDermott, 1905.02727; Brdar, Lindner, Vogl, Xu, 2003.05339

## Particle physics

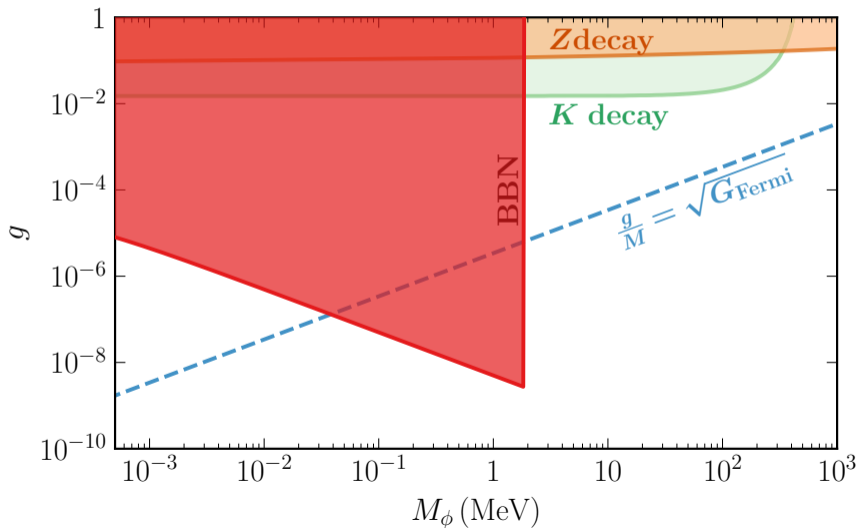


## Neutrino self-interactions and where to find them

Escudero, Witte, 1909.04044

Big Bang  
Nucleosynthesis

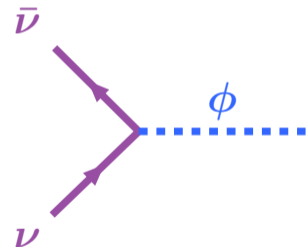
Extra radiation by  
producing the force  
mediator!



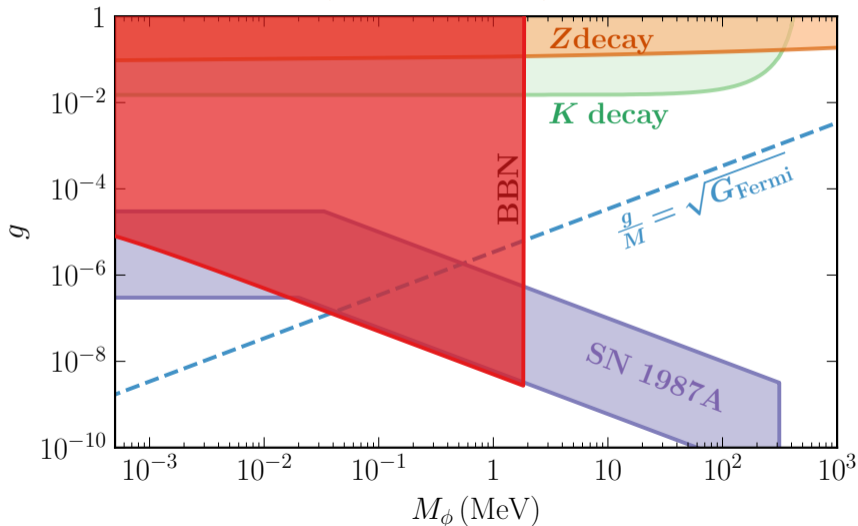
## Neutrino self-interactions and where to find them

Heurtier, Zhang, 1609.05882; Kachelriess, Tomas, Valle, hep-ph/0001039; Farzan, hep-ph/0211375. Thanks to Po-Wen Chang!

SN1987A

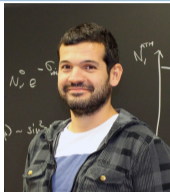


Extra cooling by  
producing the force  
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## Big picture [Esteban, Salvado, 2101.05804]

$\phi, \nu$

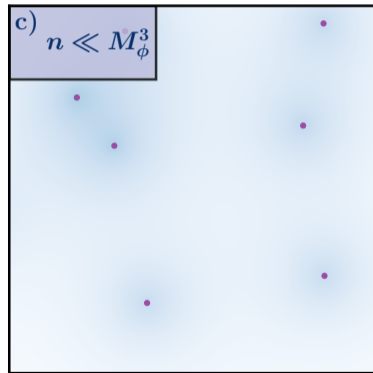
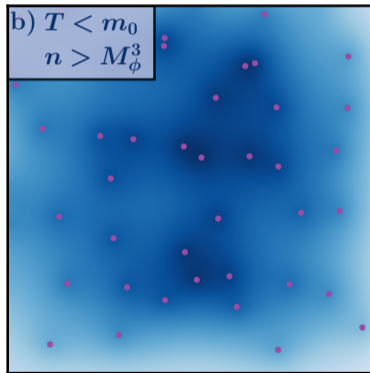
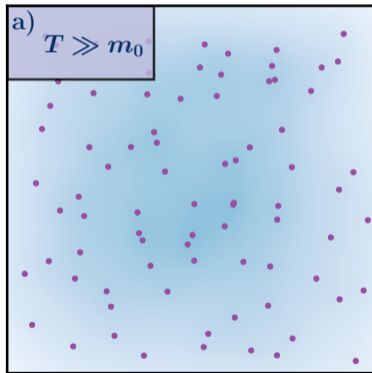


- Neutrinos will source a scalar field, with
  - Strength  $\sim g$
  - Range  $\sim 1/M_\phi \sim 10^{-5} \text{ cm} \times (\text{eV}/M_\phi)$
- The sourced field will *backreact on the neutrinos* as long as
  - 1  $n_\nu \gtrsim M_\phi^3$
  - 2  $E_\nu \lesssim m_\nu$  ( $\bar{\nu}\nu = \bar{\nu}_L\nu_R + \bar{\nu}_R\nu_L$ )
- To probe this, we need *high-density, low energy* neutrinos: **the Early Universe!**

At  $z \sim 1000$ , when CMB was formed,  $n_\nu \sim 10^{14} \text{ cm}^{-3}$  and  $E_\nu \sim 0.1 \text{ eV}$ .



## Overall picture



## Signatures in cosmology

- Homogeneous cosmology  $\implies$  gravity  $\implies$   $\rho, p$  (or  $w \equiv p/\rho$ ).  
Generic assumption = *ideal gas*. But systems with long-range interactions are **not** ideal gases!  
*E.g., Van der Waals gas*
- Can we *consistently* understand the whole evolution?  
N.B.: though not discussed in the talk, we also study perturbations. Ask about it!
- What are the observational consequences and possible signals/bounds?
  - Cosmic Microwave Background anisotropies
  - Large Scale Structure observations (Baryon Acoustic Oscillations)

## Equations of motion

$$i\cancel{D}\nu - (m_0 + g\phi)\nu = 0 \quad \Longrightarrow \quad \text{Effective neutrino mass } \tilde{m}(\phi) \equiv m_0 + g\phi.$$

Time-dependent as  $\phi$  evolves.

$$\underbrace{-D_\mu D^\mu \phi + M_\phi^2 \phi}_{\supset 3H\dot{\phi}} = -g\bar{\nu}\nu$$

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For  $M_\phi \gg H$  and average rhs over neutrino (+antineutrino) distribution  $f(p)$ ,

$$M_\phi^2 \phi = -g \int d^3p \frac{\tilde{m}(\phi)}{\sqrt{p^2 + \tilde{m}(\phi)^2}} f(p)$$

N.B.:  $M_\phi \gg H$  means  $M_\phi \gtrsim 10^{-25}$  eV. I.e., we are exploring interaction ranges  $\ll$  Mpc. Otherwise, we recover quintessence.

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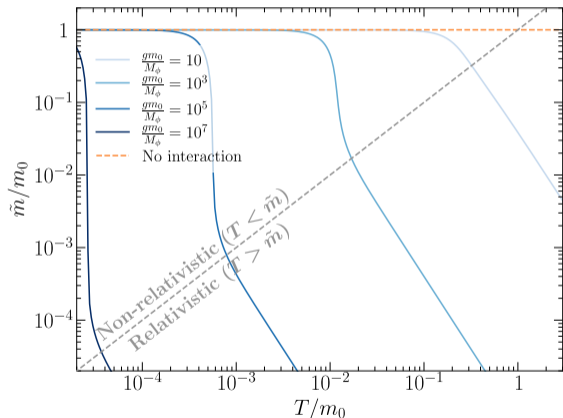
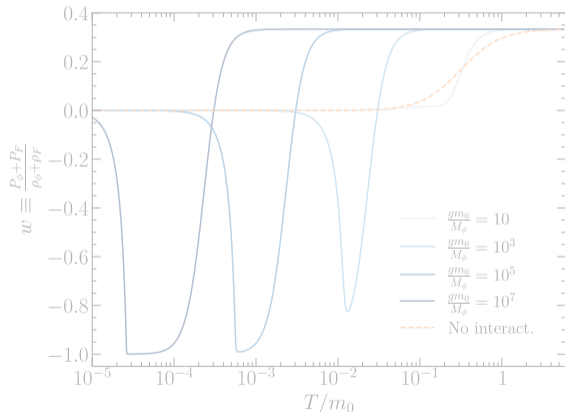
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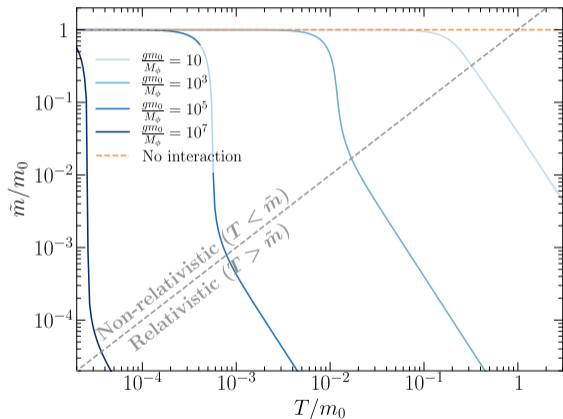
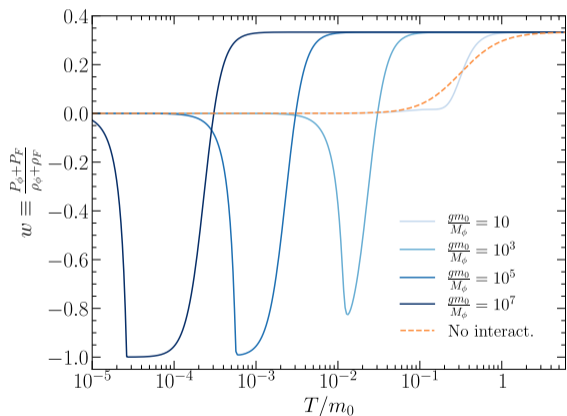
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## Some results [Esteban, Salvado, 2101.05804]

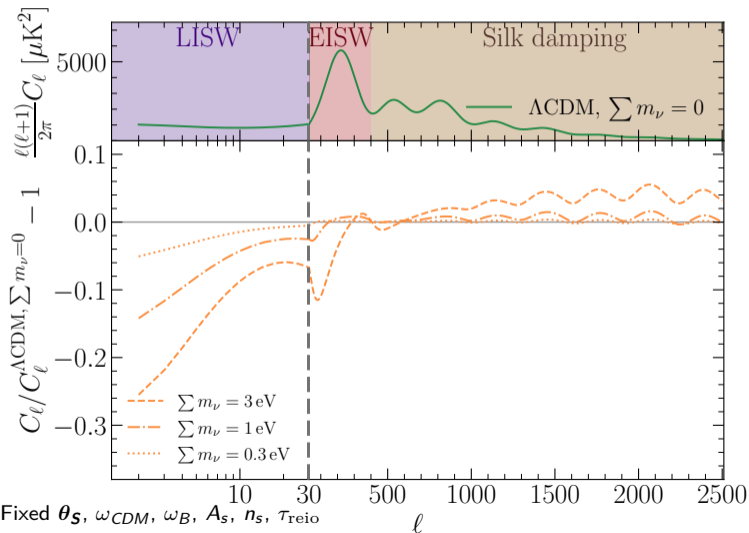


Neutrinos will stay *relativistic* as long as there are many neutrinos within the interaction range.

## Some results [Esteban, Salvado, 2101.05804]



The equation of state  $w \equiv \frac{P}{\rho}$  is relevant as  $\frac{1}{\rho} \frac{d\rho}{dt} = -3H(1 + w)$  (i.e., how fastly  $\rho$  changes)



J. Lesgourgues, G. Mangano, G. Miele,  
 S. Pastor, *Neutrino Cosmology* (2013)

$$\text{For fixed } \theta_S = \frac{\int_{z_{\text{rec}}}^{\infty} C_s \frac{dz'}{H(z')}}{\int_0^{z_{\text{rec}}} \frac{dz'}{H(z')}} ,$$

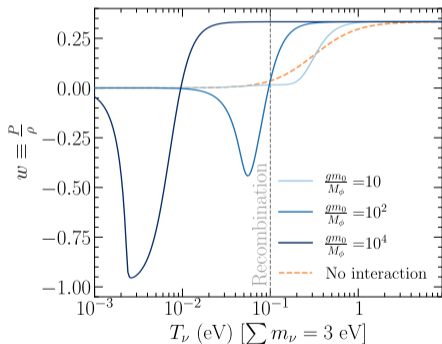
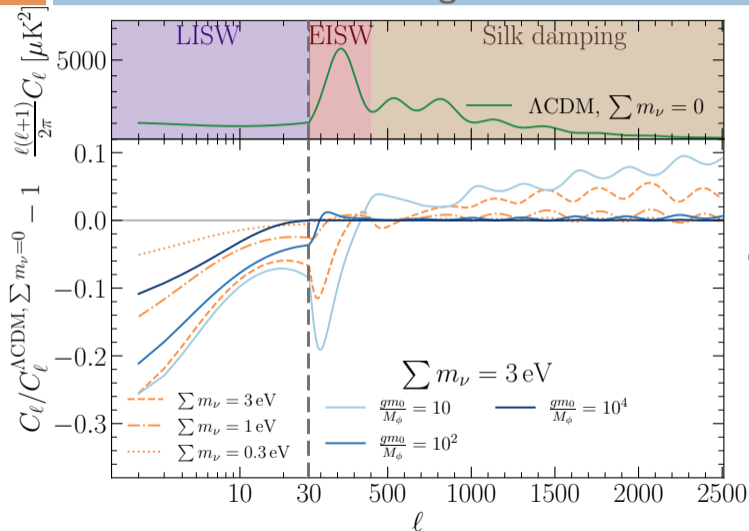
$\sum m_\nu \neq 0$  has 3 main effects:

- 1 EISW, which directly tests the *equation of state*.
- 2 To keep  $\theta_S$  fixed,  $H_0$  decreases  $\Rightarrow \Omega_\Lambda$  decreases  $\Rightarrow$  less LISW.

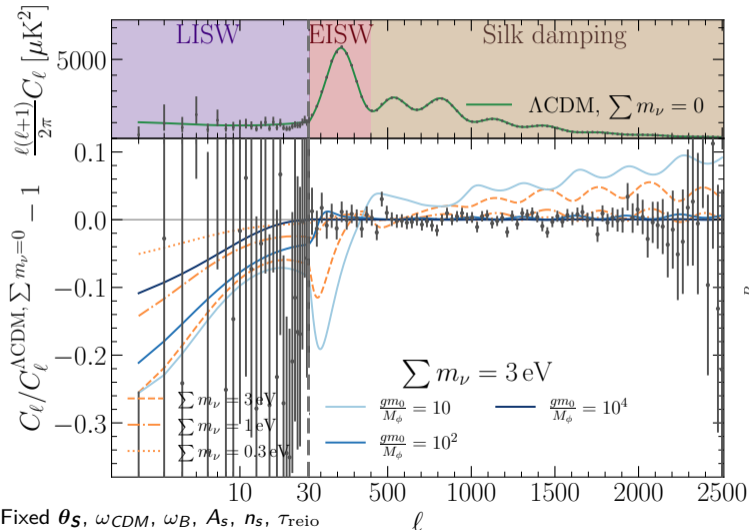
- 3  $\theta_D \sim \frac{\sqrt{\int_{z_{\text{rec}}}^{\infty} \frac{1}{a n_e \sigma_T} \frac{dz'}{H(z')}}}{\int_0^{z_{\text{rec}}} \frac{dz'}{H(z')}} ,$



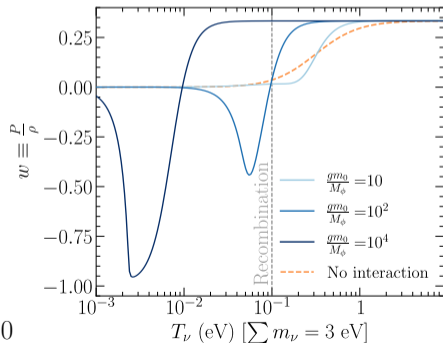
## Effects on CMB: Adding the interaction



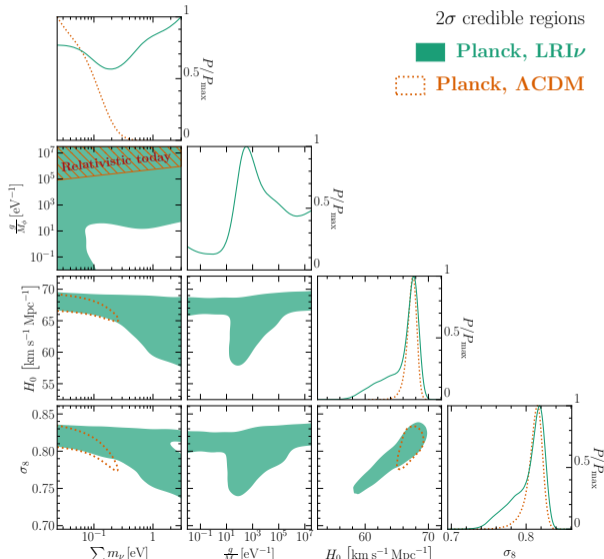
## Effects on CMB: Data



The Planck constraint will be essentially *behave like radiation* for  $T > T_{\text{rec}}$ .



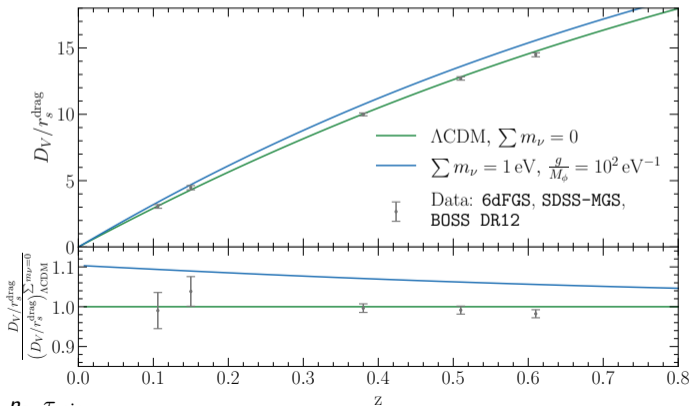
## Results: Planck



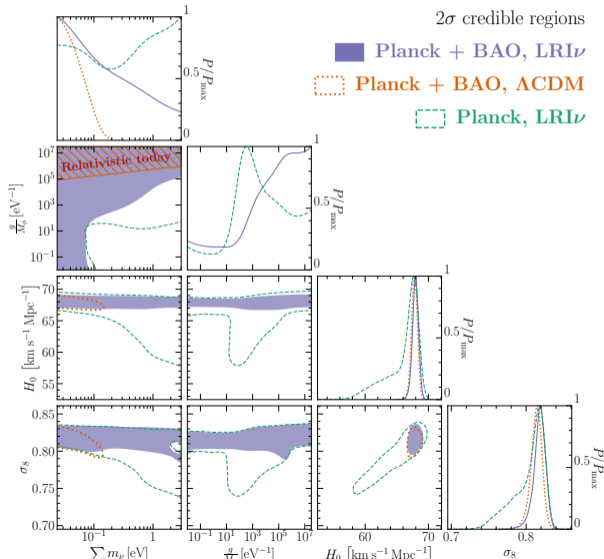
All the allowed region has essentially the same behavior before recombination: neutrinos with  $w = 1/3$ .

## BAO constraints

BAO approximately measure  $\frac{\int_{z_{\text{drag}}}^{\infty} c_s \frac{dz'}{H(z')}}{\left[ \frac{z}{H(z)} \left( \int_0^z \frac{dz'}{H(z')} \right)^2 \right]^{1/3}}$ , sensitive to late-time evolution of  $H$ , i.e., to  $\rho$ .



## BAO constraints



- As neutrinos become non-relativistic late, BAO is quite sensitive.
- Neutrino mass bound still *fully avoided*. **KATRIN could see something!**

- As we have seen, late-time probes can efficiently explore neutrino long-range interactions.
- This decade, we expect precise LSS probes of the matter power spectrum!



L. Amendola *et al.* [Euclid Theory WG], “Cosmology and fundamental physics with the Euclid satellite,” arXiv:1606.00180.



R. Maartens *et al.* [SKA Cosmology SWG], “Overview of Cosmology with the SKA,” arXiv:1501.04076.



J. Pritchard *et al.* [Cosmology-SWG and EoR/CD-SWG], “Cosmology from EoR/Cosmic Dawn with the SKA,” arXiv:1501.04291.

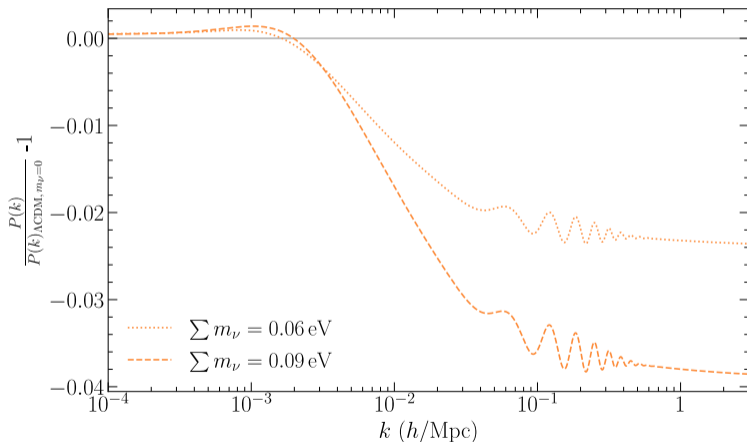


P. A. Abell *et al.* [LSST Science and LSST Project], “LSST Science Book, Version 2.0,” arXiv:0912.0201.



T. Sprenger *et al.*, “Cosmology in the era of Euclid and the Square Kilometre Array,” arXiv:1801.08331.

## Impact on matter power spectrum

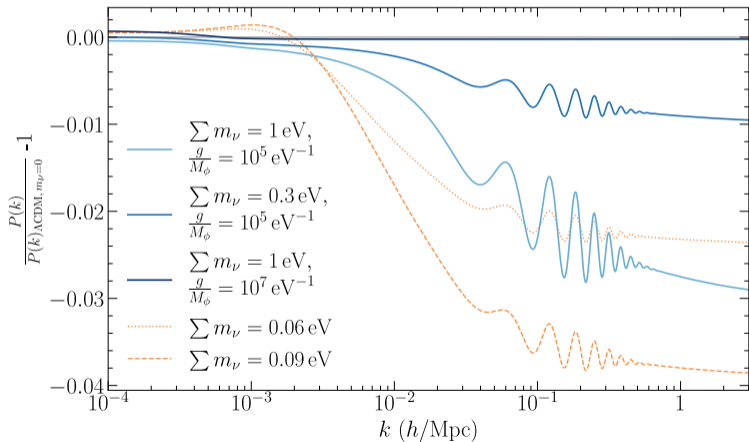


$\sum m_\nu \neq 0$  has two main effects:

- 1 Small enhancement at  $k \sim 10^{-3}$  h/Mpc, due to clustering.
- 2 Suppression at large  $k$ , as for  $w < 1/3$  neutrinos redshift slower and contribute more to Hubble friction.

Sensitive to energy density in neutrinos and **equation of state!**

## Impact on matter power spectrum



Fixed  $\Omega_M, \omega_{CDM}, \omega_B, A_s, n_s, \tau_{reio}, z = 0$ .

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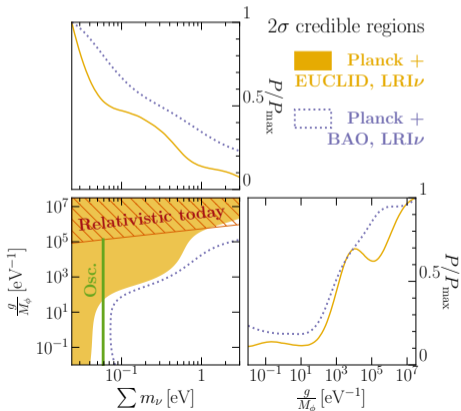
## Euclid



T. Sprenger *et al.*, "Cosmology in the era of Euclid and the Square Kilometre Array," arXiv:1801.08331.

Euclid should have  $\sim 2\text{--}3\sigma$  sensitivity to  $\sum m_\nu = 0.06 \text{ eV}$ , the smallest value allowed by oscillations.

### Scenario 1: Euclid compatible with $\sum m_\nu = 0$

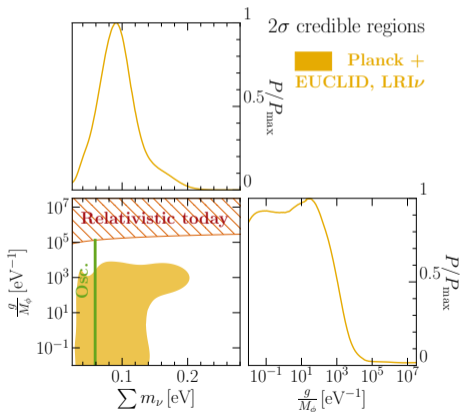
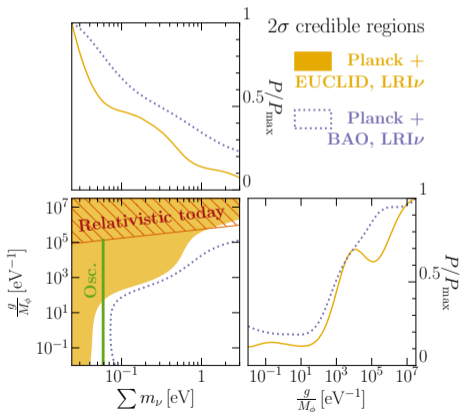


## Euclid

Interesting complementarity with KATRIN!

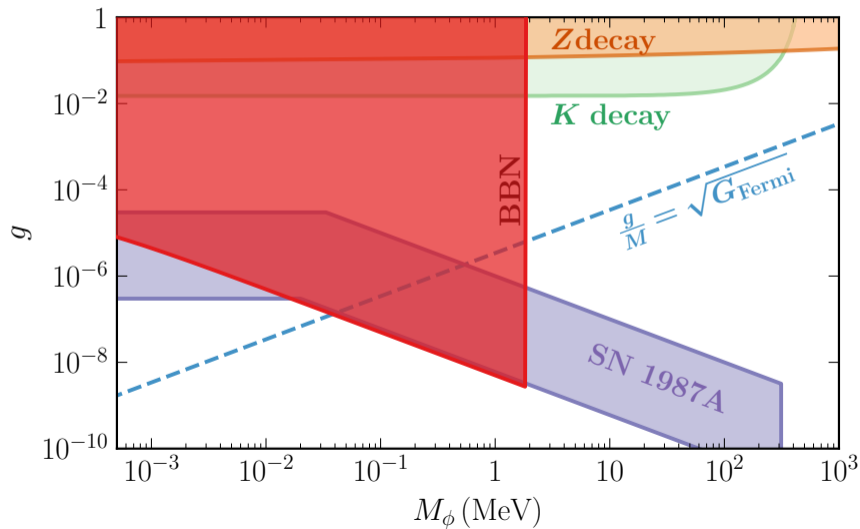
**Scenario 1: Euclid compatible with  $\sum m_\nu = 0$**

**Scenario 2: Euclid measures  $\sum m_\nu = 0.08$  eV**



## Take-home messages

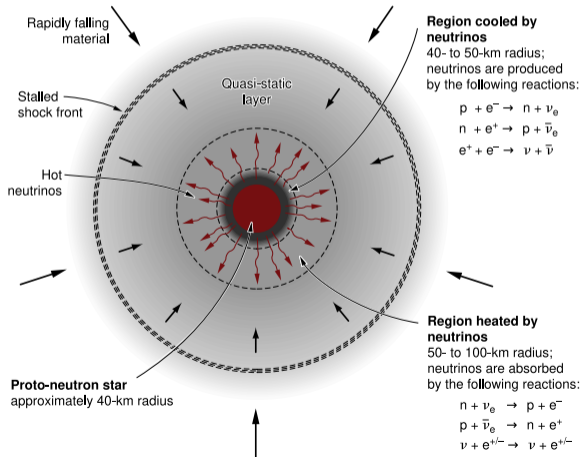
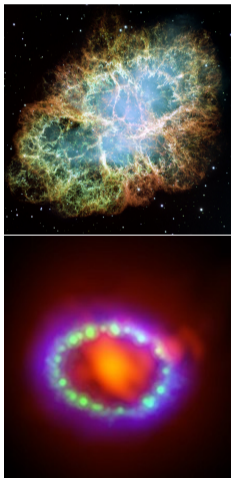
- 1 Cosmology can probe long-range neutrino self-interactions!
- 2 These change the *effective neutrino mass* and *equation of state*.
- 3 Cosmological  $\sum m_\nu$  measurements are mostly measurements of the neutrino equation of state: ***degeneracy with self-interactions!***
  - Long-range interactions *remove the cosmological neutrino mass bound*.  
KATRIN could see  $\sum m_\nu \neq 0$ ! EUCLID could test this!
  - In the future, cosmology could see no neutrino mass, in contradiction with oscillations!
- 4 A very rich cosmo-lab *interplay*.



## Supernovae

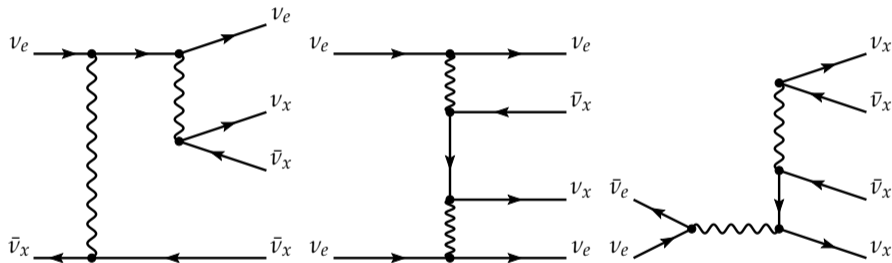


S. Shalgar, I. Tamborra, M. Bustamante, "Core-collapse supernovae stymie secret neutrino interactions" arXiv:1912.09115.





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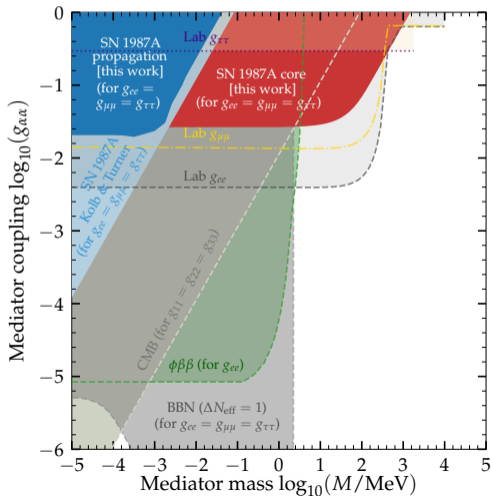
$$2\nu \rightarrow 4\nu \implies \langle E_\nu \rangle \rightarrow \langle E_\nu \rangle / 2$$

And  $\sigma_{\nu N} \propto \langle E_\nu \rangle^2$ , so neutrino energy deposition on the shock would be more rare!

## Supernovae



S. Shalgar, I. Tamborra, M. Bustamante, “Core-collapse supernovae stymie secret neutrino interactions” arXiv:1912.09115.

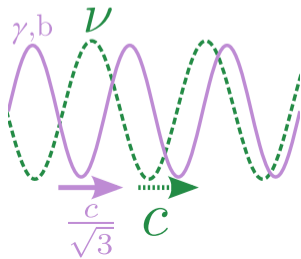


In this context, the interaction turns a system of free particles into a *strongly coupled fluid*. How can this affect, e.g., the Early Universe?

- When the CMB is formed, neutrinos are  $\sim 40\%$  of the energy density of the Universe!
- At those times
  - Photons and baryons **oscillate** (tightly-coupled acoustic waves, at  $c/\sqrt{3}$ )
  - Neutrinos just **freely propagate** (free-stream, at  $c$ )

**Neutrinos will gravitationally pull!** [Bashinsky, Seljak, astro-ph/0310198](#)

Or, will they? self-interactions can make neutrinos a tightly-coupled fluid too.





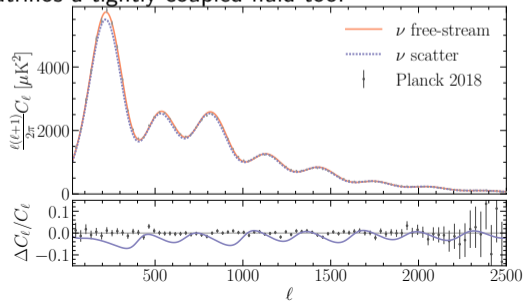
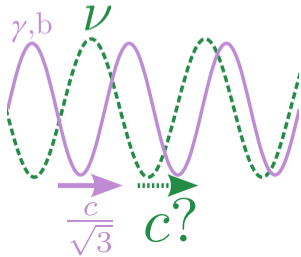
## Cosmology

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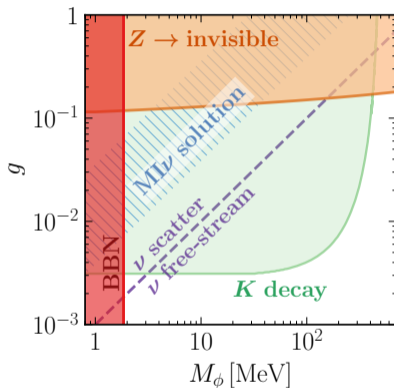
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## The Moderately Interacting Neutrino ( $M\nu$ ) solution

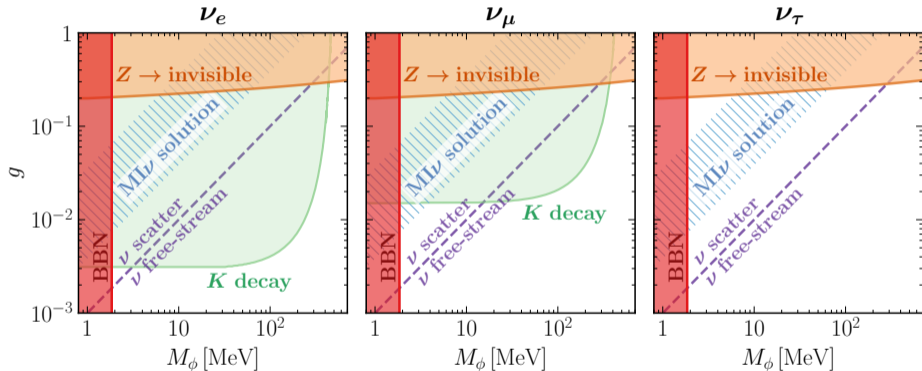


Cyr-Racine, Sigurdson, 1306.1536; Lancaster, Cyr-Racine, Knox, Pan, 1704.06657; Oldengott, Tram, Rampf, Wong, 1706.02123; Kreisch, Cyr-Racine, Dor, 1902.00534; Barenboim, Denton, Oldengott, 1903.02036; ...

Non-free-streaming neutrinos may affect how we infer cosmological parameters from CMB anisotropies!

**Most notably  $H_0$ ,  $\sigma_8$ , and inflationary parameters** N.B.: beware of polarization data, though

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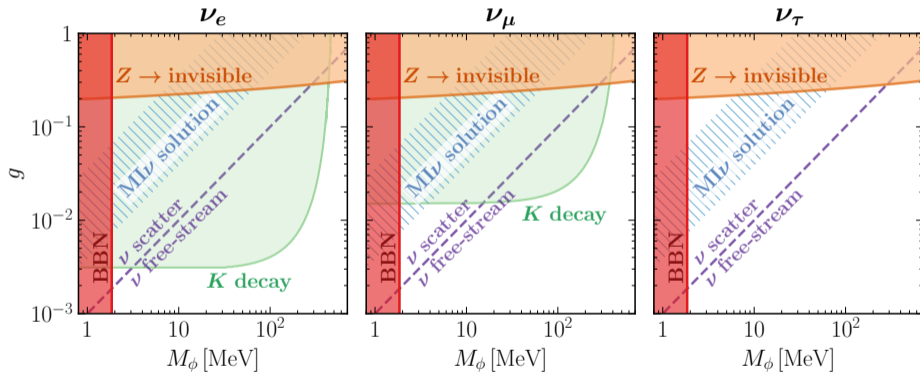


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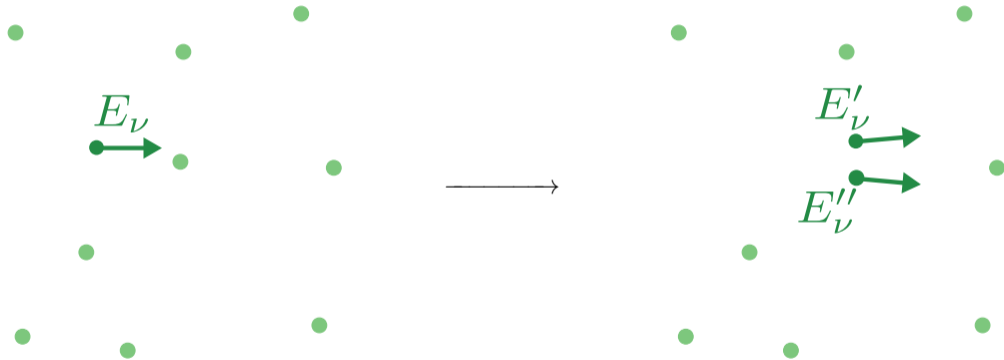
## Esteban, Pandey, Brdar and Beacom [2107.13568]



An opportunity opens to explore  $\nu_\tau$  self-interactions. As we show in our paper, we can catch it!  $\nu_\tau$  are hard to *directly* produce, but oscillations can help us.

## Effect on astrophysical neutrinos: the big picture

Kolb & Turner, 1987

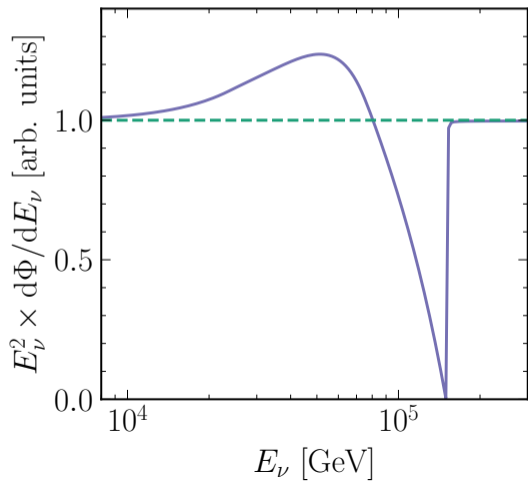
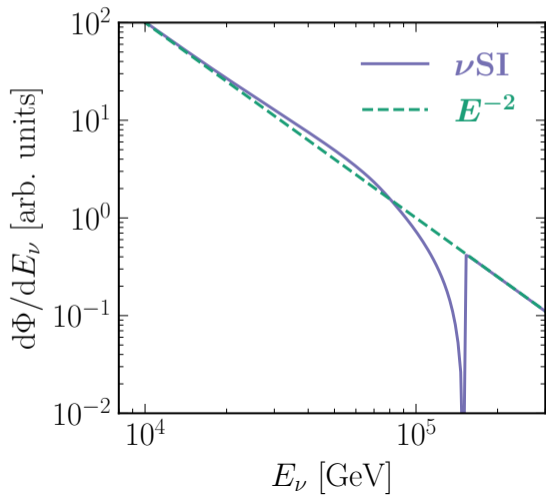


Resonantly enhanced when  $E_{\text{center-of-mass}} \equiv \sqrt{s} = \sqrt{2E_\nu m_\nu} = M_\phi$ .


For  $M_\phi \sim 10 \text{ MeV}$ ,  $E_\nu \sim 10^5 \text{ GeV}$ : **astrophysical neutrinos at IceCube!**

## Effect on astrophysical neutrinos: the big picture

Hooper, [hep-ph/0701194](#); Ng, [Beacom, 1404.2288](#); Ioka, [Murase, 1404.2279](#); ...  $E_\nu^{\text{res}} = \frac{M_\phi^2}{2m_\nu}$

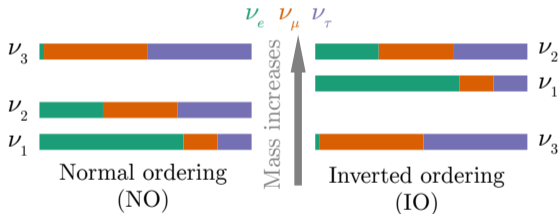


## Focusing on $\nu_\tau$ + 2021 [Esteban et al, 2107.13568]

 Esteban, Pandey, Brdar, Beacom, arXiv:2107.13568.



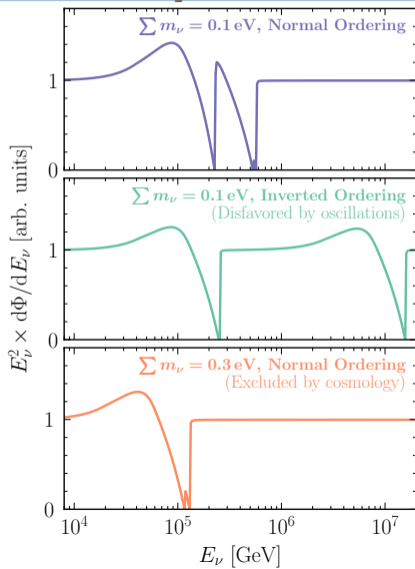
What do we know about the neutrino spectrum?




$$\sum m_\nu < 0.12 \text{ eV}, \quad \sqrt{\Delta m_{32}^2} \sim \sqrt{\Delta m_{31}^2} \sim 0.05 \text{ eV}$$

$$E_\nu^{\text{res},i} = M_\phi^2 / 2m_i$$

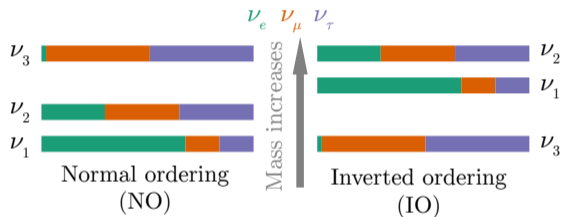
- Look for (close) double dips!
- And stay tuned on oscillations + cosmology!



## Focusing on $\nu_\tau$ + 2021 [Esteban et al, 2107.13568]

 Esteban, Pandey, Brdar, Beacom, arXiv:2107.13568.

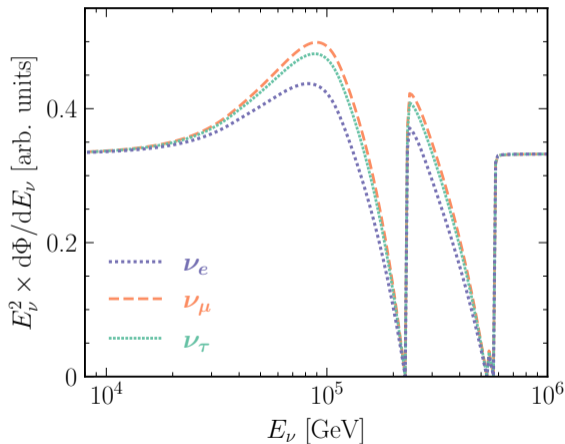
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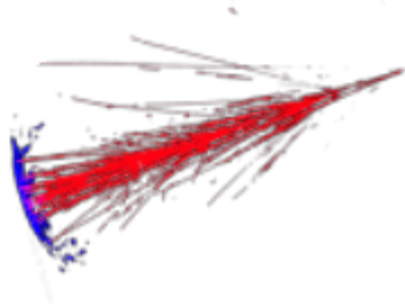


What do we know about the neutrino spectrum?

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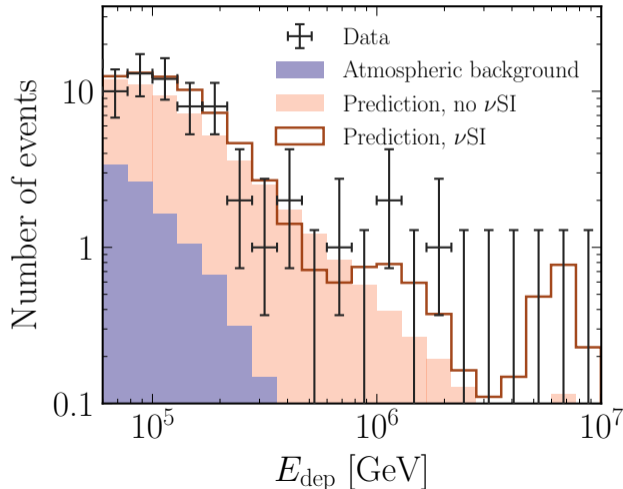
To compare with data, we need a realistic treatment

- Detector effects
- Proper theoretical  $\nu$ - $\nu$  scattering calculation  
(Scattering off the resonance is relevant!)



## IceCube?

(HESE. Predictions generated with content in Abbasi et al, 2011.03545. We thank C. Argüelles & A. Schneider)



No  $\nu\text{SI}$ :  $\phi \propto E^{-2.9}$

$\nu\text{SI}$ :  $\phi \propto E^{-2}$ ,  $g = 0.1$ ,  $M_\phi = 7$  MeV

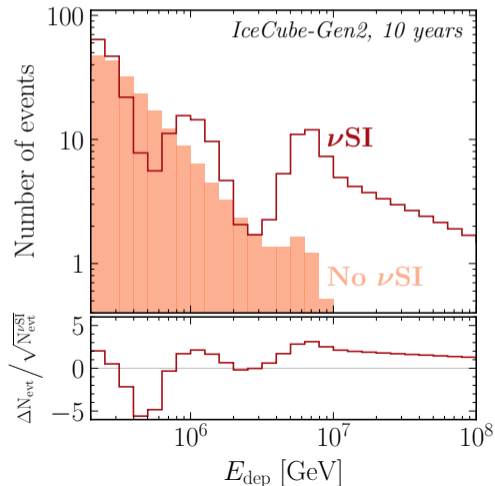
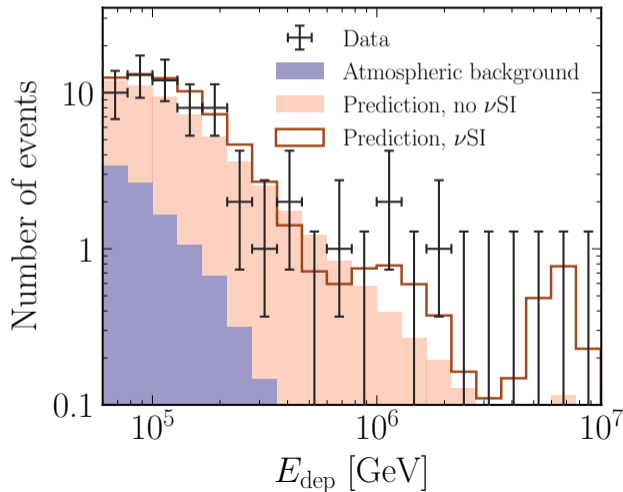
Current IceCube data is not good because

- Low statistics  $\Rightarrow$  fluctuations
- Small energy range  $\Rightarrow$  degeneracy with unknown astrophysical neutrino flux

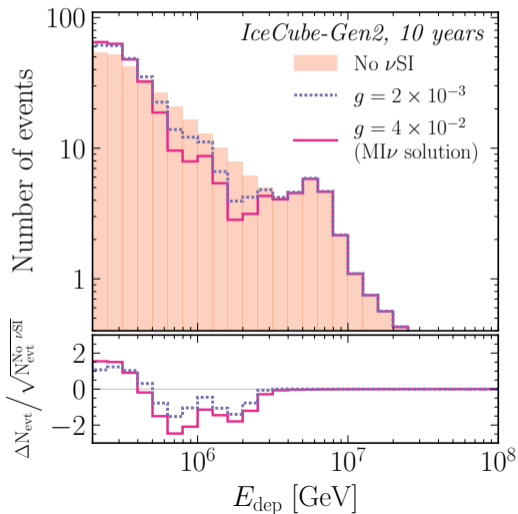
**We need IceCube-Gen2**

## IceCube?

(HESE. Predictions generated with content in Abbasi et al, 2011.03545. We thank C. Argüelles & A. Schneider)



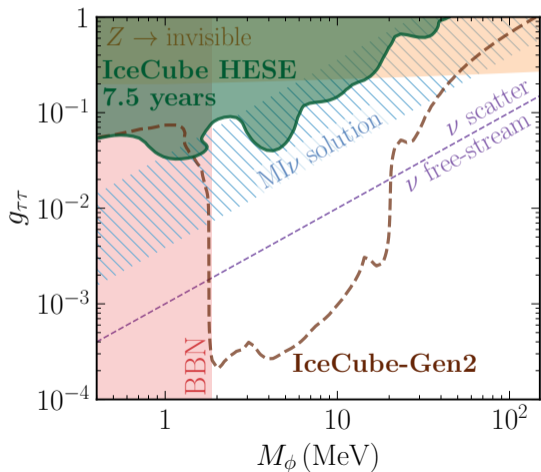
## IceCube-Gen2



- For  $M_\phi = 10$  MeV.
- Dashed line  $\Rightarrow \sim 1$  scattering across the entire Universe!  
It will be *very challenging* to improve upon Gen2!

## Present constraints and future sensitivity

(HESE analysis generated with content in Abbasi et al, 2011.03545. We thank C. Argüelles & A. Schneider)

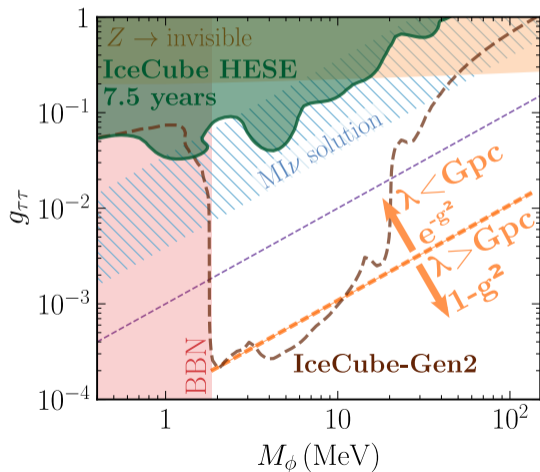


$$E_\nu^{\text{res}} = \frac{M_\phi^2}{2m_\nu}$$

- IceCube-Gen2 will be **very powerful!**  
Could even be sensitive to self-interactions among other flavors!
- Gen2 will exploit **the full potential** of neutrino astronomy to probe  $\nu$ SI.

## Present constraints and future sensitivity

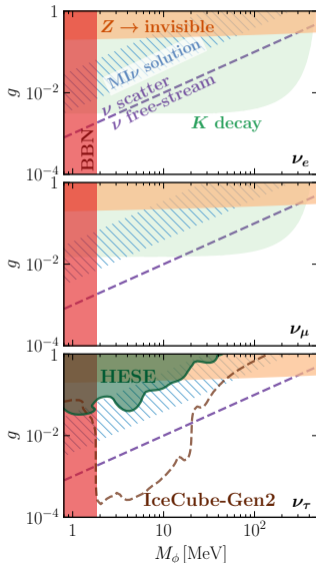
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- IceCube-Gen2 will be **very powerful!**  
 Could even be sensitive to self-interactions among other flavors!
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## Take-home messages



1 Neutrino self-interactions are not only fundamentally interesting, **they affect our understanding of the Early Universe.**  
Unexplored  $\nu_\tau$  sector  $\Rightarrow$  **opportunity for neutrino telescopes.**

2 We define a roadmap for *making decisive progress*:

- IceCube-Gen2
- Improved theoretical treatment
- Realistic treatment of detection effects

*Gen2 will realize the full potential.* It can also probe  $\nu_e, \nu_\mu$ !

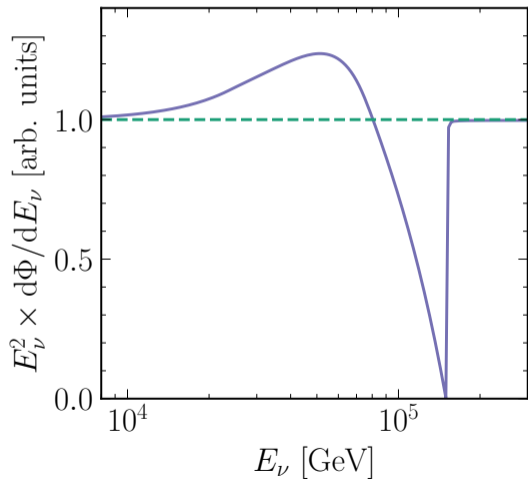
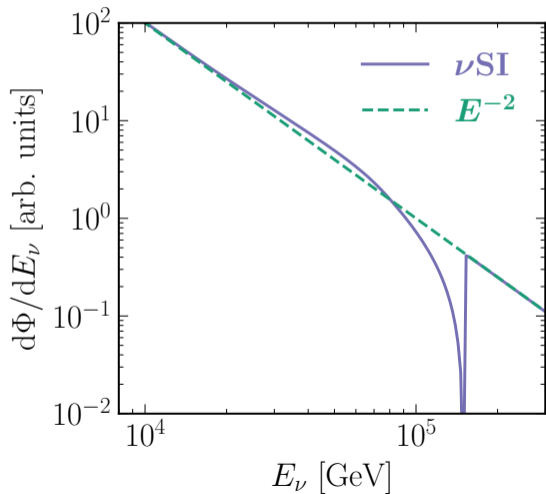
3 This is just the beginning: hints will be testable. Improvements in

- Astrophysics, **point sources**, cosmology
- Flavor
- Ultra-High Energy neutrinos
- ...

are welcome!

 <https://github.com/ivan-esteban-phys/nuSIprop>

## Future: point sources

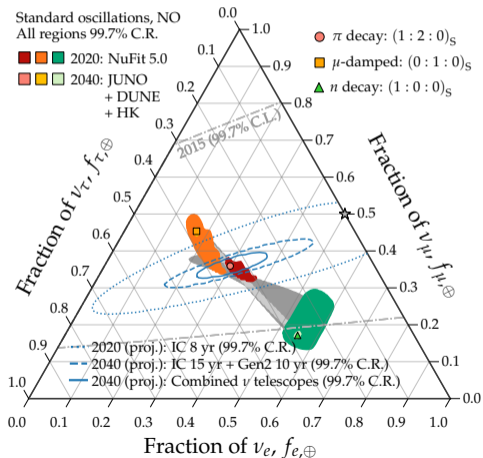
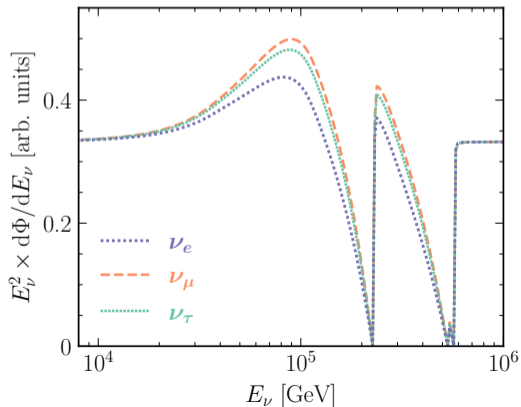




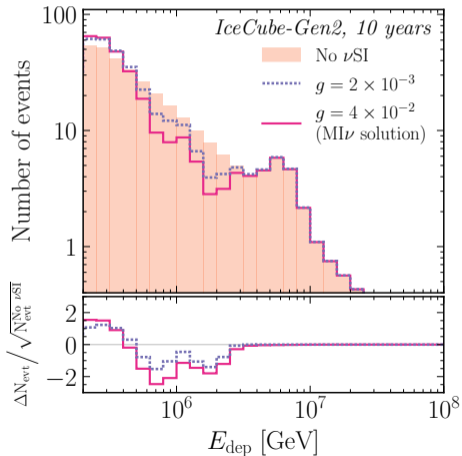
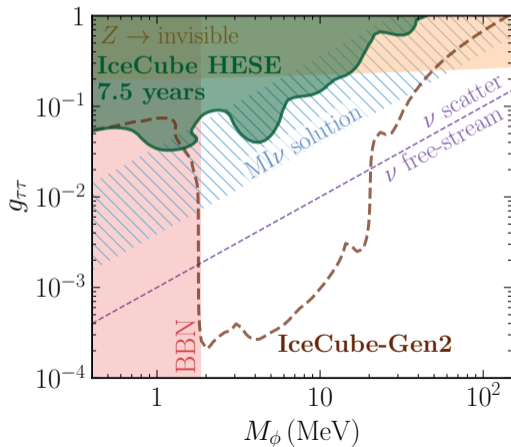
## Future: flavor



Song, Li, Argüelles, Bustamante, Vincent, arXiv:2112.12893.



$$E_{\nu}^{\text{res}} = \frac{M_{\phi}^2}{2m_{\nu}}$$



- Exploring neutrino self-interactions is a good example of particle physics – astrophysics interplay:
  - Particle physics results (theory & experiment) with consequences in astrophysics.
  - Astrophysical observations can explore particle physics!

In general, very rich physics arises.

- Long-range effects can modify neutrino mass & equation of state.  
They spoil cosmology neutrino mass measurements!

We need the **interplay with particle physics** to get a global picture.

- Short-range effects can bias our understanding of astrophysical & cosmological environments (supernovae, precision cosmology).  
But, in turn, astrophysical neutrinos offer an independent probe.

IceCube-Gen2 will inaugurate the era of **precision** high-energy astrophysical exploration of neutrino self-interactions!

