

**Fermilab, May 5th 2015**

**Twin Higgs mechanism  
and Composite Higgs**

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# Disclaimer

In this talk many  $O(1)$  estimates

- > Composite models are not really calculable
- > I will focus more on the proposal of a scenario than an actual model
- > I think that this approach catches the relevant physics

# Outline

- > Why Twin Higgs?
- > Why Composite Higgs?
- > Why Composite Twin Higgs?

# Again on the Hierarchy Problem

Not a problem of quadratic “divergences”, but a matter of thresholds

$$\mathcal{L}_{UV} = \frac{1}{2}(\partial\varphi)^2 - \frac{1}{2}m^2\varphi^2 + \bar{\psi}i\partial\psi - M_\psi\bar{\psi}\psi - y\varphi\bar{\psi}\psi$$

Suppose  $m \ll m_\Psi$  and integrate out the fermion

The boundary condition has to be known with accuracy (aka **tuning**)

$$\Delta = \frac{y^2}{4\pi^2} \frac{M_\psi^2}{m^2}$$

If new particles are coupled to the Higgs they induce a tuning if they're heavy.

Many phenomena point to the existence of new particles/scales

(Dark Matter, Baryogenesis, Neutrino Physics, ...)

A conservative approach is to screen these UV effects already at the weak scale

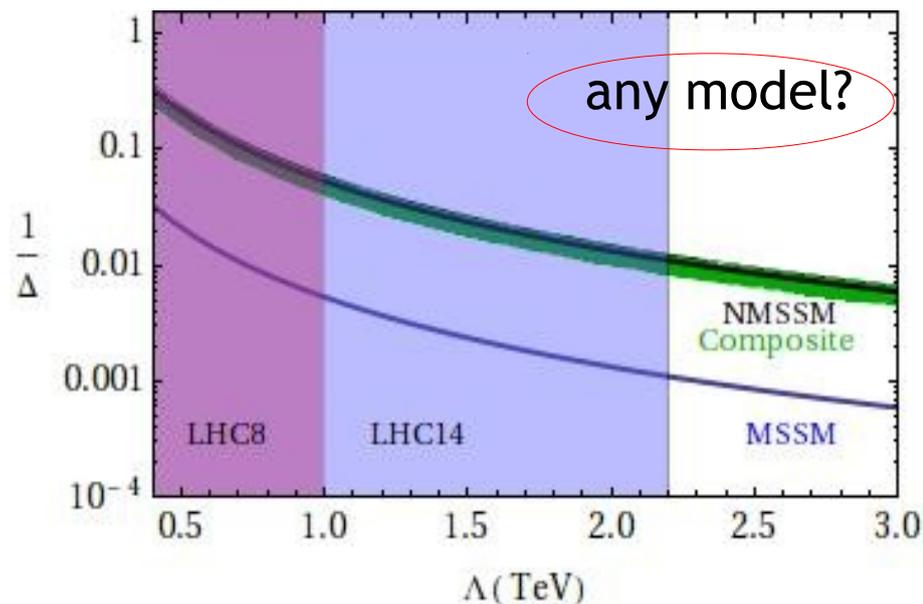
(Even a ‰ tuning is nothing compare to what we gain by screening the UV)

# The top-sector and the tuning

If new symmetries stabilize the weak scale, the top-loop becomes important  
(Supersymmetry, Composite Higgs)

$$|\delta m_h^2| = \frac{3}{8\pi^2} y_t^2 \Lambda_{\text{colored}}^2 + \dots$$

LHC measured a lot of tuning, despite it is not an observable



After two years of the run II we might be in an unpleasant situation

# Twin Higgs

Chacko, Goh, Harnik '05

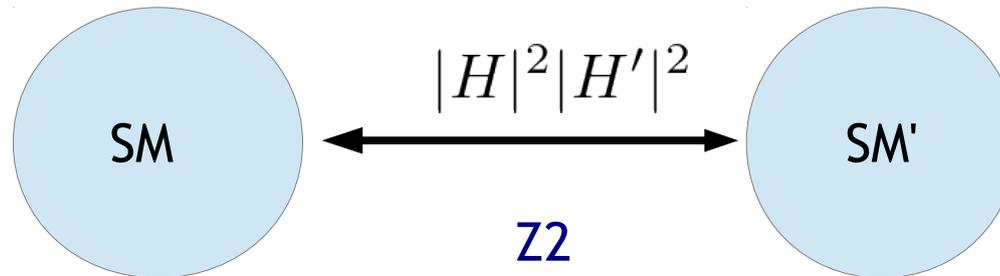
# The Twin Higgs idea

The cancellation of the quadratic “divergence” can be achieved **without colored** particles

Chacko, Goh, Harnik '05

How?

Use a mirror copy of the SM, SM'



Assume that the potential is dominated by a  $SO(8)$ -invariant term

$$\lambda(H^2 + H'^2 - f^2)^2 \quad \frac{SO(8)}{SO(7)} = 7 \text{ GBs}$$

$$7 \text{ Gbs} - (3 W/Z) - (3 W'/Z') = 1 \text{ physical scalar, } h \quad m_h = 0$$

$$+1 \text{ “radial mode”, } \sigma \quad m_\sigma \sim \sqrt{\lambda} f$$

Radiative contributions are SO(8)-invariant at the leading order

$$V \supset -N_c \frac{y_t^2}{32\pi^2} \Lambda^2 (H^2 + H'^2) \longrightarrow m_h^2 = 0$$

At 1-loop there is no sensitivity to  $\Lambda^2$  thanks to the additional Z2  
Higgs mass proportional to  $O(g^4)$

At  $O(g^4)$  we have contributions that break SO(8)

$$V_{O(y_t^4)} \supset N_c \frac{y_t^4}{32\pi^2} \left( H^4 \log \frac{\Lambda^2}{y_t^2 |H|^2} + H'^4 \log \frac{\Lambda^2}{y_t^2 |H'|^2} \right)$$

$$m_h^2 \sim g_{SM}^4 v^2$$

The potential is then of the form

$$V(H, H') = \lambda(H^2 + H'^2 - f_0^2)^2 + \delta(H^4 + H'^4)$$

The model is clearly ruled out

Need to break the Z2 symmetry

$$V(H, H') = \lambda(H^2 + H'^2 - f_0^2)^2 + \delta(H^4 + H'^4) + m^2(H^2 - H'^2)$$

$$\langle H \rangle = v \ll \langle H' \rangle \sim f$$

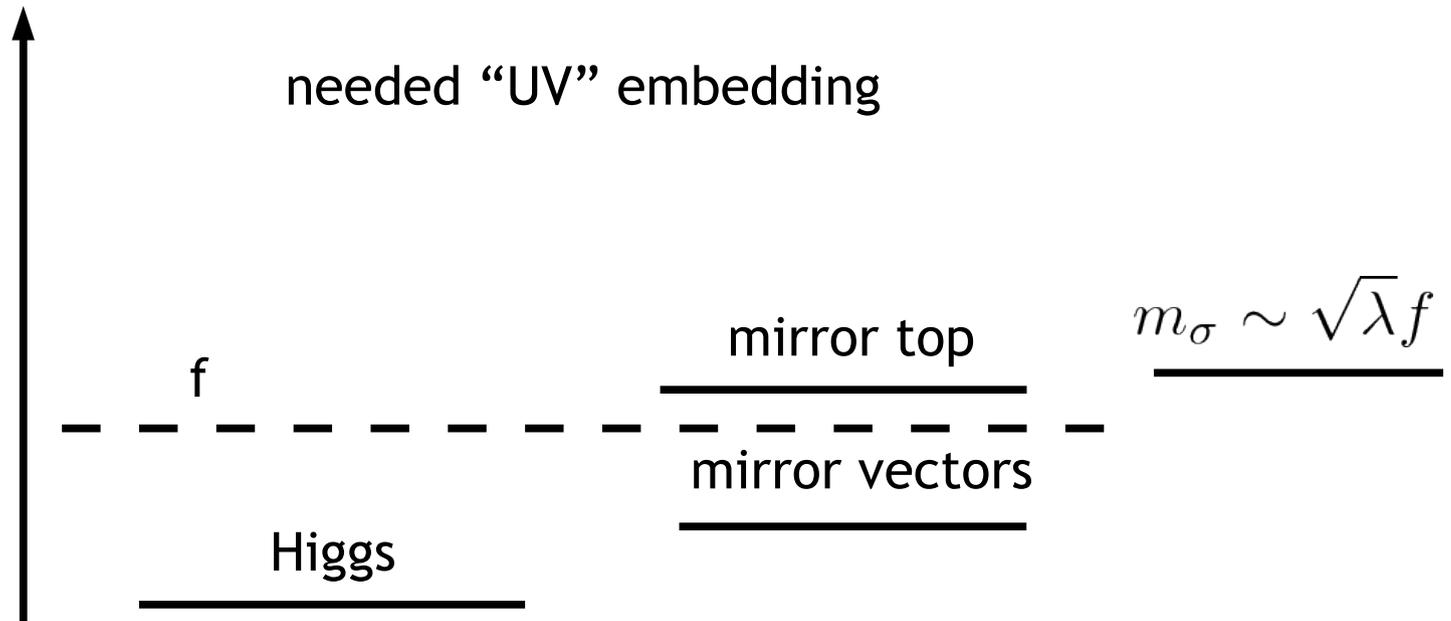
Now the model is phenomenologically viable

$$\sin^2 \gamma = \frac{f^2 m_h^2 - (m_h^2 + m_\sigma^2) v^2}{f^2 (m_h^2 - m_\sigma^2)}$$

mixing angle between h and  $\sigma$   
deviation in h-couplings

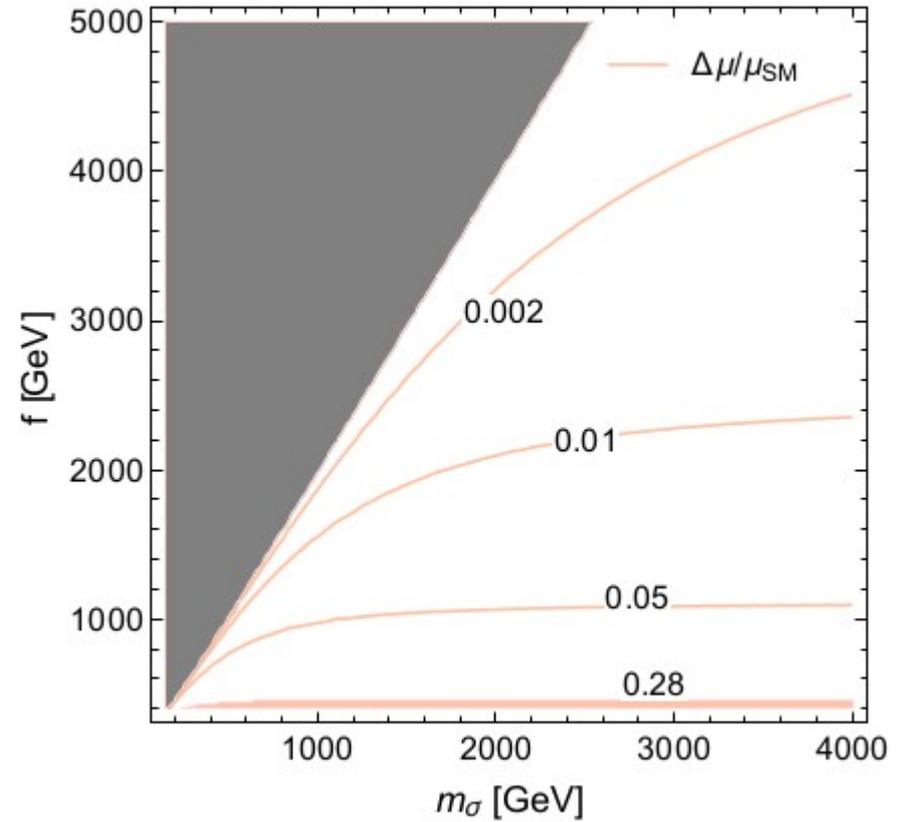
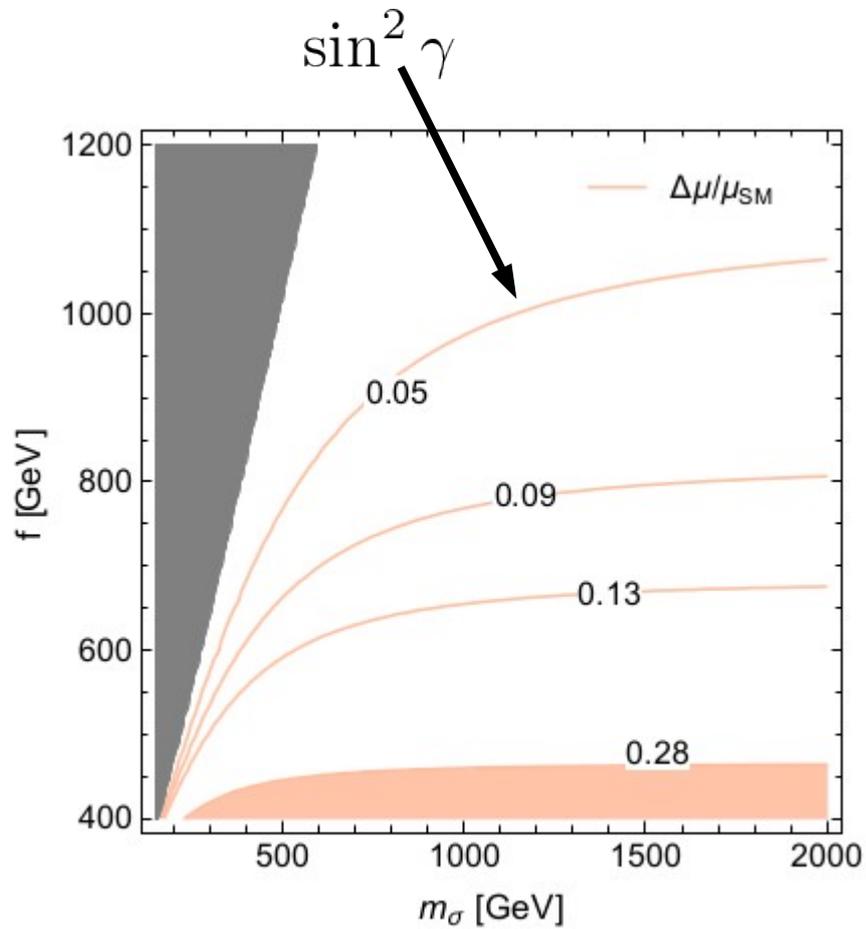
# The low energy spectrum

Upon EWSB (and Z2-breaking) the mirror spectrum is lifted by  $f/v$   
(by the amount of Z2 breaking)



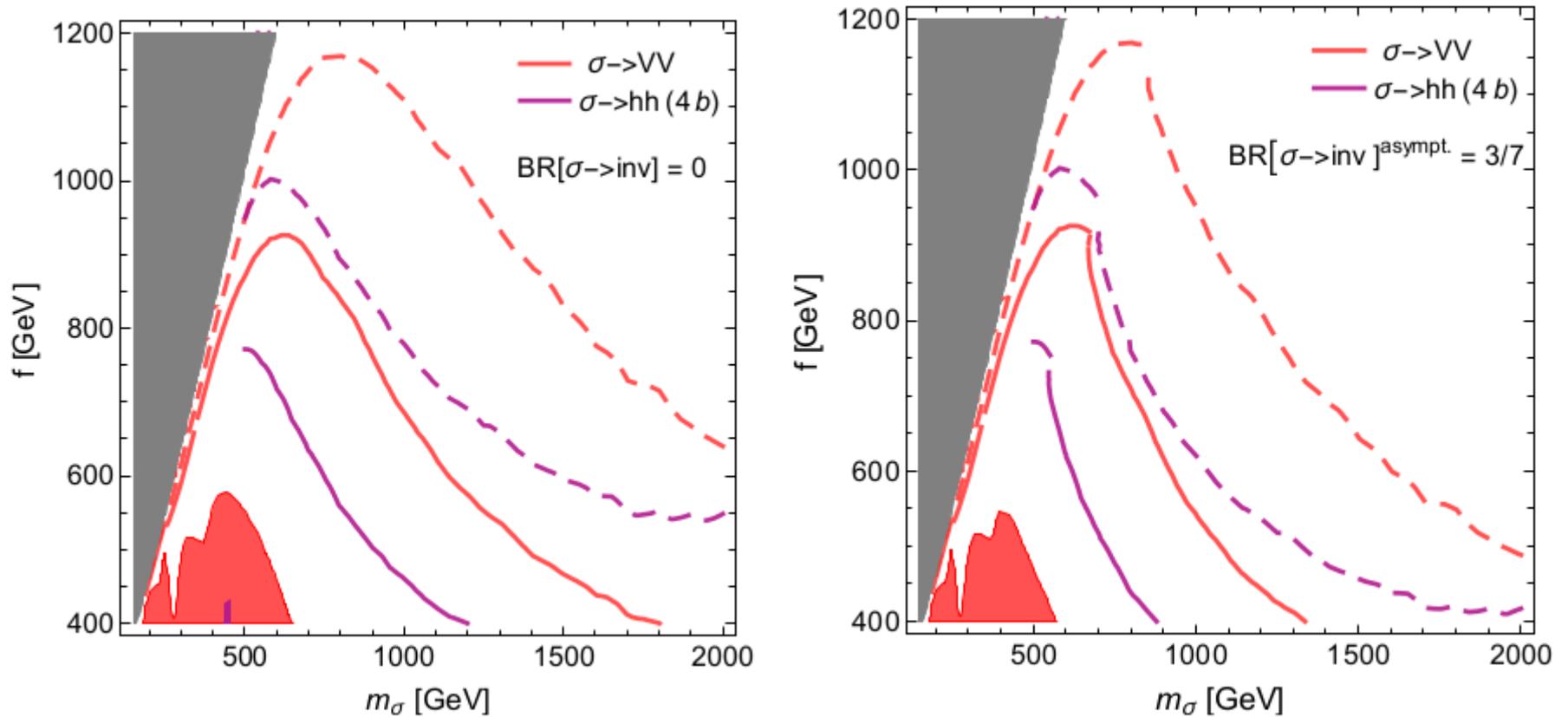
Depending on the size of  $\lambda$ , the radial mode can be close to  $f$

The scale  $f$  and the mass  $m_\sigma$  control the phenomenology



Relevance of Higgs physics  
EWPT equally important

If the needed UV completion is **weakly coupled**,  $\sigma$  is expected close to  $f$ .  
The model can be mainly studied by looking for the extra scalar



single production

**w/ Dario Buttazzo and Filippo Sala**

anyhow, I will focus on strongly coupled scenarios

The Twin Higgs mechanism is a symmetry argument to protect the Higgs potential

## Question:

Can we combine it with models that already address the Hierarchy problem?

- > check if the scale of colored partners can be “decoupled”
- > check what is the advantage of the whole picture

Two main paradigms on the market:

SUSY + twin \*

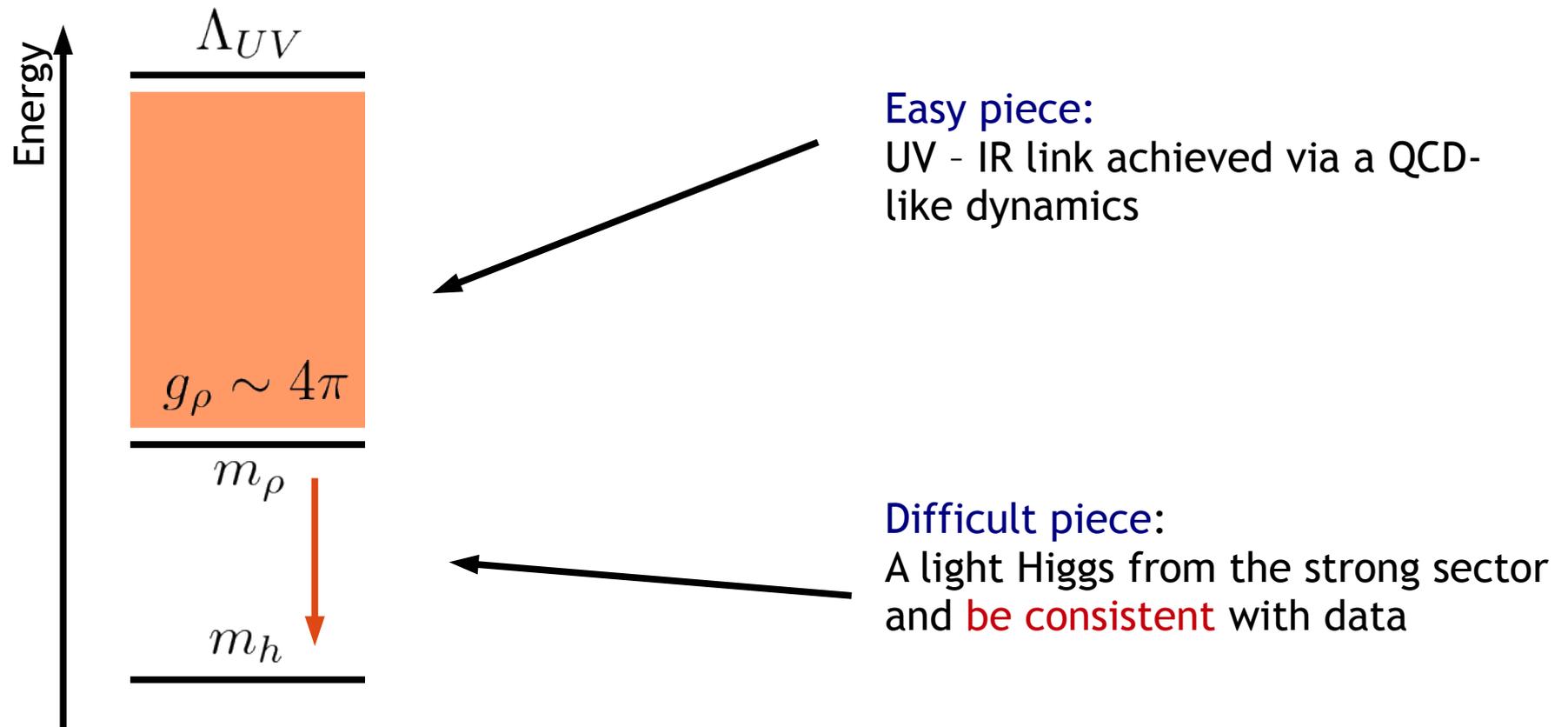
see [Craig, Howe](#)

Composite + twin

[this talk](#)

# Composite Higgs

# The compositeness “paradigm”



This scenario offers a solution to the previous problem if

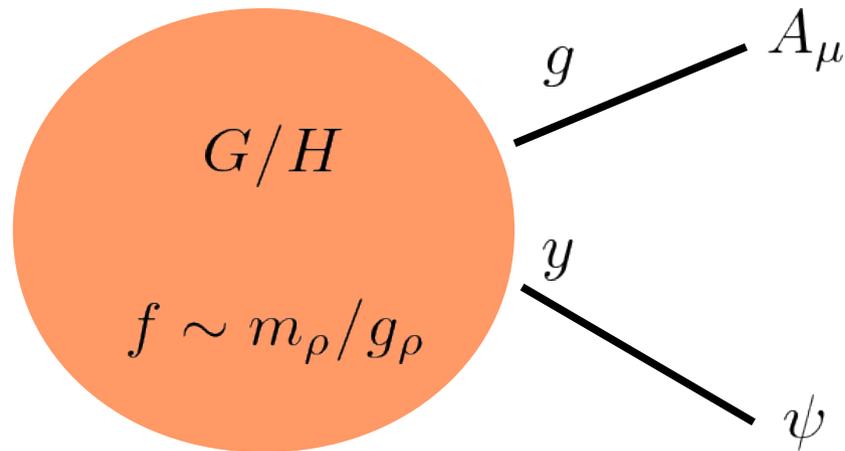
$$m_\rho \sim 500 \text{ GeV} \sqrt{\Delta}$$

In technicolor-like theory a light Higgs is not expected,  
need some other ingredients

# Composite Higgs models

Georgi Kaplan '80s  
...  
Agashe, Contino, Pomarol

In presence of an approximate global symmetry the Higgs is a **pseudo-GB**



Higgs (and W/Z goldstones) are part of the strong sector

The external fields are the SM quarks and (transverse) gauge bosons

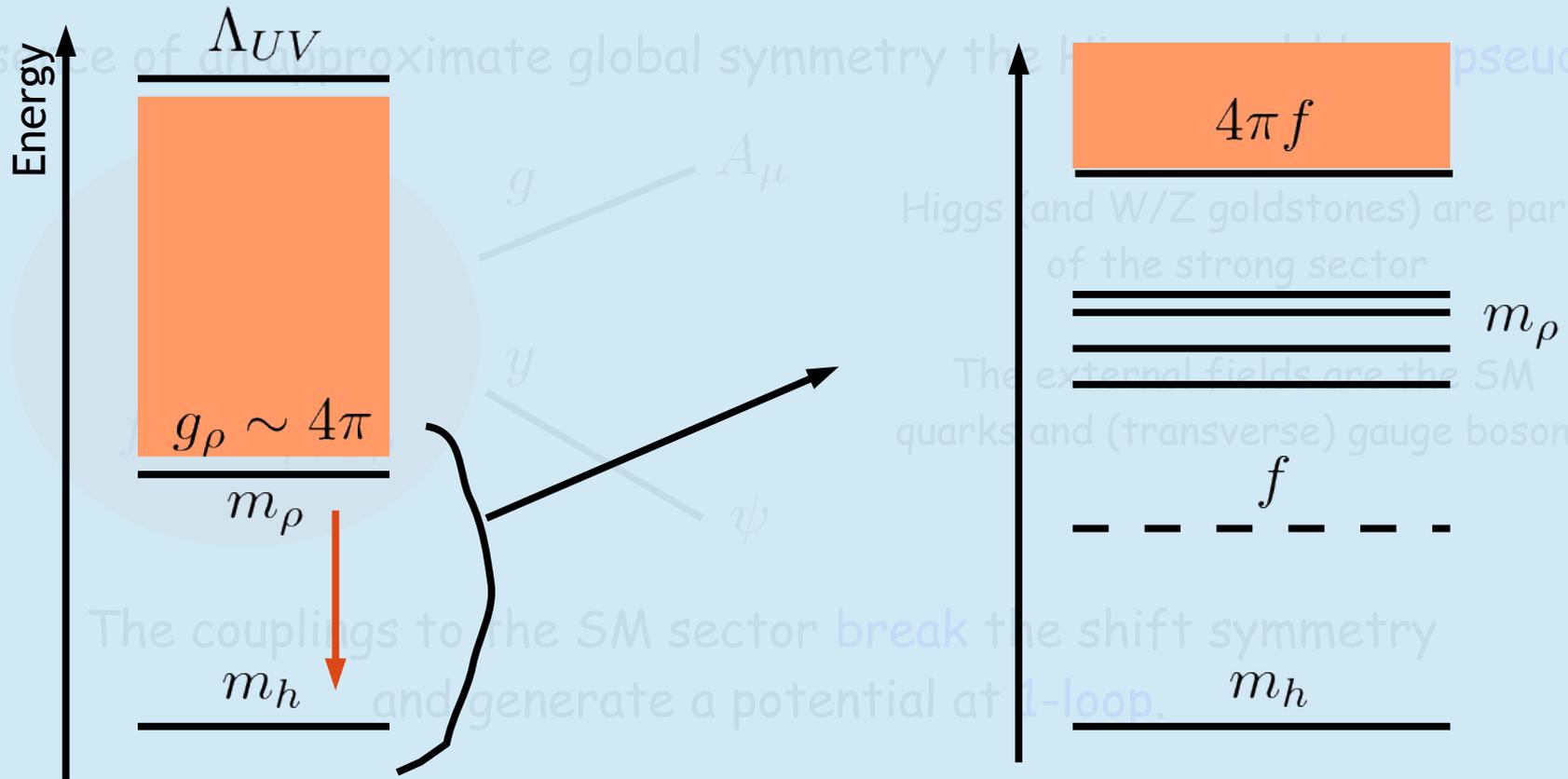
The couplings to the SM sector **break** the shift symmetry and generate a potential at **1-loop**.

## (Ambitious) task

- > Generate EWSB radiatively and achieve a Higgs boson of 125 GeV
- > Consistency with precision data
- > Minimize the fine-tuning

# Let me zoom in the low-energy region

Georgi Kaplan '80s  
 ...  
 Contino, Pomarol



The couplings to the SM sector break the shift symmetry and generate a potential at 1-loop.

(Ambitious) tasks

Below  $4\pi f$  it makes sense to talk about resonances and to describe them according to the **symmetries** at the scale  $f$

I am not going to argue anything about what is above  $4\pi f$  (same as in low-energy QCD)

- Find a UV completion that is consistent with precision data
- Generate EWSB radiatively and achieve a Higgs boson of 125 GeV
- Be consistent with precision data
- Have a prediction on the scale of the resonances
- Minimize the fine-tuning

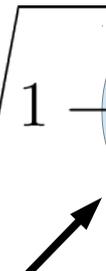
# The Minimal Composite Higgs

Agashe, Contino, Pomarol

$$SO(5)/SO(4) \rightarrow 4 \text{ GBs}$$

$$U = \exp\left(i\sqrt{2}\frac{\pi^a}{f}T^a\right) \quad T^a = \begin{pmatrix} 0 & X_a \\ -X_a & 0 \end{pmatrix} \quad \Sigma_i = U_{i5}$$

The lowest-energy lagrangian (below  $m_p$ ) is highly constrained by G/H  
 Writing the pion lagrangian and introducing the gauging with minimal substitution we get,

$$\frac{1}{2}(D_\mu \Sigma)^2 \supset \frac{1}{2}(\partial h)^2 + \frac{1}{2}m_V^2 V_\mu^2 \left(1 + 2\sqrt{1 - \frac{v^2}{f^2}\frac{h}{v}} + \dots\right) \quad \begin{aligned} h &= \pi^4 - \theta \\ v &\equiv f \sin \theta \end{aligned}$$


The first prediction is a shift in the Higgs couplings

$$M_W = (g f/2) \sin \theta$$

- Large  $f$ , SM-limit
- $f=v$ , Technicolor-limit

LHC data suggest  
 $f > 5\text{-}600 \text{ GeV}$

$$\Sigma = (0, 0, 0, \sin(h/f), \cos(h/f))$$

$\theta$  is determined dynamically

# Indirect effects in Composite Higgs

SO(4) avoids large custodial breaking: after EWSB there is a residual SO(3)

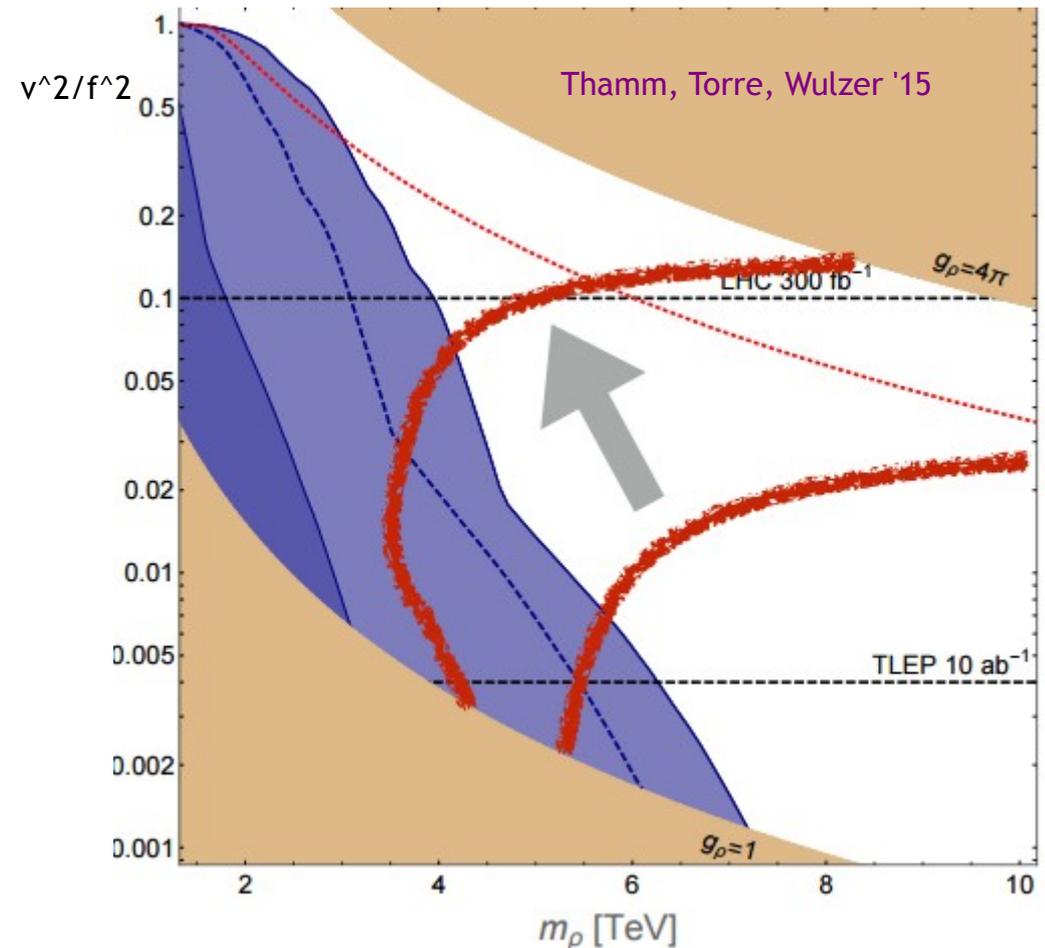
- > T-parameter: zero at tree-level
- > S-parameter: generated at tree-level by resonances  $\simeq m_W^2 / m_\rho^2$
- > Modified Higgs couplings generate a contribution to S and T via running

$$S \simeq + \frac{1}{12\pi t_w^2} \frac{v^2}{f^2} \log \frac{m_\rho^2}{m_h^2}$$

$$T \simeq - \frac{3}{16\pi c_w^2} \frac{v^2}{f^2} \log \frac{m_\rho^2}{m_h^2}$$

Strict EWPTs require  $f > \text{TeV}$ .

It is **easy** to find UV contributions from fermions and relax this bound at a level comparable with Higgs couplings constraints



# Crucial role of the fermions

The gauge sector alone does not generate the EWSB  
However the inclusion of the fermion sector is **model dependent**

$$y_L f \bar{q}_L \Psi_q + y_R f \bar{u}_R \Psi_u + h.c.$$

In order to avoid the usual flavor problems of TC we rely on a **linear mixing**

- > The SM Yukawa couplings are given by  $y_{SM} \simeq y_L y_R \frac{f}{m_\Psi}$
- > The composite fermions are **coloured**

The above linear coupling is called **partial compositeness mechanism**.  
The SM quarks are a combination of elementary and composite fields.

Kaplan '91

# Higgs potential

In the limit where  $g=0$ ,  
the potential is entirely  
due to the top sector

$$\mathcal{L} = y_L f \bar{q}_L U \Psi + y_R f \bar{u}_R U \Psi + \mathcal{L}_{\text{comp}}(\Psi, U, m_\psi)$$

At 1-loop, the mixing between  $q$  and  $u$  with  $\Psi$  generates non-vanishing contributions

$$V(h) \simeq \frac{N_c}{16\pi^2} \left[ a(yf)^2 m_\psi^2 F_a(h/f) + b(yf)^4 F_b(h/f) \right]$$

Giudice, Grojean, Pomarol, Rattazzi

- $F_x$  is a sum of trigonometric functions of  $h/f$
- $a, b$  are model-dependent coefficients

Remember that  $y_{SM} \simeq y^2 \frac{f}{m_\Psi} \longrightarrow V \simeq \frac{N_c}{16\pi^2} m_\Psi^4 \left[ a \frac{y_t f}{m_\Psi} F_a + b \left( \frac{y_t f}{m_\Psi} \right)^2 F_b \right]$

Composite Higgs potential is highly sensitive to the fermionic scale

$m_\psi$  is the physical threshold

# Higgs mass and tuning

In most of the models we have the following predictions

$$m_h^2 \simeq b \frac{N_c y_t^2 v^2}{2\pi^2} \frac{m_\Psi^2}{f^2}, \quad \Delta \simeq \frac{m_\Psi^2}{m_t^2} = \frac{f^2}{v^2} \frac{m_\Psi^2}{y_t^2 f^2}$$

Tuning larger than  
naïve  $v^2/f^2$

- > 125 GeV **requires** light composite fermions\*
- > **Light** means  $m_\Psi/f \sim 1$  (not  $4\pi$ )
- > Tuning is minimized when the **overall** scale  $m_\Psi$  is light
- > Need to look for colored fermionic top-partners

$$m_\Psi \Big|_{m_h} \sim 800 \text{ GeV} \left( \frac{f}{600 \text{ GeV}} \right)$$

\*different from SUSY

# Can we disentangle the relation $m_\Psi \sim m_h$ ?

In standard Composite models we can only play with:

- > representations of  $\Psi$
- > size of the elementary-composite mixings

Two main possibilities within  $SO(5)/SO(4)$

- > tR, fully composite (aka **total singlet**)

$$y_{SM} \simeq y^2 \frac{f}{m_\Psi} \quad \xrightarrow{y_R \rightarrow m_\Psi/f} \quad y_{SM} \simeq y$$

$$m_h^2 \simeq b \frac{N_c y_t^4 v^2}{2\pi^2} \quad \Delta \simeq \frac{m_\Psi^2}{m_t^2}$$

no light fermions, but large tuning

- > qL in the **14**

$$m_h^2 \simeq b \frac{N_c y_t^2 v^2}{2\pi^2} \left(\frac{m_\Psi}{f}\right)^{2-3} \quad \Delta \simeq \frac{f^2}{v^2} \quad m_\Psi \text{ not in VEV, but in } m_h$$

# The search for top partners

Given that the Higgs mass requires  $m\Psi \sim f$ ,  
direct searches are more powerful than precision constraints\*

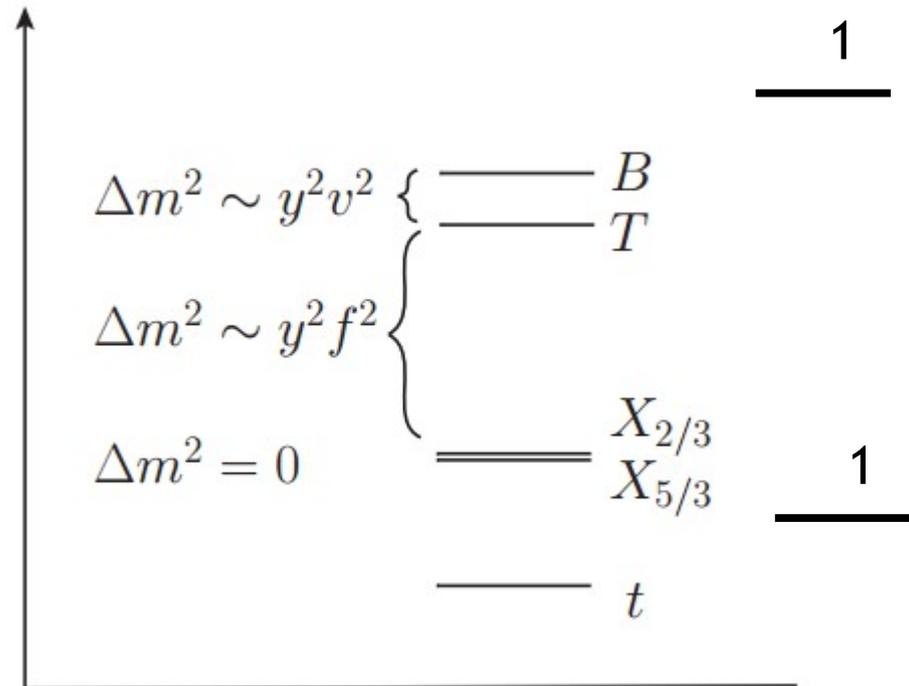
$\Psi$  is a complete multiplet of  $SO(5)$ , usually a  $5=4+1$  of  $SO(5)$

$$\Psi = \frac{1}{\sqrt{2}} \begin{pmatrix} iB - iX_{5/3} \\ B + X_{5/3} \\ iT + iX_{2/3} \\ -T + X_{2/3} \end{pmatrix} + \mathbf{1}$$

Lightest state has 5/3 e-charge,  
 $X_{5/3} \rightarrow W + \text{top}$

$$m\Psi > 800 \text{ GeV}$$

pair produced

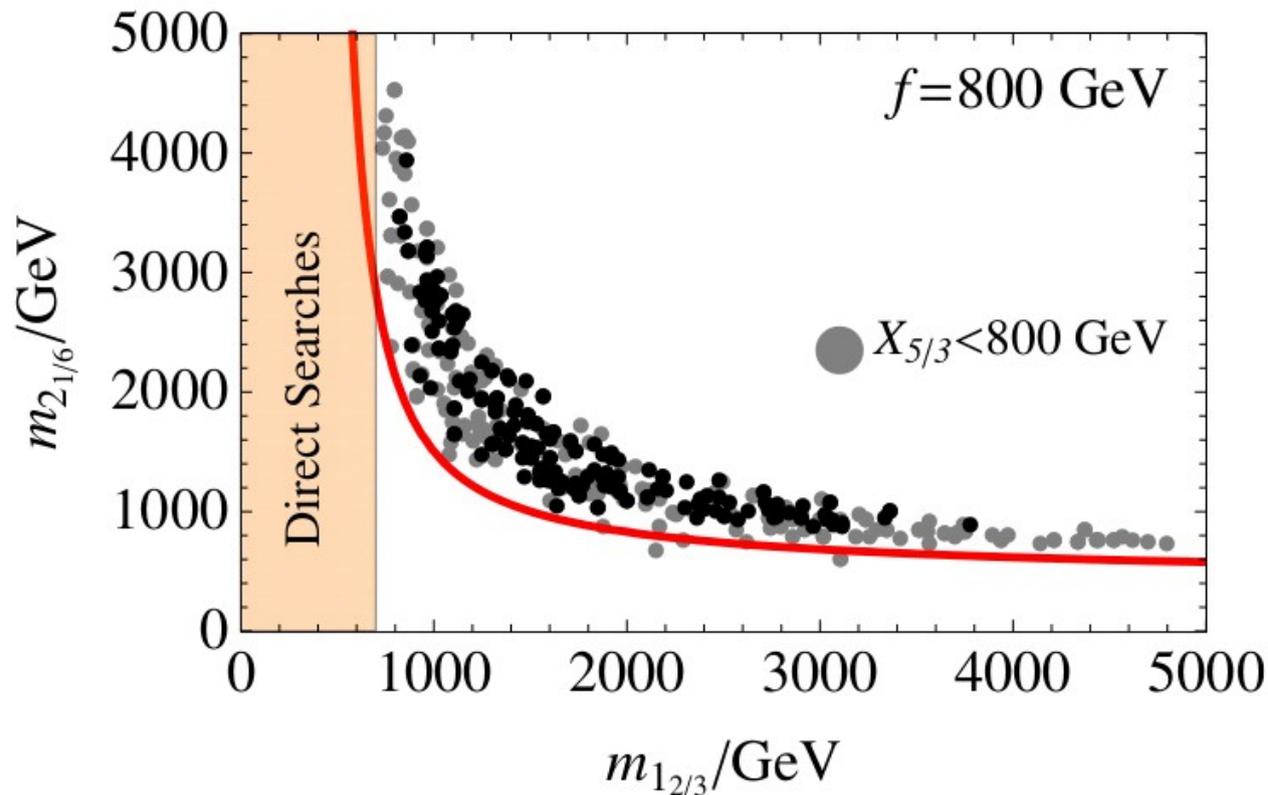


# An explicit model

Using a 3-site model we can compute the Higgs potential (at 1-loop)  
The finiteness of the potential depends on the number of resonances below  $4\pi f$

When we focus on the 2 lightest top-partners

$$m_h^2 \simeq \frac{N_c}{\pi^2} \frac{m_t^2}{f^2} \frac{m_{2_{1/6}}^2 m_{1_{2/3}}^2}{m_{2_{1/6}}^2 - m_{1_{2/3}}^2} \log \frac{m_{2_{1/6}}^2}{m_{1_{2/3}}^2}$$

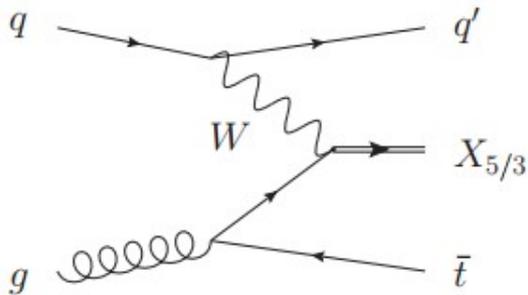
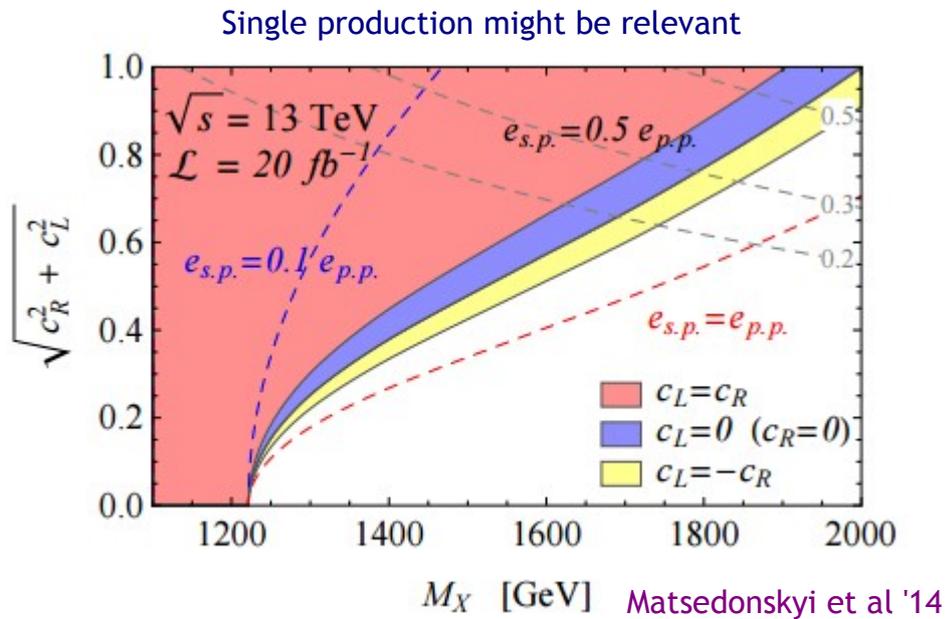


- LHC14 will explore the relevant regions
- Here  $f$  is fixed at the target value of LHC14
- Raising  $f$  does not change the Higgs mass (only  $v^2/f^2$  corrections)

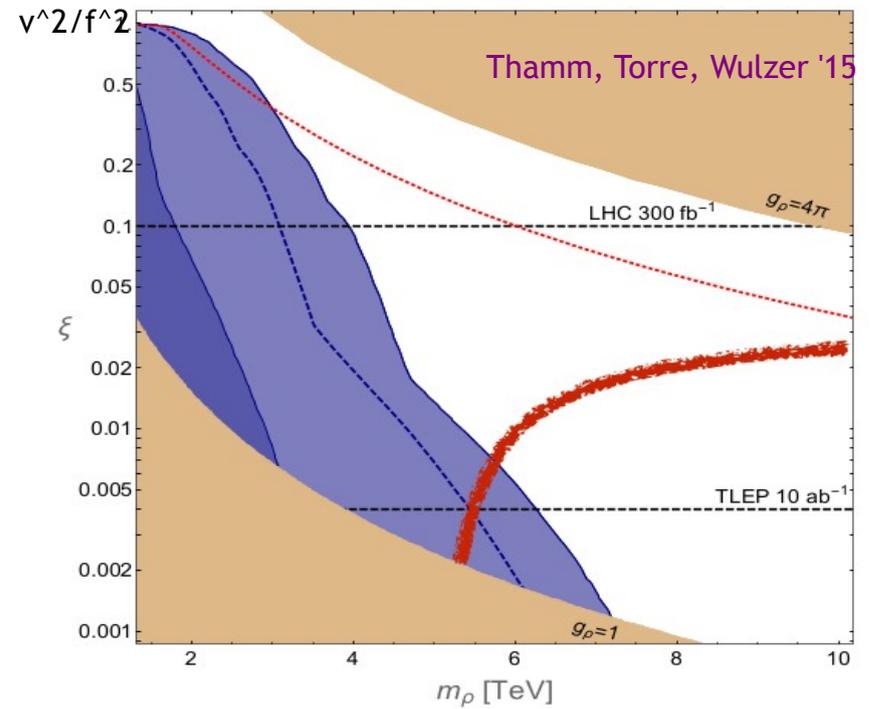
# Summary of Composite Higgs

Composite Higgs models at LHC14

## Composite Fermions

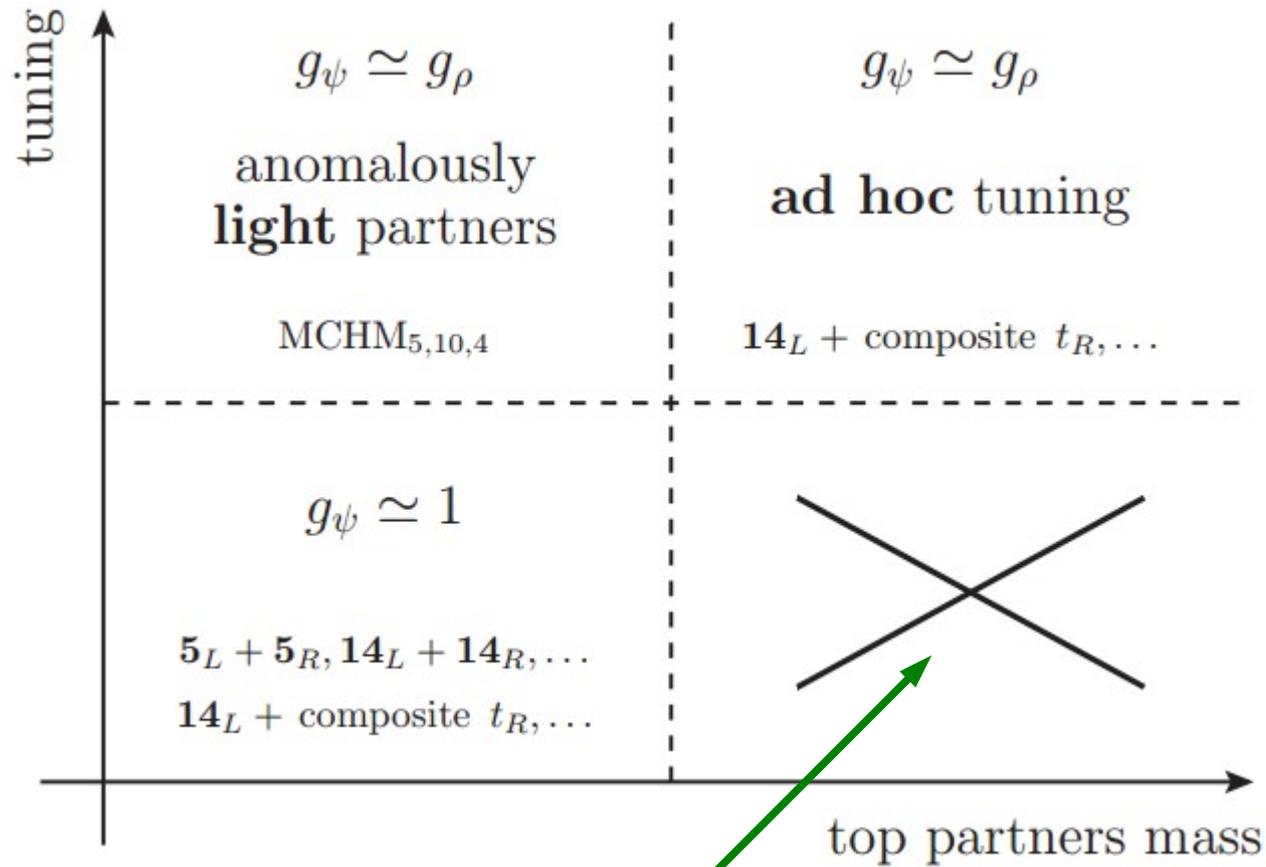


## Composite Vectors



“trivial” phenomenology

# An open question:



Is it really impossible to fill in that region?

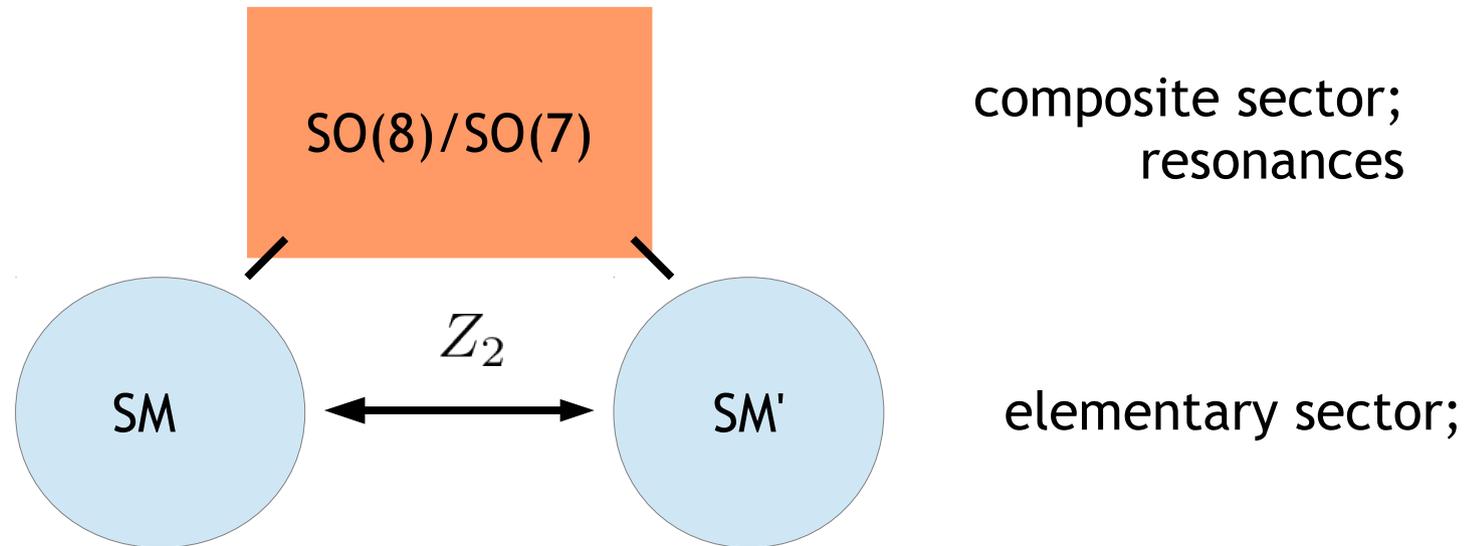
# Twin Higgs and Composite Higgs

with M. Low and L.T Wang  
arXiv:1501.07890

see also  
Geller, Telem  
Craig, Sundrum, Katz, Strassler,  
Barbieri, Greco, Rattazzi, Wulzer

# Composite Twin Higgs

The minimal option is offered by  $SO(8)/SO(7)$



$$U = \exp\left(i\sqrt{2}\frac{\pi^a}{f}T^a\right) \quad T^a = \begin{pmatrix} 0 & X_a \\ -X_a & 0 \end{pmatrix} \quad \Sigma_i = U_{i8}$$

The gauging of the EW part of SM and SM' is given by

$$\left( \begin{array}{c|c} g \cdot SO(4) & 0 \\ \hline 0 & g' \cdot SO(4)' \end{array} \right)$$

Need to gauge also the mirror  $SU(3)'$

# Resonances in the model

- > The vector resonances are in the  $21 + 7$ ,  $Z_2$  is automatic
- > Need to double the composite fermions in a  $Z_2$ -fashion

Resonances	SO(8)	SO(7)	SO(4) $\times$ SO(4)'	SU(3) <sub>c</sub> $\times$ SU(3)' <sub>c</sub> $\times$ Z <sub>2</sub>
$\Psi_L$	8	7 $\oplus$ 1	(4,1) $\oplus$ (1,4)	(3,1) $\oplus$ (1,3)
$\Psi_R$	1	1	(1,1)	(3,1) $\oplus$ (1,3)
$\Psi_R$	35	27 $\oplus$ 7 $\oplus$ 1	(9, 1) $\oplus$ (1, 9) $\oplus$ (4, 4) $\oplus$ (1, 1)	(3,1) $\oplus$ (1,3)
$\Psi_R$	28	21 $\oplus$ 7	(6, 1) $\oplus$ (1, 6) $\oplus$ (4, 4)	(3,1) $\oplus$ (1,3)
$\rho$	28	21 $\oplus$ 7	(6, 1) $\oplus$ (1, 6) $\oplus$ (4, 4)	(1,1)

The Gbs can be cast into a 8-plet

$$\Sigma = (0, 0, 0, \sin \frac{h}{f}, 0, 0, 0, \cos \frac{h}{f}) \quad v = f \sin h/f$$

Under the action of  $Z_2$

$$h \rightarrow -h + \frac{\pi}{2} f$$

# Why not SU(4)/SU(3) ?

SU(4)/SU(3) describes the same 7 GBs

However the twin mechanism fails in the gauge sector

$$a|D_\mu \Sigma|^2 + b(\Sigma^\dagger D_\mu \Sigma)^2 + (\text{mirror})$$

Barbieri, Greco, Rattazzi, Wulzer

$$V(h) \sim ag^4 f^4 s_h^2 c_h^2 + bg^2 g_\rho^2 s_{2h}^2 \sim O(g^2) \quad \text{not } O(g^4)$$

The second invariant breaks also the custodial symmetry

Chacko, Goh, Harnik '05

Maybe this is only a problem of strongly coupled theories,  
where anything that is not forbidden by some symmetry it will happen

# V(h) from the top-sector

We can focus on the n $\sigma$ -model with just SM and its mirror copy

$$\mathcal{L} = \bar{q}_L i D q_L + \bar{u}_R i D u_R + y_t f (\bar{q}_L^{\mathbf{8}})^i \Sigma_i u_R^{\mathbf{1}} + (\text{mirror}).$$

SO(8) requires q<sub>L</sub> in a 8 of SO(8)

$$(q_L^{\mathbf{8}})^i = \frac{1}{\sqrt{2}} (i b_L, b_L, i t_L, -t_L, 0, 0, 0, 0)^i \quad m_t = \frac{y_t f s_h}{\sqrt{2}}, \quad m_{t'} = \frac{y_t f c_h}{\sqrt{2}}$$

$$V = \frac{N_c y_t^4 f^4}{64\pi^2} \left[ c_h^4 \log \left( \frac{2\Lambda^2}{y_t^2 f^2 c_h^2} \right) + s_h^4 \log \left( \frac{2\Lambda^2}{y_t^2 f^2 s_h^2} \right) \right] - \frac{N_c y_t^2 \Lambda^2}{16\pi^2} (s_h^2 + c_h^2)$$

- > No power sensitivity to the mass thresholds  $\Lambda$
- > IR-effects due to top and mirror top masses
- > Potential breaks SO(8), but not Z<sub>2</sub>

# Z2 breaking - minimal tuning

Suppose that we add a Z2 breaking term

$$\frac{N_c y_t^4 f^4}{64\pi^2} \left[ c_h^4 \log \left( \frac{2\Lambda^2}{y_t^2 f^2 c_h^2} \right) + s_h^4 \log \left( \frac{2\Lambda^2}{y_t^2 f^2 s_h^2} \right) \right] + \frac{N_c y_t^4 f^4}{32\pi^2} b s_h^2$$

If  $b \sim O(1)$ , we achieve the correct electro-weak vacuum with a tuning

$$\Delta \simeq \frac{f^2}{v^2} \quad \text{minimal tuning}$$

the Higgs mass is of the right size

$$m_h^2 \simeq \frac{N_c}{\pi^2} \frac{m_t^2 m_{t'}^2}{f^2} \left[ \log \left( \frac{\Lambda^2}{m_{t'} m_t} \right) + \dots \right]$$

If such Z2 breaking term exists we have no power sensitivity to  $\Lambda \sim m_\Psi$   
and the tuning is minimal (in the sense above)

# General expression for $V(h)$

- > Focus on the top-sector: largest Z2-even contribution
- > Allow for Z2-odd terms
- > Let me forget about the logs (for the moment)

$$V(h) \simeq \frac{N_c}{16\pi^2} (yf)^{2n} m_\Psi^{2(2-n)} \left[ -as_h^2 c_h^2 + b\lambda s_h^2 \right] \quad n = 1, 2$$

model dependent deviation from 0(1)

$$y_{\text{SM}} \simeq y^k \frac{f^{k-1}}{m_\Psi^{k-1}} \quad k = 1, 2.$$

		$n$	$k$	$V(h)_{\text{TH}}$	$y_{\text{SM}}$
$q_L^8$	$u_R^1$	2	1	$\sim y^4 f^4$	$y$
$q_L^8$	$u_R^{28}$	2	2	$\sim y^4 f^4$	$y^2(f/m_\Psi)$
$q_L^8$	$u_R^{35}$	1	2	$\sim y^2 f^2 m_\Psi^2$	$y^2(f/m_\Psi)$

To get an interesting result we shall focus only on tR as a total singlet  
(this has nothing to do with the twin mechanism)

# Possibilities for the Z2-breaking

# Z2 breaking in the top sector

Suppose we break Z2 in the elementary-composite mixing

$$y_L f \bar{q}_L U \Psi + y'_L f \bar{q}'_L U \Psi' + \mathcal{L}_{\text{comp}}(Z_2)$$

notice that tR does not break SO(8)

$$V(h)_{\text{TH}} \simeq \frac{N_c}{16\pi^2} \left[ - a y^4 f^4 \underbrace{s_h^2 c_h^2}_{Z_2} + b y^2 f^2 \underbrace{m_{\Psi}^2 s_h^2}_{Z_2} \right]. \quad y_L \sim y_{L'} \sim y$$

$$m_h^2 \simeq a \frac{N_c y_t^4 v^2}{2\pi^2} \quad \Delta \simeq \frac{m_{\Psi}^2}{m_t^2} \quad \text{same as in Composite Higgs}$$

---

We also discussed a soft breaking  $m_{\Psi} \neq m_{\Psi'}$ , w/ large masses and small splitting

$$\Delta \sim \frac{f^2}{v^2} \frac{m_{\Psi}^2 - m_{\Psi'}^2}{y_t^2 f^2} \quad \text{almost } Z_2 \quad \frac{f^2}{v^2}$$

# Z2 breaking in the lighter quarks

If the breaking originates in the lighter quarks

$$V(h)_{\text{TH}} \simeq \frac{N_c}{16\pi^2} \left[ -ay_t^4 f^4 s_h^2 c_h^2 + by^2 f^2 m_\Psi^2 s_h^2 \right]$$
$$y^2 \sim y_q^{\text{SM}} \frac{m_\Psi}{f}$$

Higgs mass is OK and the VEV is *mildly* sensitive to composite fermions

$$m_h^2 \simeq \frac{aN_c y_t^4 v^2}{2\pi^2}, \quad \Delta|_{\text{bottom}} \sim \frac{f^2}{v^2} \left( \frac{m_\Psi}{4f} \right)^3, \quad \Delta|_{\text{charm}} \sim \frac{f^2}{v^2} \left( \frac{m_\Psi}{7f} \right)^3$$

- > The **prediction** is  $m_\psi \sim 4-7 f$
- > Vector resonances are “unconstrained”

# Z2 breaking in the gauge sector

Another possibility can be offered by breaking Z2 in the gauge sector

$$V(h) \simeq -\frac{N_c}{16\pi^2} a y_t^4 f^4 s_h^2 c_h^2 + b \frac{9(g^2 - g'^2)}{64\pi^2} f^2 m_\rho^2 s_h^2 \quad m_\rho \simeq g_\rho f$$

Higgs mass is OK and the VEV is not sensitive to composite fermions

$$m_h^2 \simeq a \frac{N_c y_t^4}{2\pi^2} v^2, \quad \Delta \simeq \frac{f^2}{v^2} \left( \frac{g_\rho}{5} \right)^2$$

- > The **prediction** is  $m_\rho \sim 4-5 f$
- > And composite fermions can be really at  $4\pi f$
- > Even better when only the mirror hypercharge is un-mirrored (see **Barbieri et al**)

**An example**

# An explicit computation

Let us consider the Z2-breaking in the gauge sector

$$\begin{aligned} \mathcal{L} &= y_L f (\bar{q}_L^8)^i (U_{iJ} \Psi_7^J + U_{i8} \Psi_1) + \text{h.c.} \\ &+ \bar{\Psi} i D \Psi - m_1 \bar{\Psi}_1 \Psi_1 - m_7 \bar{\Psi}_7 \Psi_7 - m_R (\bar{\Psi}_1)_L u_R^1 + (\text{mirror}) \\ \mathcal{L} &= -\frac{1}{4} (F_{\mu\nu}^2 + \text{mirror}, g') - \frac{1}{4} \rho_{\mu\nu}^2 + \frac{f^2}{4} \text{Tr}[(D_\mu U)^t D_\mu U] \\ & \qquad \qquad \qquad m_\rho = g_\rho f \end{aligned}$$

From the previous discussion

$$V(h) = -\alpha s_h^2 c_h^2 + \beta s_h^2 \qquad v = \sqrt{\frac{\alpha - \beta}{2\alpha}} f, \qquad m_h^2 = \frac{8\alpha}{f^4} v^2 \left(1 - \frac{v^2}{f^2}\right)$$

from top sector  
(also the log)

$$b \frac{9(g^2 - g'^2)}{64\pi^2} f^2 m_\rho^2$$

# Computation of the Higgs mass

Expanding in  $y_L f/m$ , the first contribution arises at  $O(y_L^4)$

$$\alpha = N_c y_L^4 f^4 \int \frac{d^4 p}{(2\pi)^4} \frac{(m_1^2 p^2 + m_7^2 (m_R^2 - p^2))^2}{2p^4 (m_7^2 - p^2)^4 (m_1^2 + m_R^2 - p^2)^2},$$

**UV-convergent** (a spurious IR-divergence: just the log-running of CW)

The prediction for the **Higgs mass**:

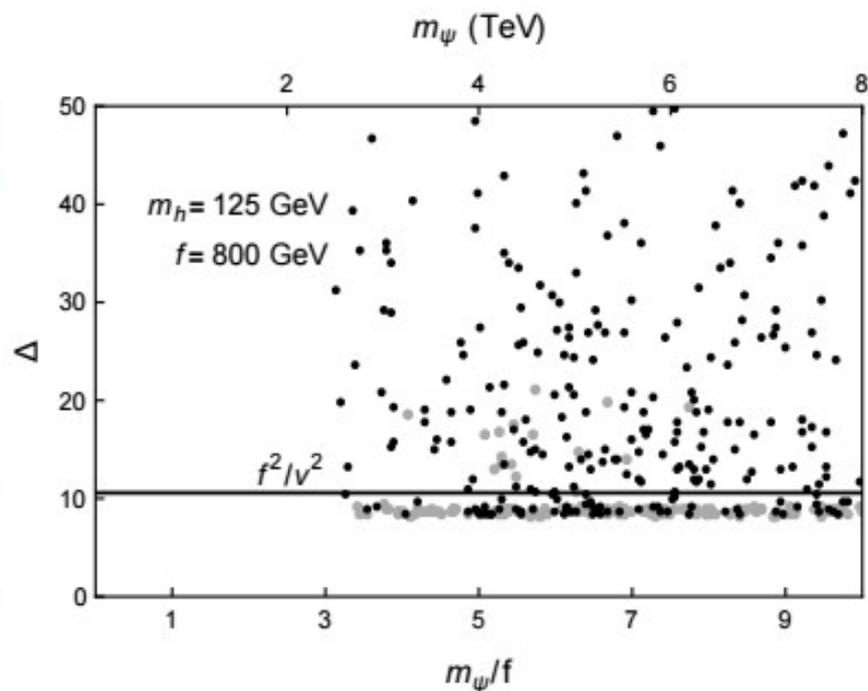
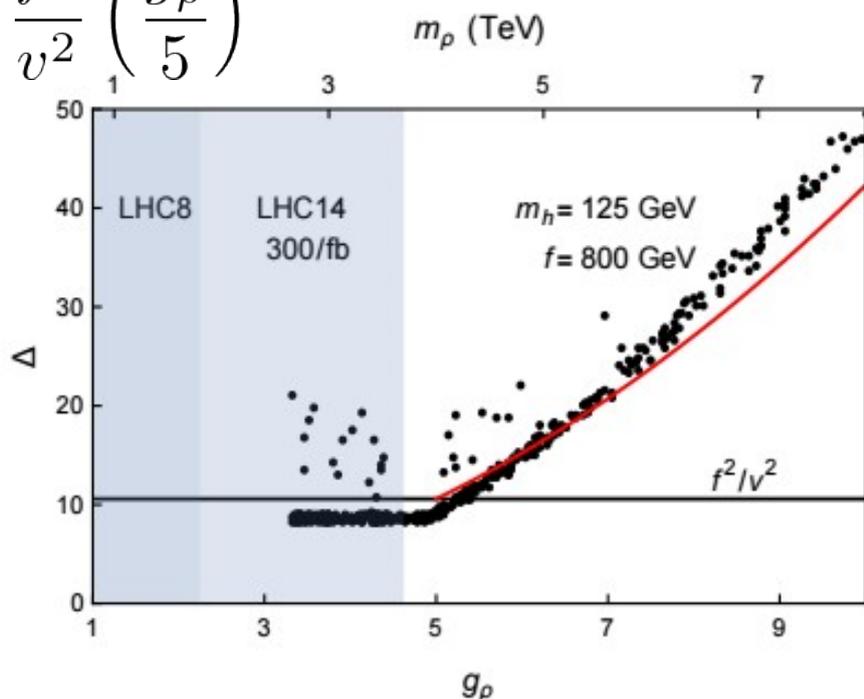
$$m_h^2 \simeq \frac{N_c y_t^4 v^2}{4\pi^2} \left[ \log \left( \frac{\bar{m}_1^2}{m_t' m_t} \right) - 5 \left( 1 - \frac{4}{5} \frac{\bar{m}_7^2}{\bar{m}_7^2 - \bar{m}_1^2} \log \left( \frac{\bar{m}_7^2}{\bar{m}_1^2} \right) \right) \right]$$

$$\bar{m}_7, \bar{m}_1 \gg y_L f, \quad m_1/m_R \simeq 1 + O(y_L^2)$$

The value of  $\beta$  needed for EWSB/Higgs mass corresponds to  $g \sim 4-5$

# Sensitivity to parameters

$$\Delta \simeq \frac{f^2}{v^2} \left( \frac{g_\rho}{5} \right)^2$$

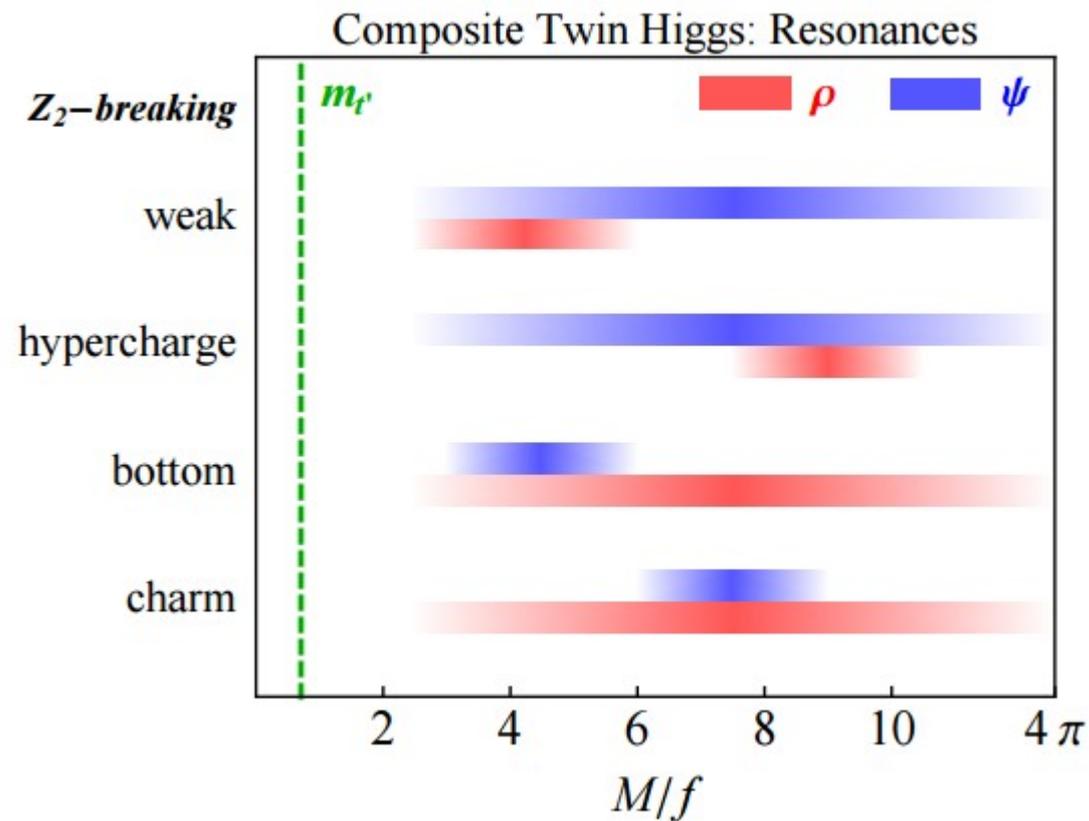


- > dependence on  $g_\rho$  above 4-5
- > No correlation with the fermionic parameters
- > O(1) estimates respected

the same can be applied to hypercharge effects  
a translation of  $\sim g/g_y$

# Generic phenomenology

“Colored” resonances can remain hidden during the second run of LHC



the phenomenology is governed by precision measurements once again

# Higgs couplings in Twin Higgs

In  $SO(8)/SO(7)$  there is a universal rescaling of all the tree-level Higgs couplings

$$\begin{aligned}c_{hVV} &= \sqrt{1 - v^2/f^2}, & c_{hff} &= \sqrt{1 - v^2/f^2}, \\c_{hV'V'} &= -\sqrt{1 - v^2/f^2}(g'^2/g^2), & c_{hf'f'} &= -(v/f)(y'/y),\end{aligned}$$

On top of the usual shift, there is a potentially large invisible decay width

$$\mu = \left(1 - \frac{v^2}{f^2}\right)(1 - \text{BR}_{\text{inv}})$$

This suggests that constraints on  $f$  are stronger than in the standard Composite Higgs case

$$\Gamma_{b'b'} \sim \frac{v^2}{f^2} \Gamma_{bb}^{SM}$$

more details in [Burdman et al](#)  
[Craig, Katz, Strassler, Sundrum](#)

# Phenomenology of the mirror sector

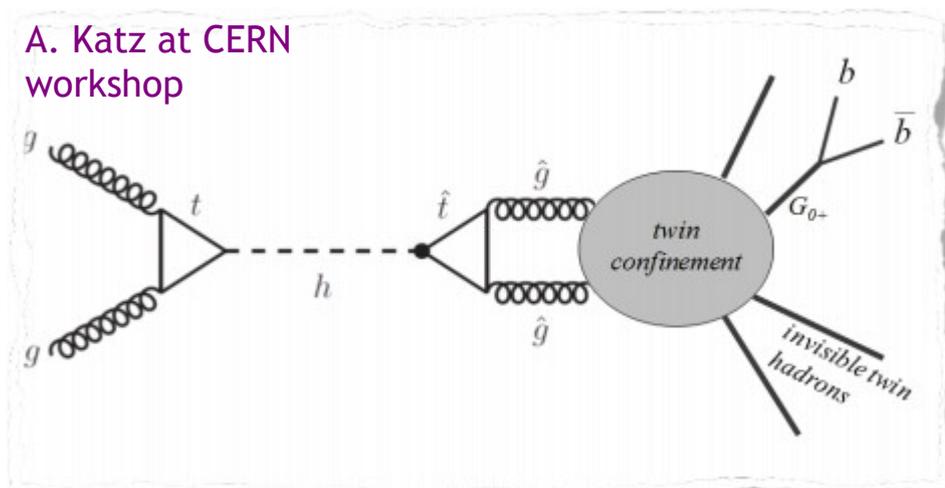
It is highly model dependent

The mirror particles can be produced through the Higgs

$$y'_b \frac{v}{f} h \bar{b}' b', \quad \frac{\alpha'_S}{4\pi} \frac{v}{f} \frac{h}{f} G'_{\mu\nu}{}^2$$

Do they decay back to us?

They can decay back to the Higgs (if sufficiently light)  
mirror glueballs and bottomonium decays



Challenging at the LHC

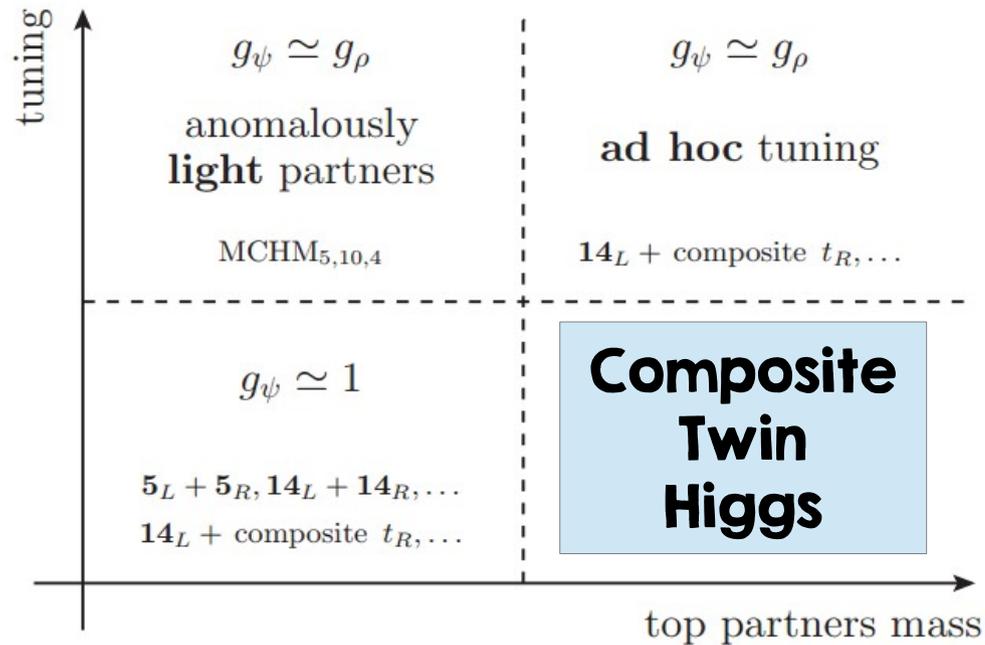
look for displaced b's

D.Curtin at CERN workshop

# Conclusions

Composite Higgs models will be crucially tested at LHC14.  
A null result will disfavor the existing models,  
unless the overall scale  $f$  is raised (above the exp. lower bound)

However, Composite Twin Higgs can come to rescue



**Thank you!**